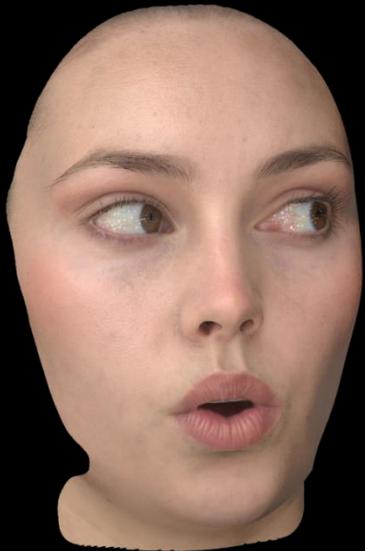


BMVC 2016 Tutorial: Measurement Based Appearance Modelling

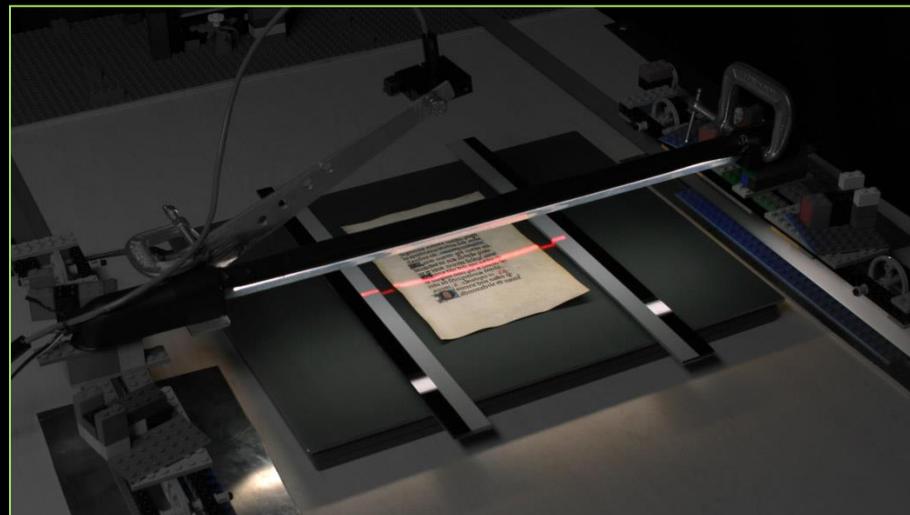


Abhijeet Ghosh
Imperial College London

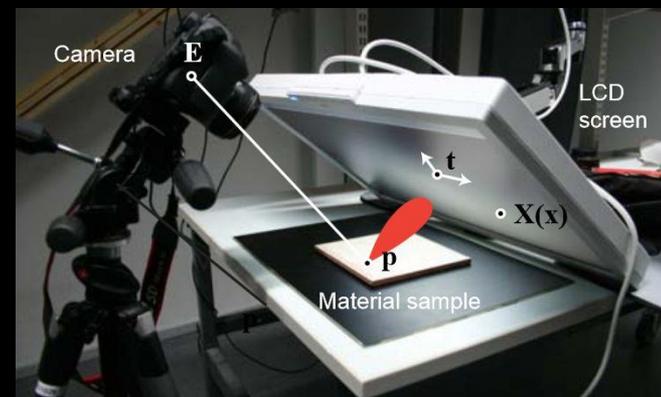
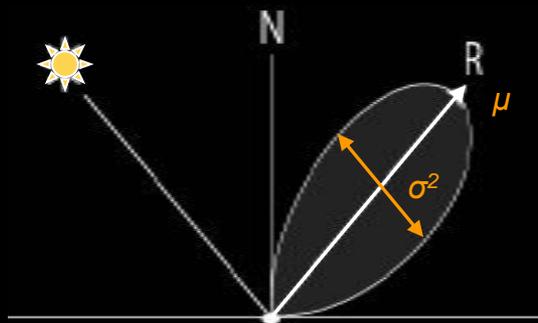
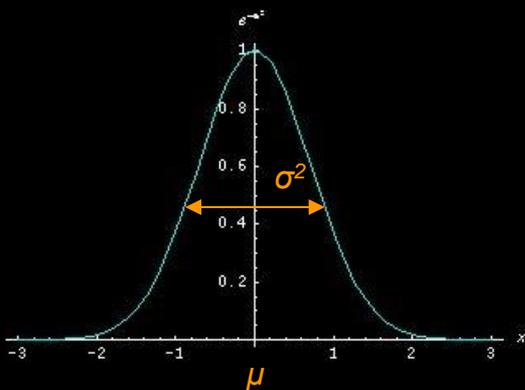
Material reflectance capture techniques



BRDF



SVBRDF

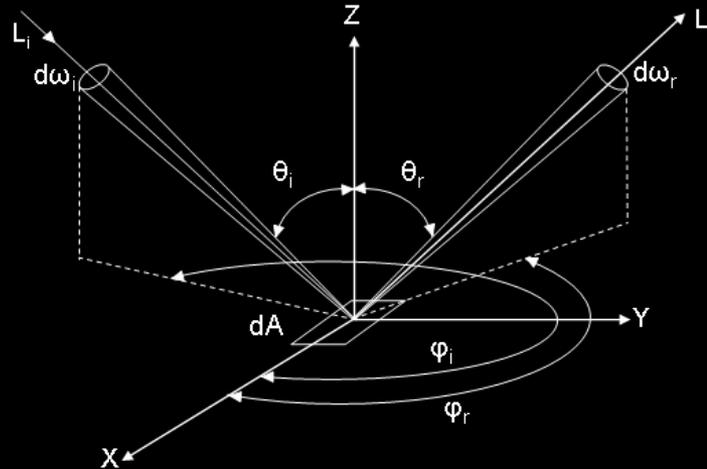


Surface appearance

- Bidirectional Reflectance Distribution Function (BRDF)
 - 4D general case, 3D isotropic
 - Surface reflection at one surface point
- Spatially Varying BRDF (SVBRDF)
 - 6D, BRDF per surface point
- Bidirectional Texture Function (BTF)
 - 6D, more general includes inter-reflection & scattering
 - Data-driven representation of reflectance functions



BRDF

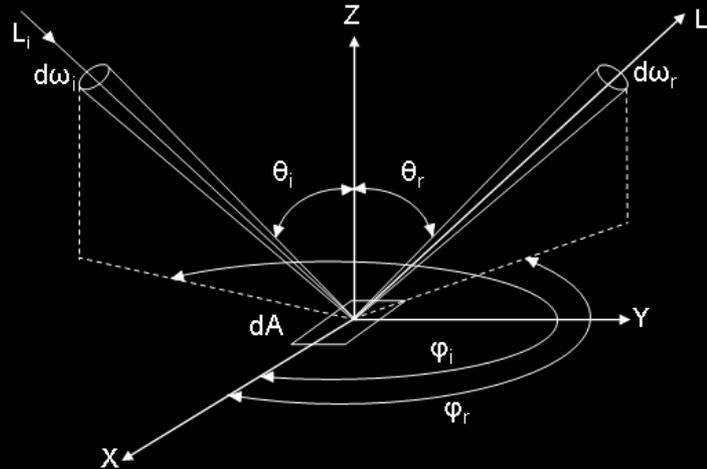


- Defined as the ratio of reflected radiance to incident irradiance:

$$\begin{aligned} f_r(\mathbf{x}, \omega_r, \omega_i) &= dL_r(\mathbf{x}, \omega_r)/dE_i(\mathbf{x}, \omega_i) \\ &= dL_r(\mathbf{x}, \omega_r)/(L_i(\mathbf{x}, \omega_i) \cos\theta \, d\omega_i). \end{aligned}$$

- the units of a BRDF are inverse steradian [1/sr].

BRDF



- Physically based BRDFs have 2 important properties:

Helmholtz Reciprocity: $f_r(x, \omega_r, \omega_i) = f_r(x, \omega_i, \omega_r)$.

and

Energy Conservation: $\int_{\Omega} f_r(x, \omega_r, \omega_i) \cos\theta_i d\omega_i \leq 1$, for all ω_r in Ω .

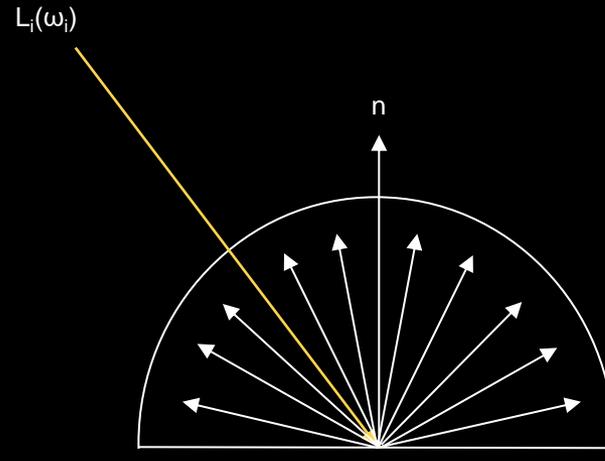
Reflection Models

- Mathematical representation a class of BRDFs
 - typically with a small number of parameters
- Types of BRDF models
 - Phenomenological
 - Physically based
- Parameter fitting
 - Measured data

Phenomenological Models

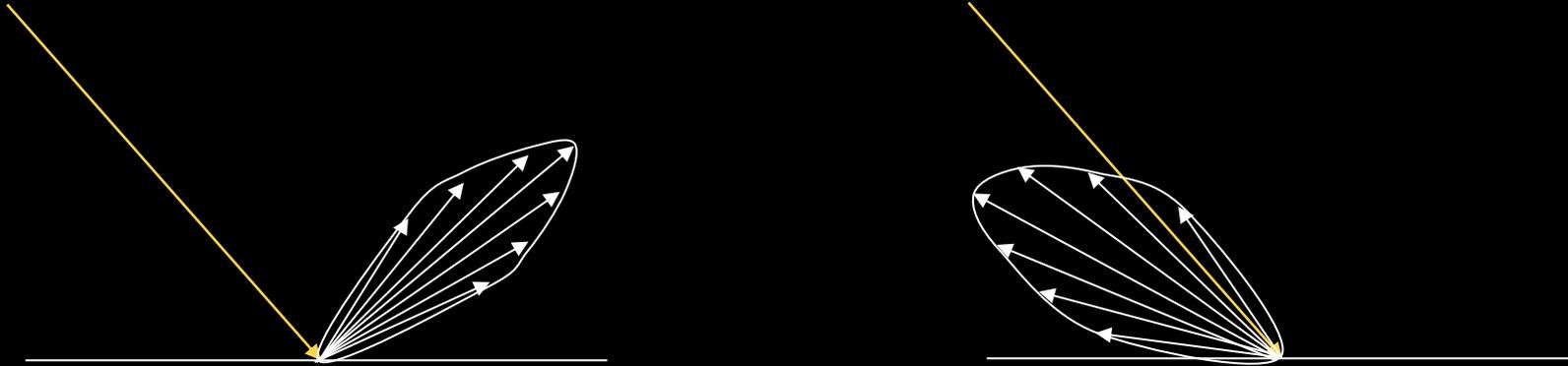
- Equations that describe the “qualitative behavior” of surfaces
 - matte, glossy or plastic, roughness
- Examples
 - Lambertian diffuse reflection
 - Phong specular reflection [Phong75]

Lambertian Reflection



- $f_r(\omega_r, \omega_i) = \rho_d / \pi$
 - ρ_d is the diffuse reflection coefficient $[0, 1]$
 - $\pi = \int_{\Omega} \cos\theta \, d\omega$, is the **normalization** constant!
 - Well suited for measurements

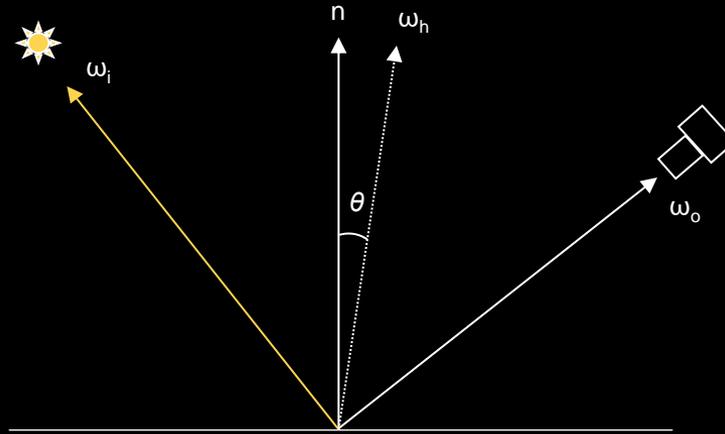
Glossy and Retro-reflective



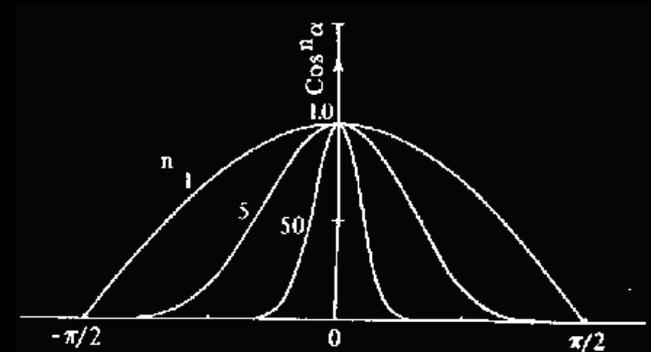
- Glossy surfaces – plastic, high gloss paints, polished wood
- Retro-reflective – velvet, moon's surface, road signs, bike reflectors

Blinn-Phong Model

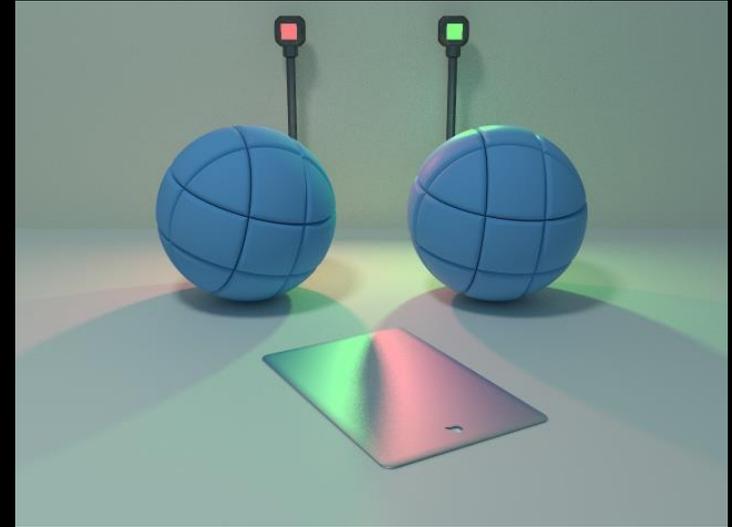
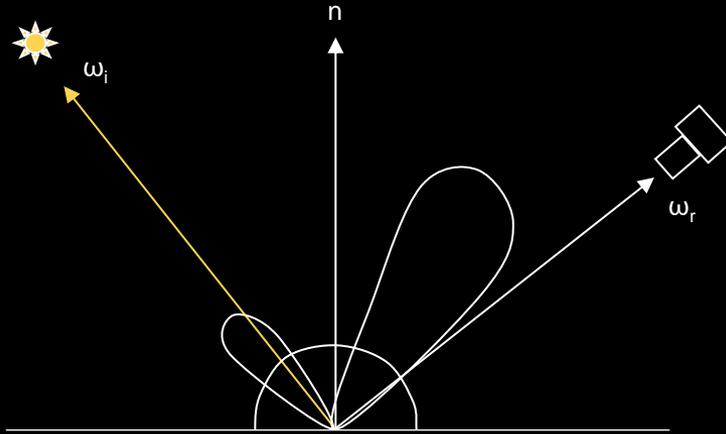
$$\omega_h = (\omega_i + \omega_o) / \|\omega_i + \omega_o\|$$



- $f_r(\omega_o, \omega_i) = \rho_d / \pi + \rho_s (n \cdot \omega_h)^s / (n \cdot \omega_i)$
 $= \rho_d / \pi + \rho_s (\cos\theta)^s / (n \cdot \omega_i)$



Lafortune Generalized Cosine Lobe

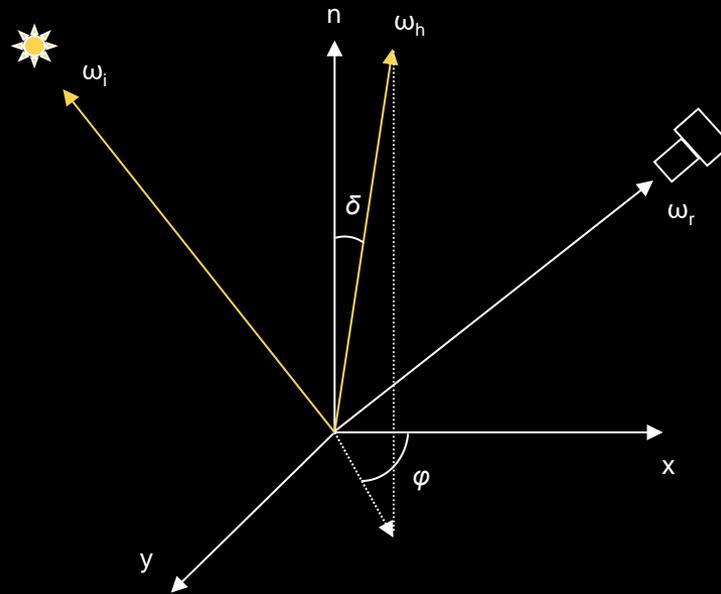


Fits to measured data

- $f_r(\omega_r, \omega_i) = \rho_d / \pi + \sum_j [C_{x,j}(\omega_{i,x} \cdot \omega_{r,x}) + C_{y,j}(\omega_{i,y} \cdot \omega_{r,y}) + C_{z,j}(\omega_{i,z} \cdot \omega_{r,z})]^{s,j}$
 - Off-specularity, retro-reflection, anisotropy
 - Well suited for measured data!

Ward Anisotropic Model

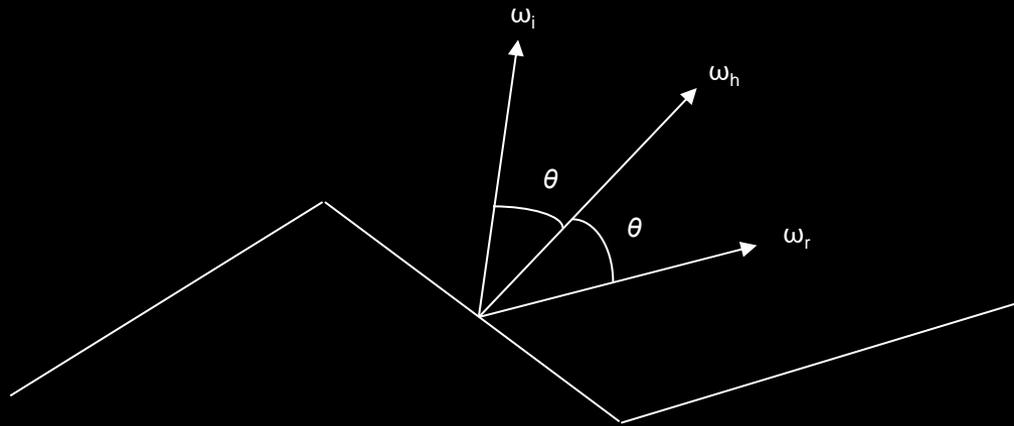
Generalization of microfacet model to account for anisotropy!



$$f_r(\omega_r, \omega_i) = \rho_d / \pi + \rho_s \frac{1}{\sqrt{\cos\theta_i \cos\theta_r}} \frac{\exp[-\tan^2\delta(\cos^2\phi/\alpha_x^2 + \sin^2\phi/\alpha_y^2)]}{4\pi\alpha_x\alpha_y}$$

- elliptical Gaussians, α_x & α_y control standard deviation in x & y
- energy preserving & reciprocal

Physically Based: Microfacet Model



- $$f_r(\omega_r, \omega_i) = \frac{D(\omega_h) G(\omega_r, \omega_i) F_r(\omega_h)}{4 (n \cdot \omega_i) (n \cdot \omega_r)}$$

- **D**, the distribution term
- **G**, the geometric term
- **F**, the Fresnel term

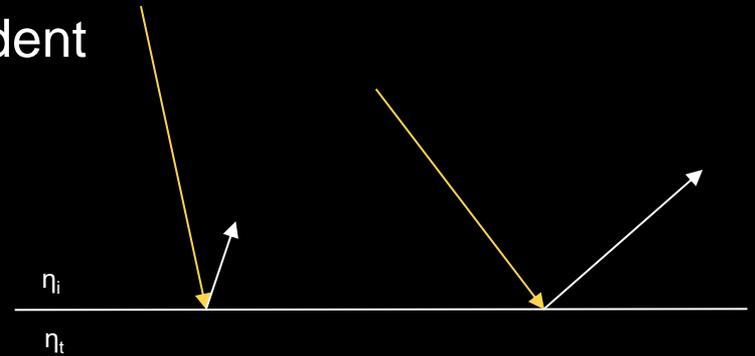
Torrance-Sparrow Model

- $D(\omega_h) = \frac{\exp[-\tan^2\delta/m^2]}{m^2 \cos^4\delta}$ Beckman distribution
 - δ , angle between n and ω_h
 - m , root-mean-square slope of microfacets

- $G(\omega_r, \omega_i) = \min\left\{1, \frac{2(n \cdot \omega_h)(n \cdot \omega_r)}{(\omega_r \cdot \omega_h)}, \frac{2(n \cdot \omega_h)(n \cdot \omega_i)}{(\omega_r \cdot \omega_h)}\right\}$
 - V-shaped grooves

Fresnel Reflectance

- Reflection from a surface is view dependent
- **Fresnel** equations
 - Maxwell's equations at smooth surfaces
 - index of refraction and polarization!
- Two kinds of Fresnel equations:
 - Dielectric materials (insulators) – reflection & transmission
 - Conductors (metals) – only reflection & some absorption



Dielectric Fresnel

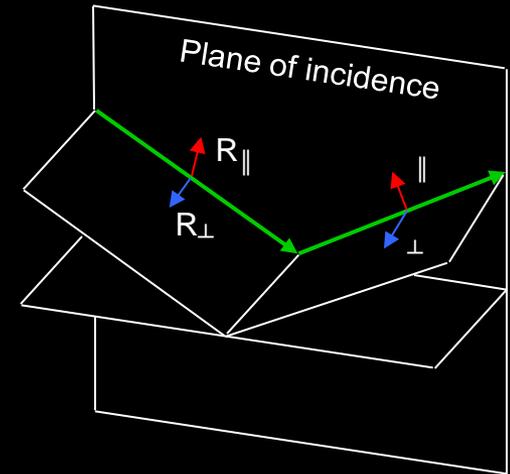
- Fresnel reflectance for **parallel** polarized light r_{\parallel} :

$$R_{\parallel} = \left| \frac{\eta_t \cos\theta_i - \eta_i \cos\theta_t}{\eta_t \cos\theta_i + \eta_i \cos\theta_t} \right|^2$$

- Fresnel reflectance for **perpendicular** polarized light r_{\perp} :

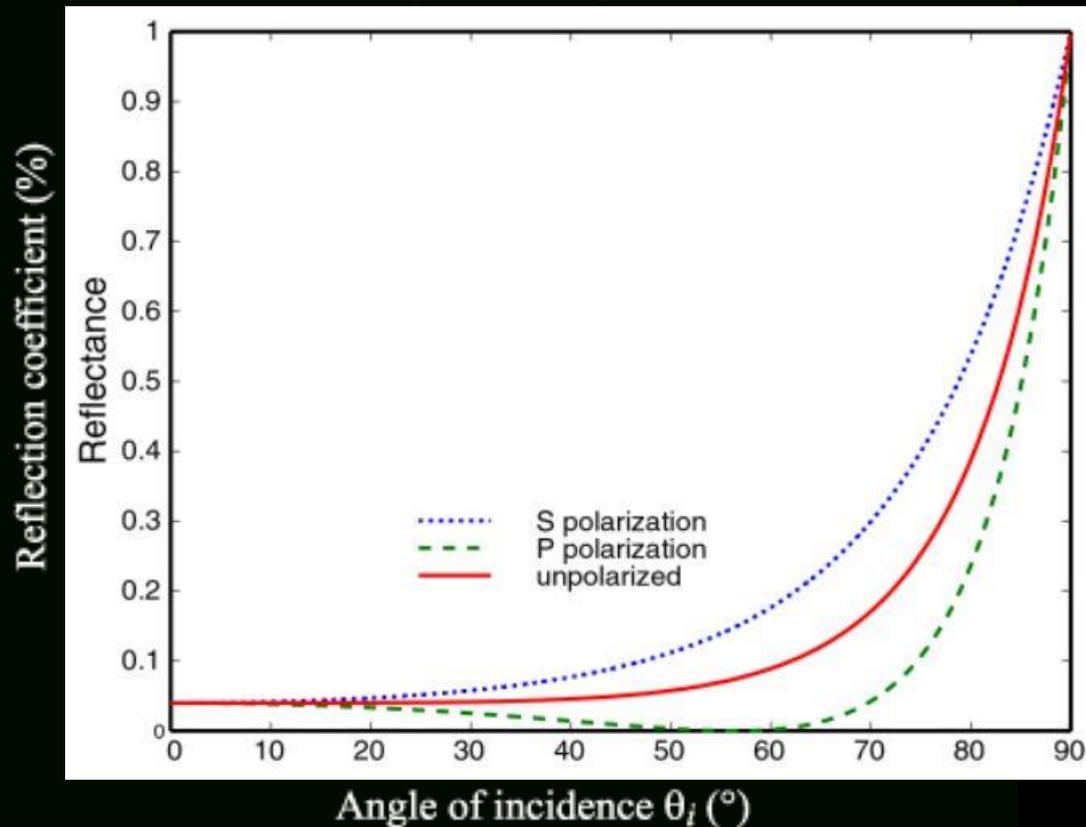
$$R_{\perp} = \left| \frac{\eta_i \cos\theta_i - \eta_t \cos\theta_t}{\eta_i \cos\theta_i + \eta_t \cos\theta_t} \right|^2$$

- Unpolarized reflectance $F_r = \frac{1}{2}(R_{\parallel} + R_{\perp})$.
 - Transmittance $T_r = 1 - F_r$.



Dielectrics

$$n_1 = 1.0, n_2 = 2.0$$



- R_p – parallel polarized, R_s – perpendicular polarized
- Schlick approximation given reflectance R_0

Conductors Fresnel

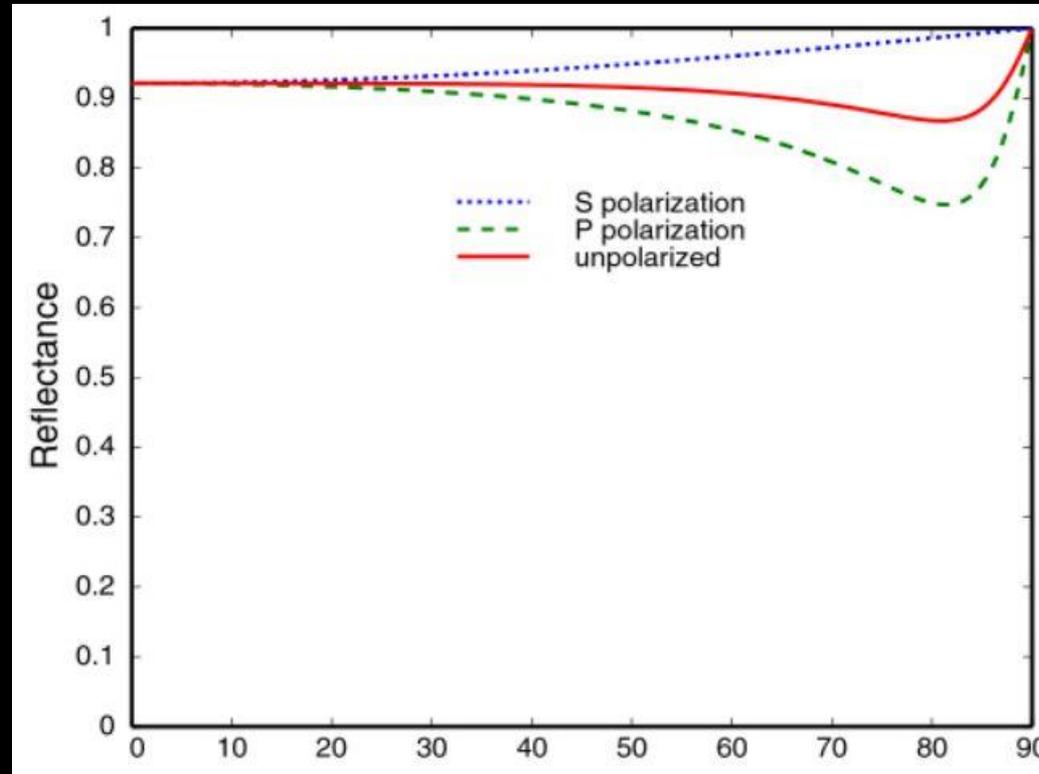
- No transmission, but some **absorption** k :

$$R_{\parallel} = \frac{(\eta^2 + k^2) \cos^2 \theta_i - 2\eta \cos \theta_i + 1}{(\eta^2 + k^2) \cos^2 \theta_i + 2\eta \cos \theta_i + 1}$$

And

$$R_{\perp} = \frac{(\eta^2 + k^2) - 2\eta \cos \theta_i + \cos^2 \theta_i}{(\eta^2 + k^2) + 2\eta \cos \theta_i + \cos^2 \theta_i}$$

Conductors Fresnel

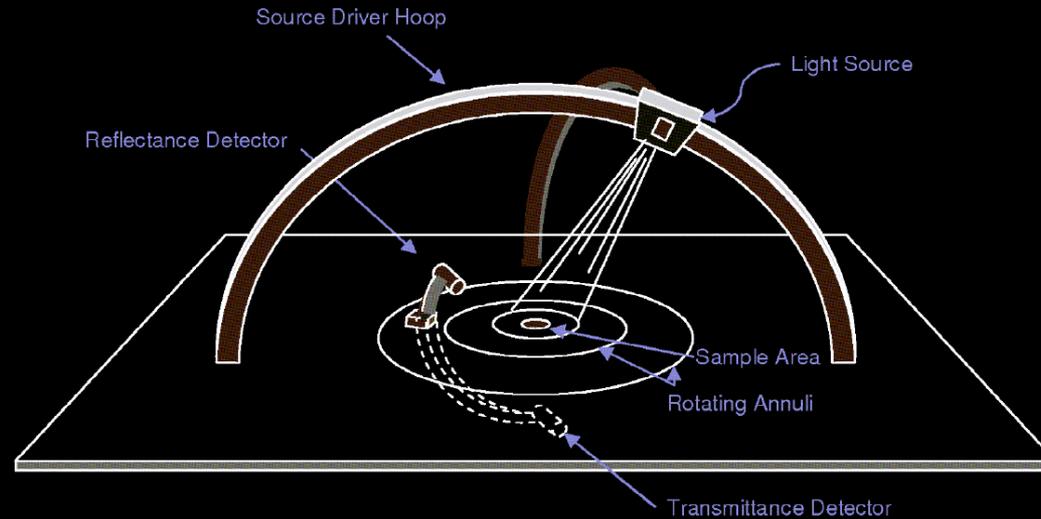


- No transmission, complex index of refraction: η , k
- High reflectance across angles of incidence

BRDF Measurement

- Analytical models have limitations
 - describe specific kinds of surfaces
 - appropriate parameters not easy to obtain!
- Measurement of BRDFs a solution
 - direct usage as **tabulated** data
 - **fit** to analytic models or basis functions

Dense Measurements



- Gonioreflectometer
 - Cornell, CURET, NIST
 - Missing measurements **interpolation!**

Goneo-reflectometer



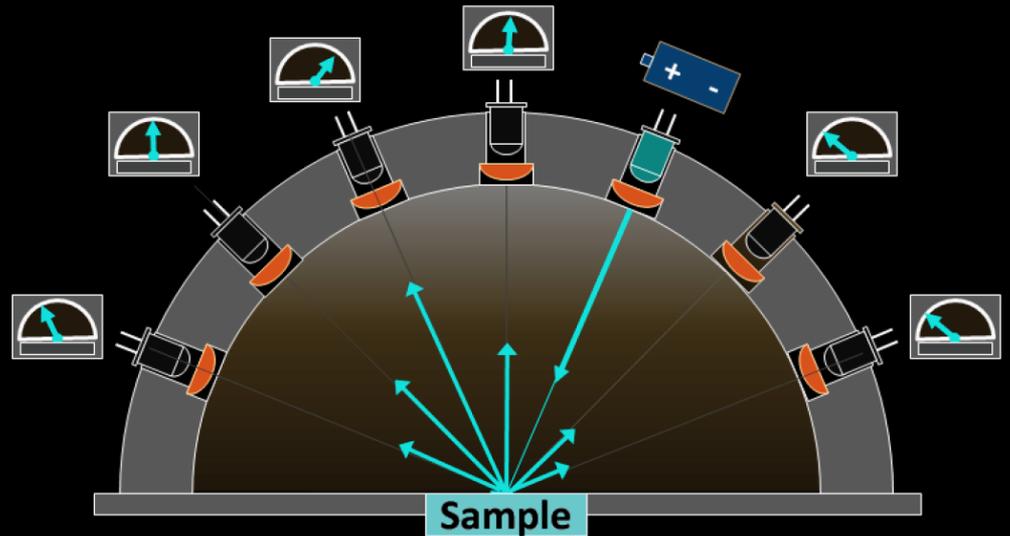
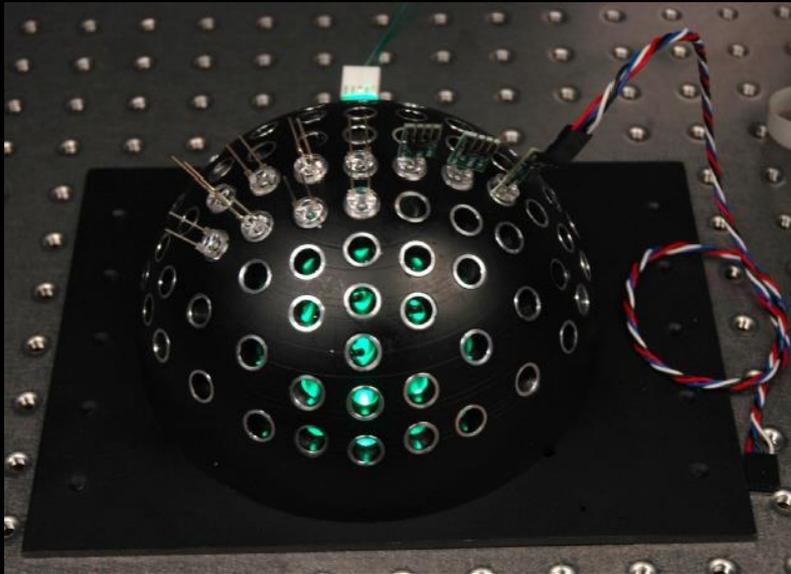
DMS 803

6 motorised axis



SOC210-BDR

LED-based Measurement

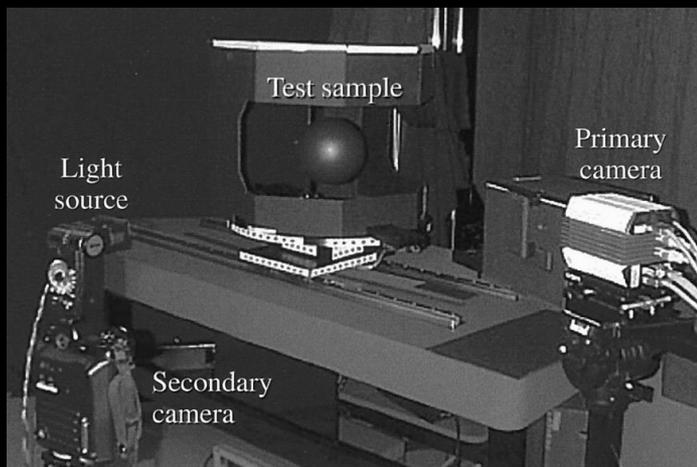


[Ben-Ezra et al. 08]

- LEDs as **emitters** as well as **sensors**!
- Parallel measurements with point sampling

Image-based Measurements

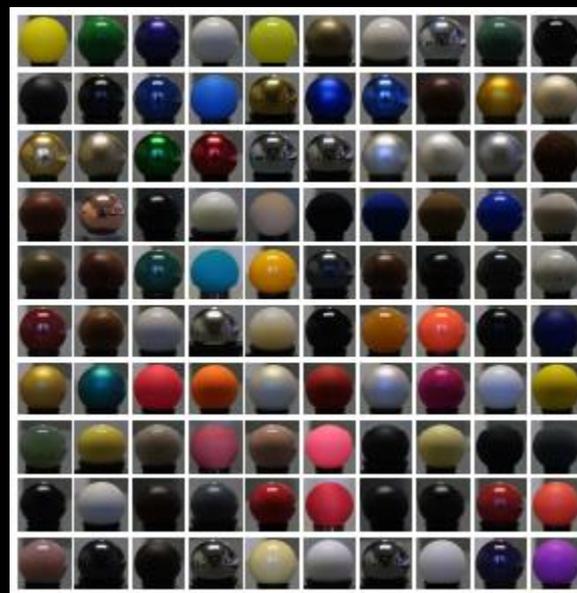
Isotropic



[Marschner et al. 00]



[Matusik et al. 03]



100 BRDFs
MERL database

Data-driven BRDF Representation

Spherical Sample
(Isotropic BRDF = 3D
function)



Data-driven BRDF Representation



Data-driven BRDF Representation

Light Source



measurement every
0.5 degree rotation



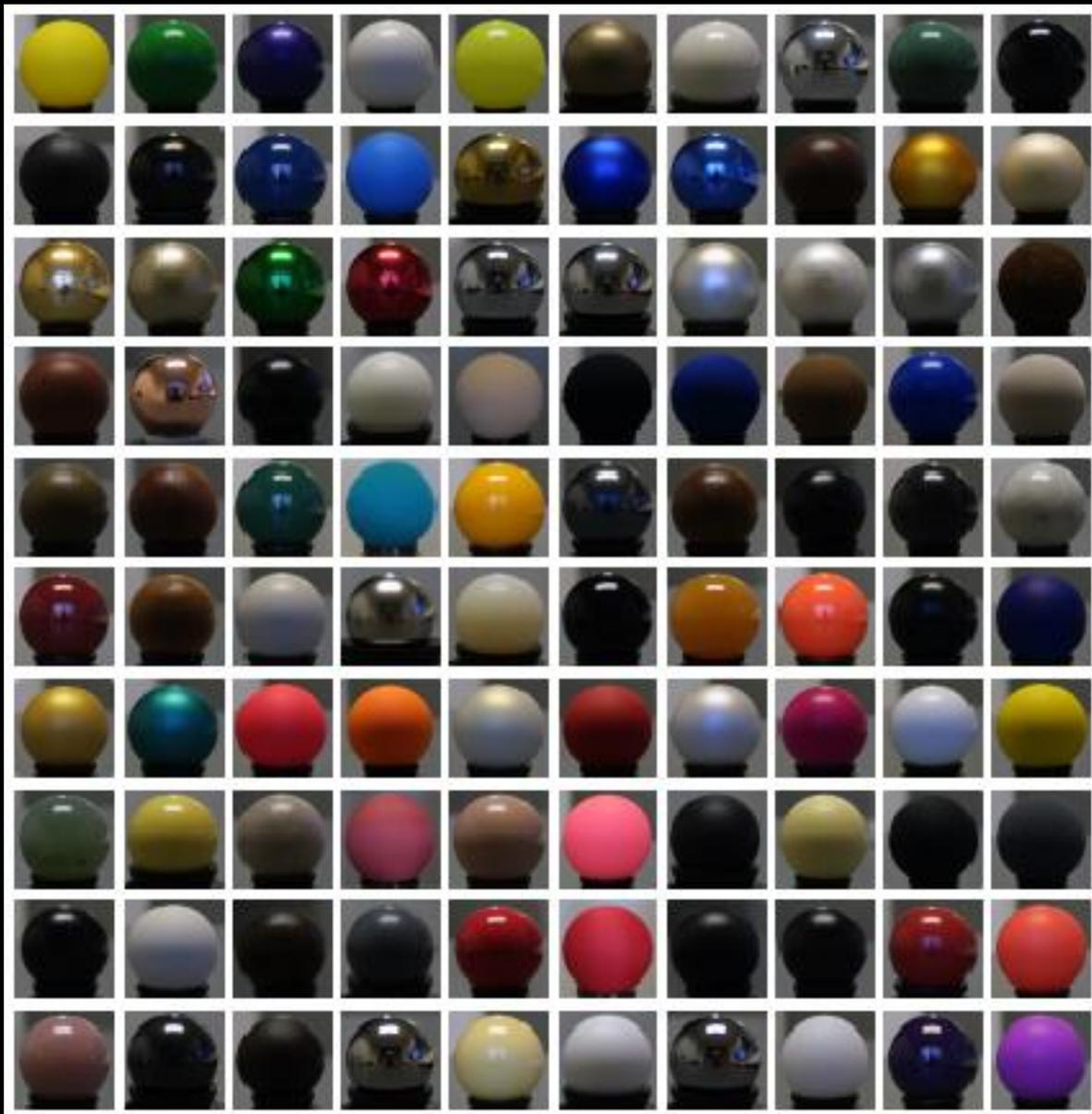
Data-driven BRDF Representation

More than 100
different BRDFs

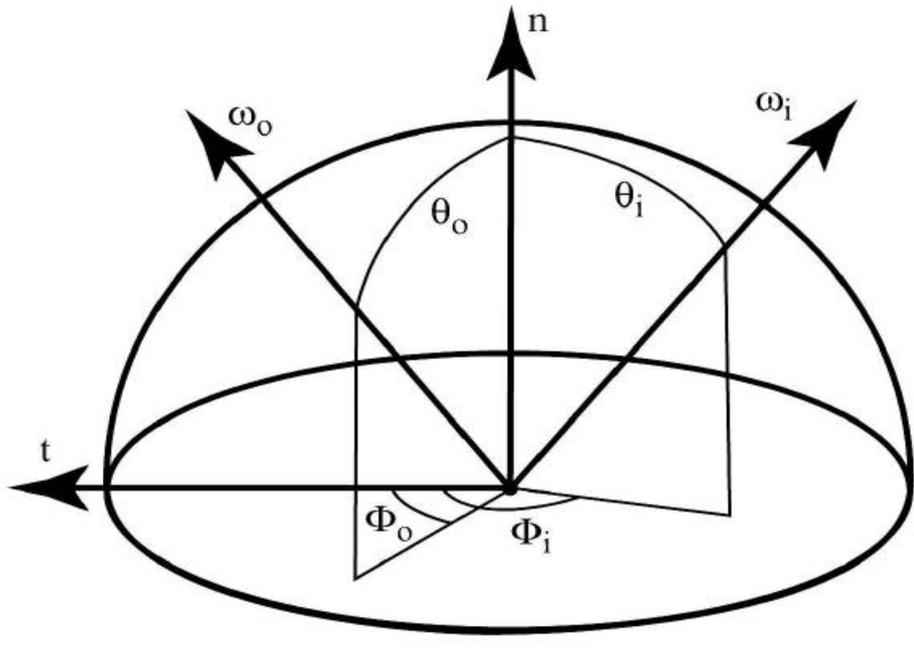
20-80M

Reflectance

Measurements per
Material

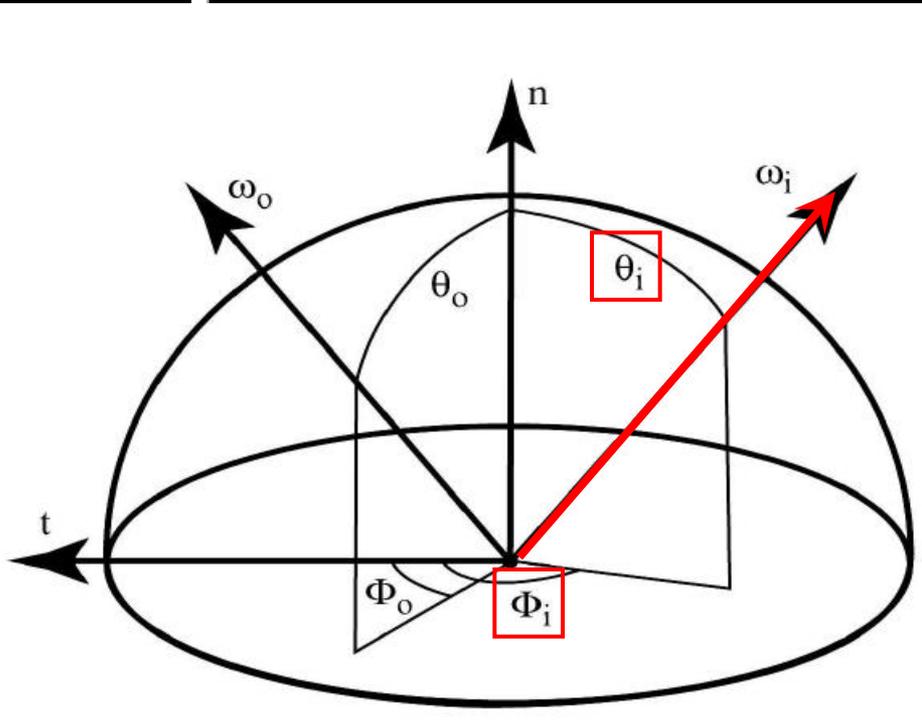


Reparameterization



Standard

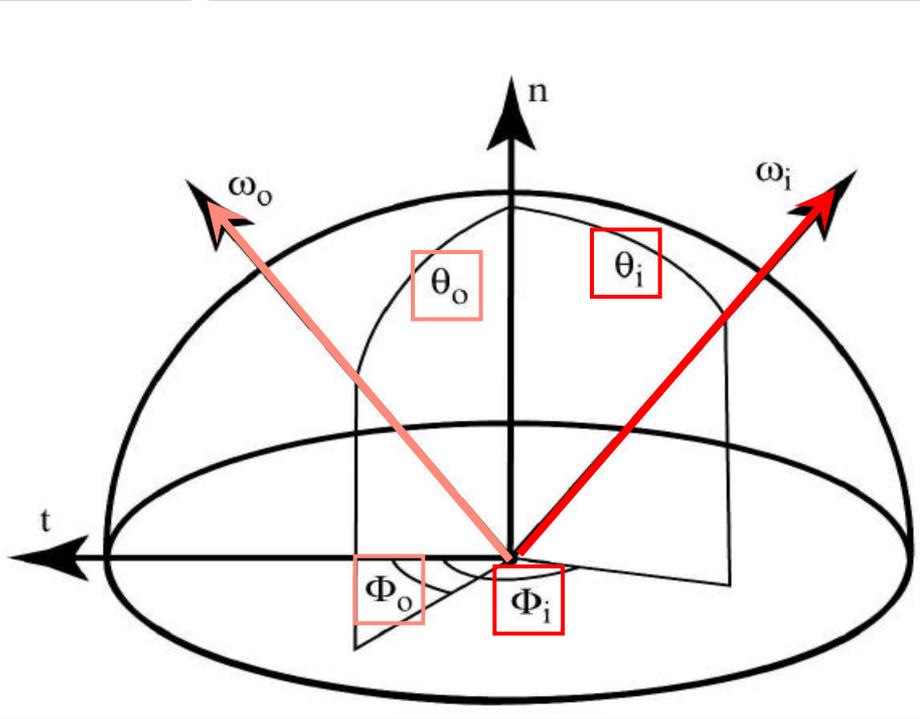
Reparameterization



Standard

Incident: $\omega_i = (\theta_i, \Phi_i)$

Reparameterization

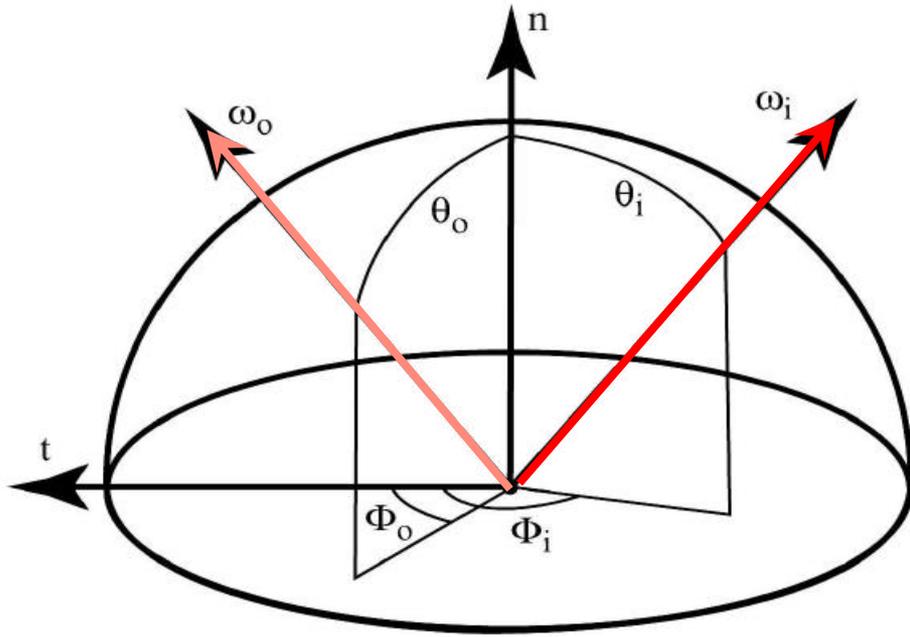


Standard

Incident: $\omega_i = (\theta_i, \Phi_i)$

Exitant: $\omega_o = (\theta_o, \Phi_o)$

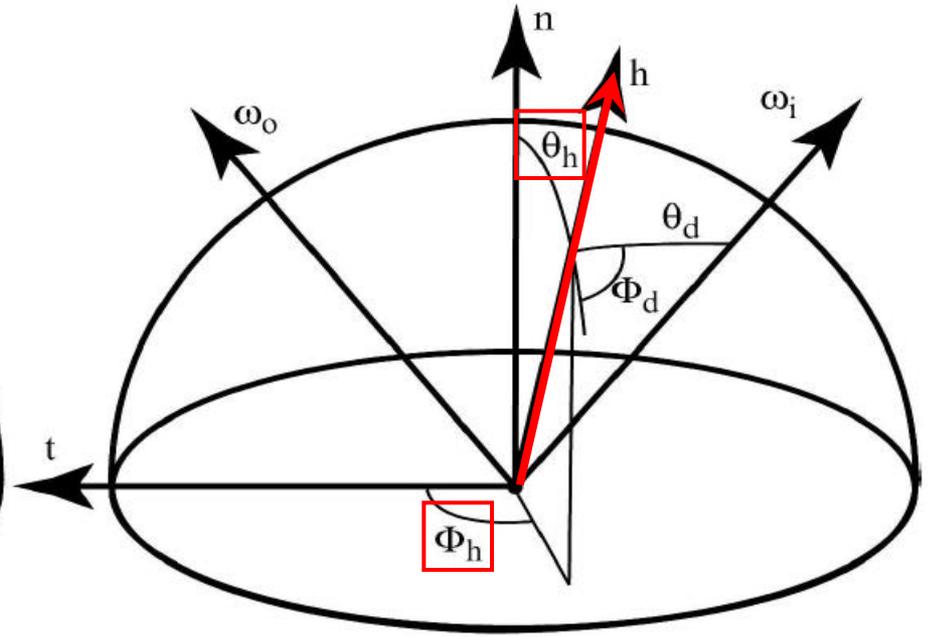
Reparameterization



Standard

Incident: $\omega_i = (\theta_i, \Phi_i)$

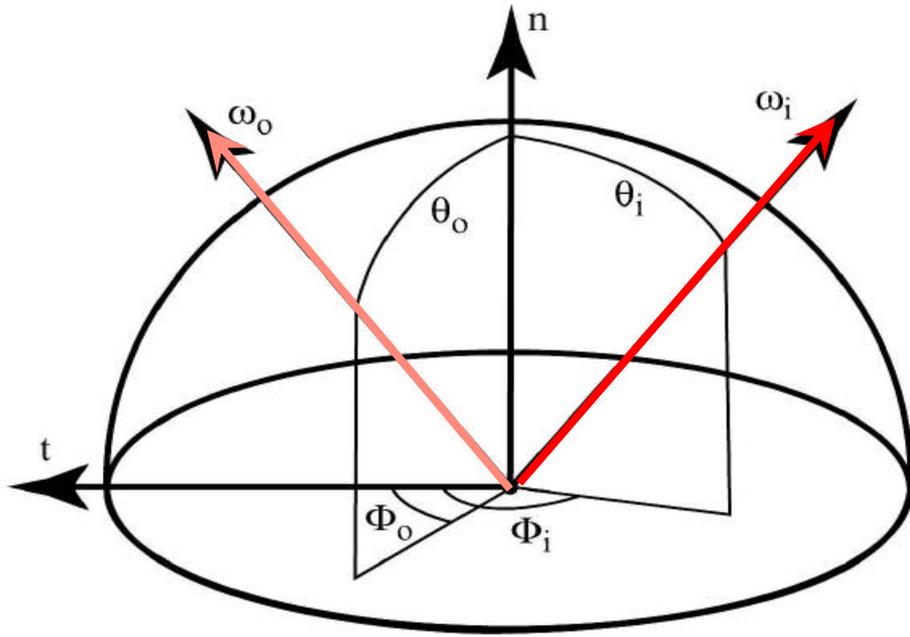
Exitant: $\omega_o = (\theta_o, \Phi_o)$



Rusinkiewicz

Halfway: $\omega_h = (\theta_h, \Phi_h)$

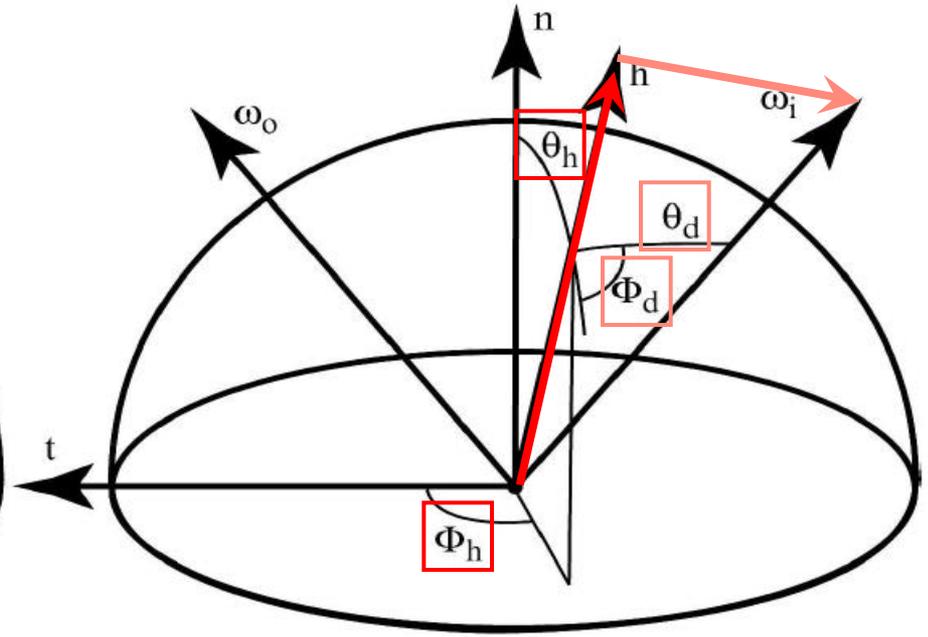
Reparameterization



Standard

Incident: $\omega_i = (\theta_i, \Phi_i)$

Exitant: $\omega_o = (\theta_o, \Phi_o)$



Rusinkiewicz

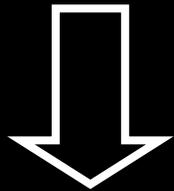
Halfway: $\omega_h = (\theta_h, \Phi_h)$

Difference: $\omega_d = (\theta_d, \Phi_d)$

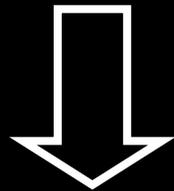
Reparameterization

Advantage:

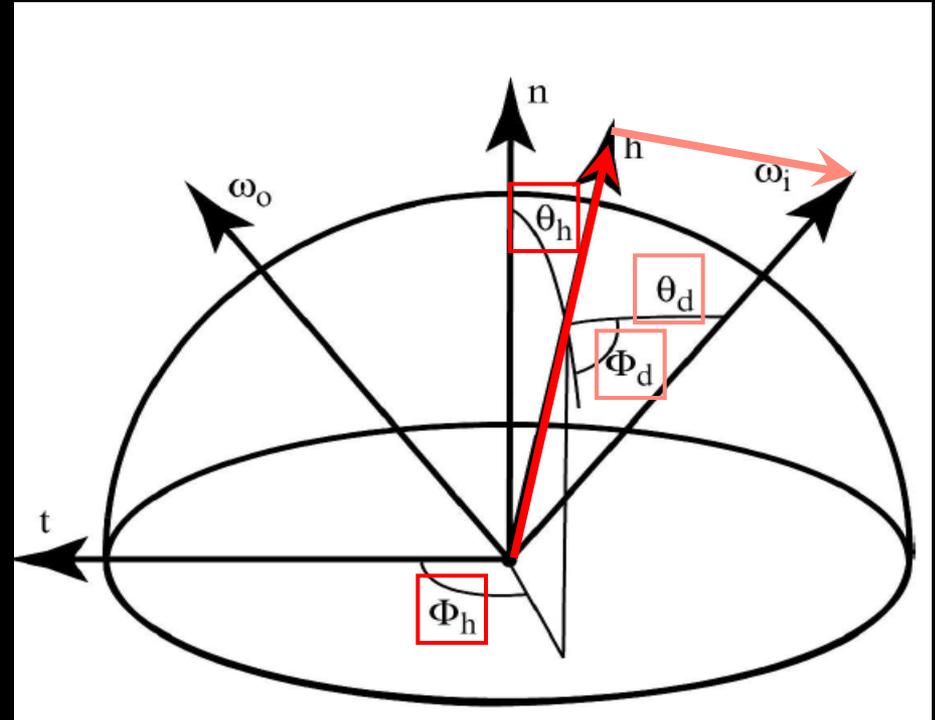
Specular highlight



Around halfway
vector



$$\omega_h = 0$$

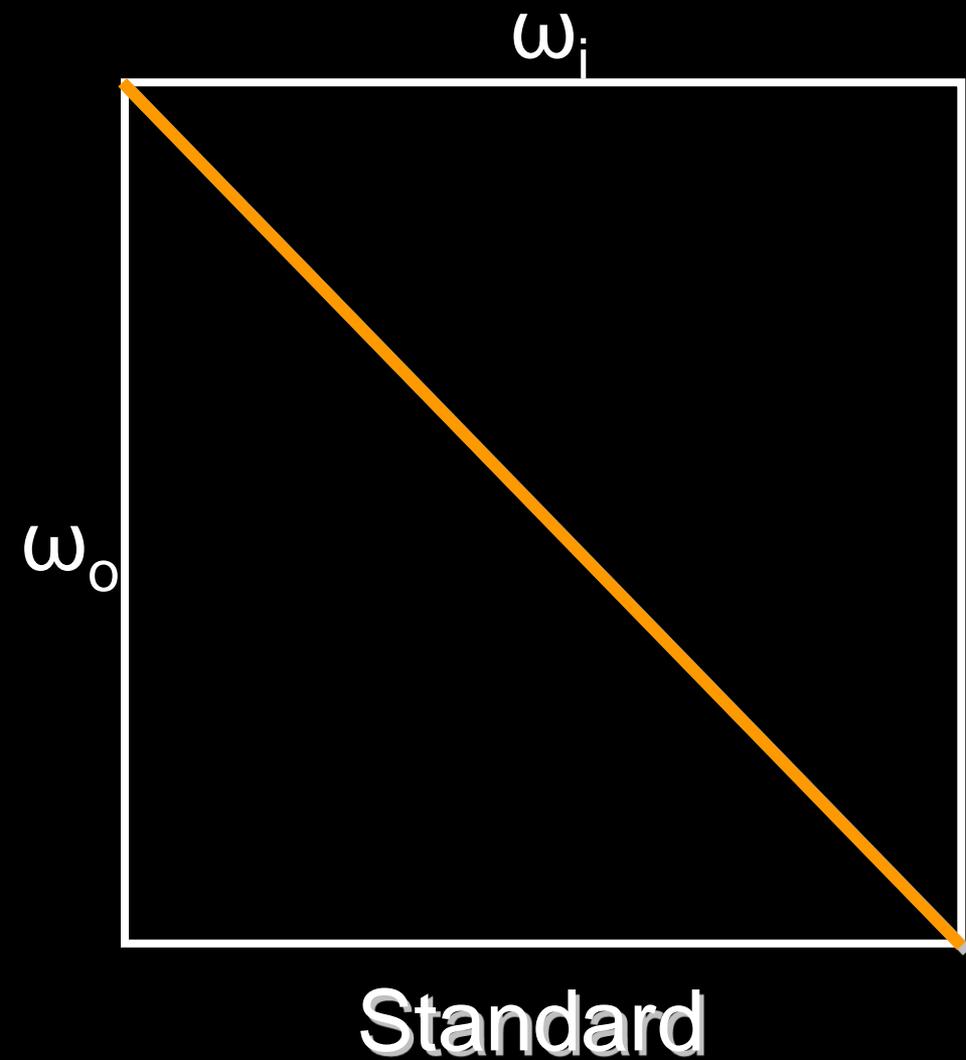


Rusinkiewicz

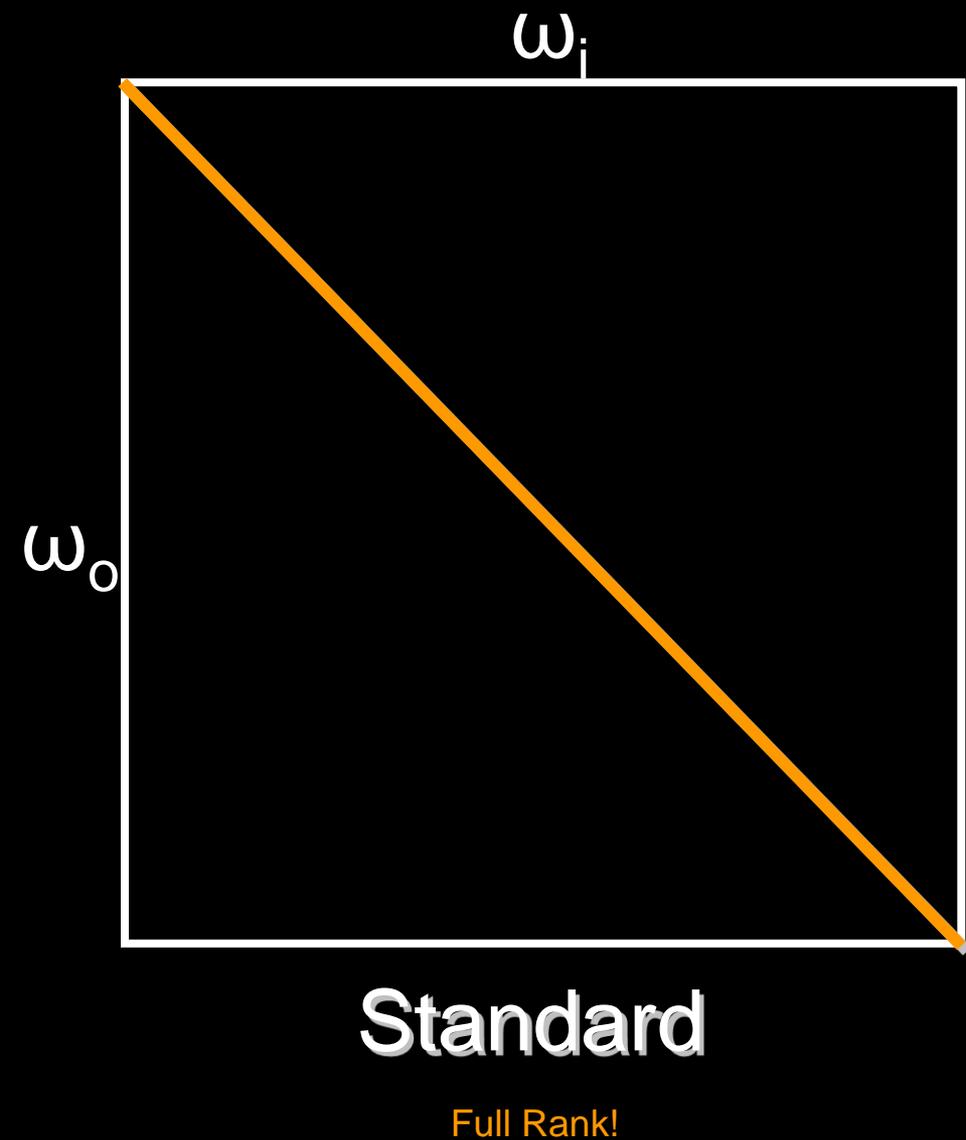
Halfway: $\omega_h = (\theta_h, \Phi_h)$

Difference: $\omega_d = (\theta_d, \Phi_d)$

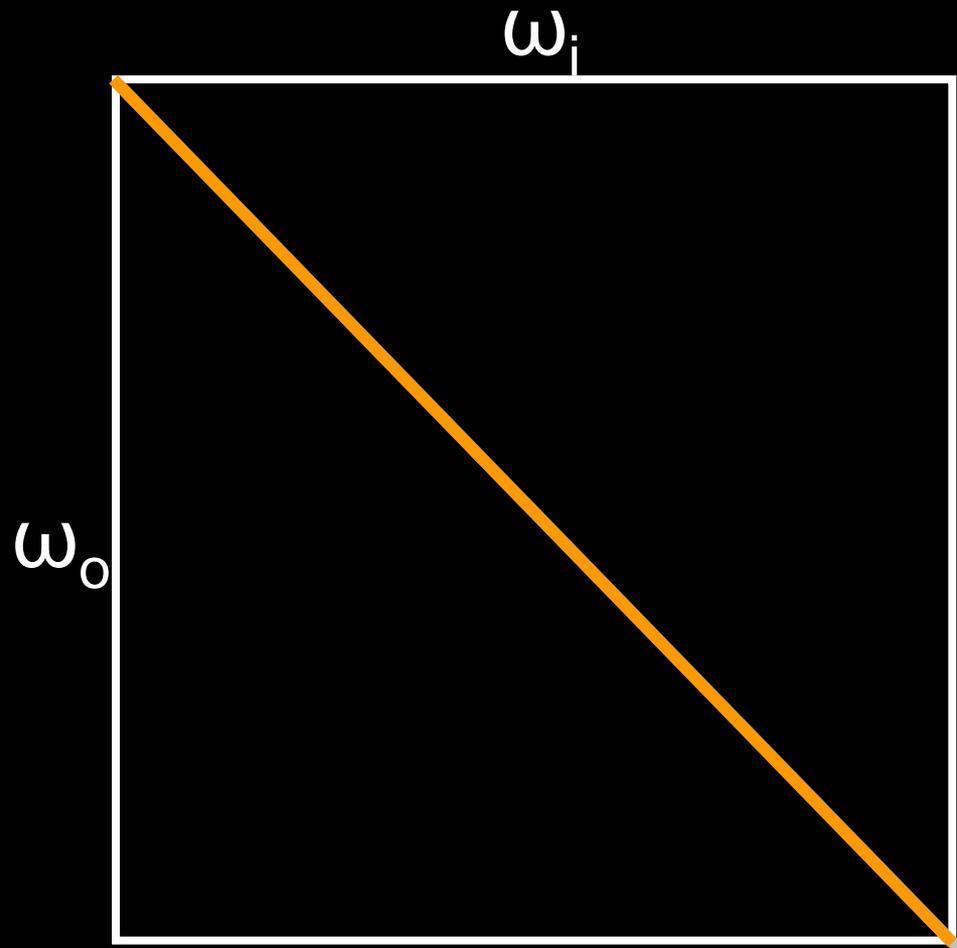
Reparameterization



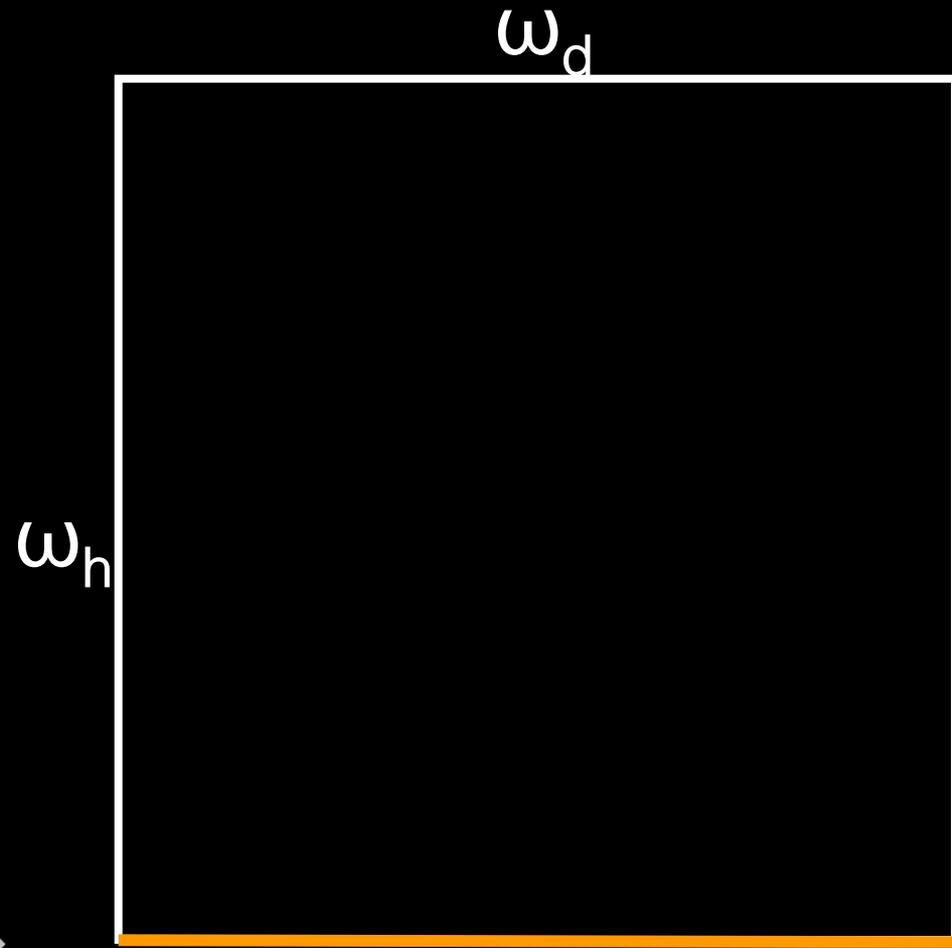
Reparameterization



Reparameterization

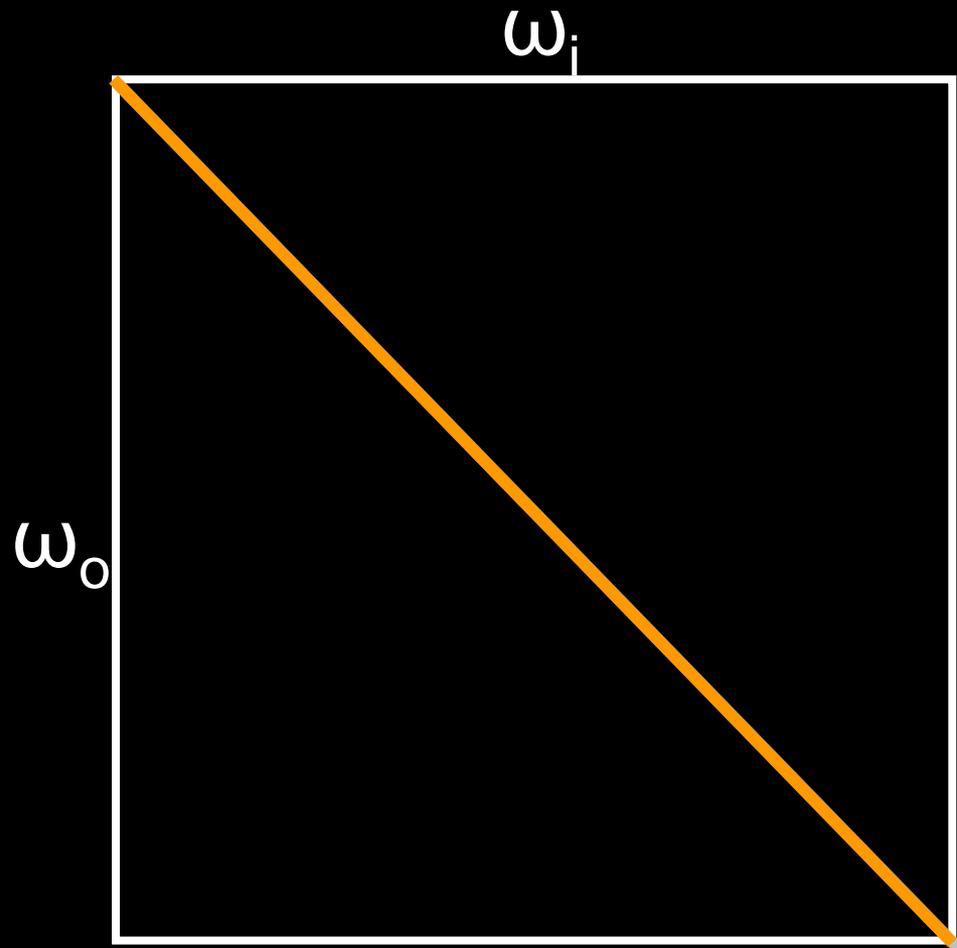


Standard

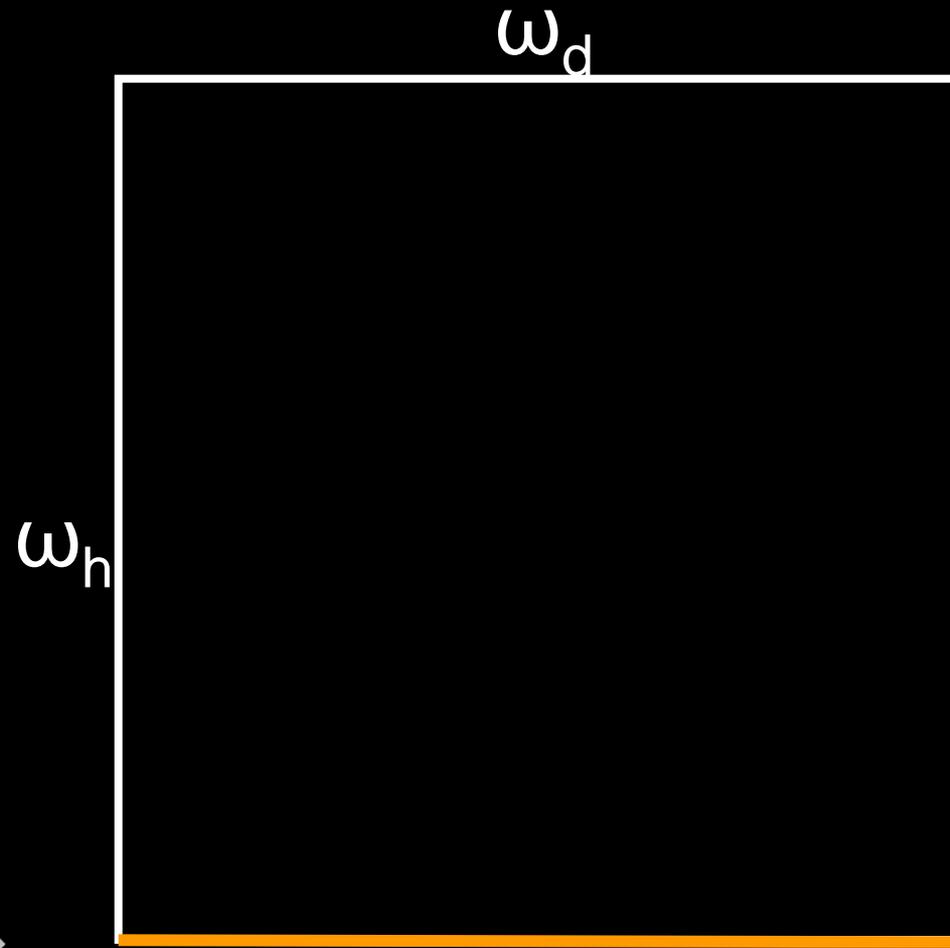


Rusinkiewicz

Reparameterization



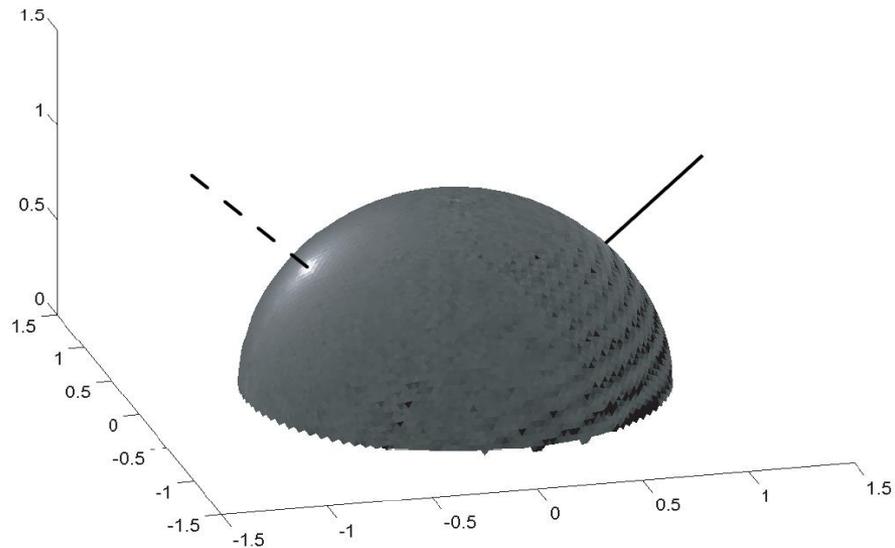
Standard



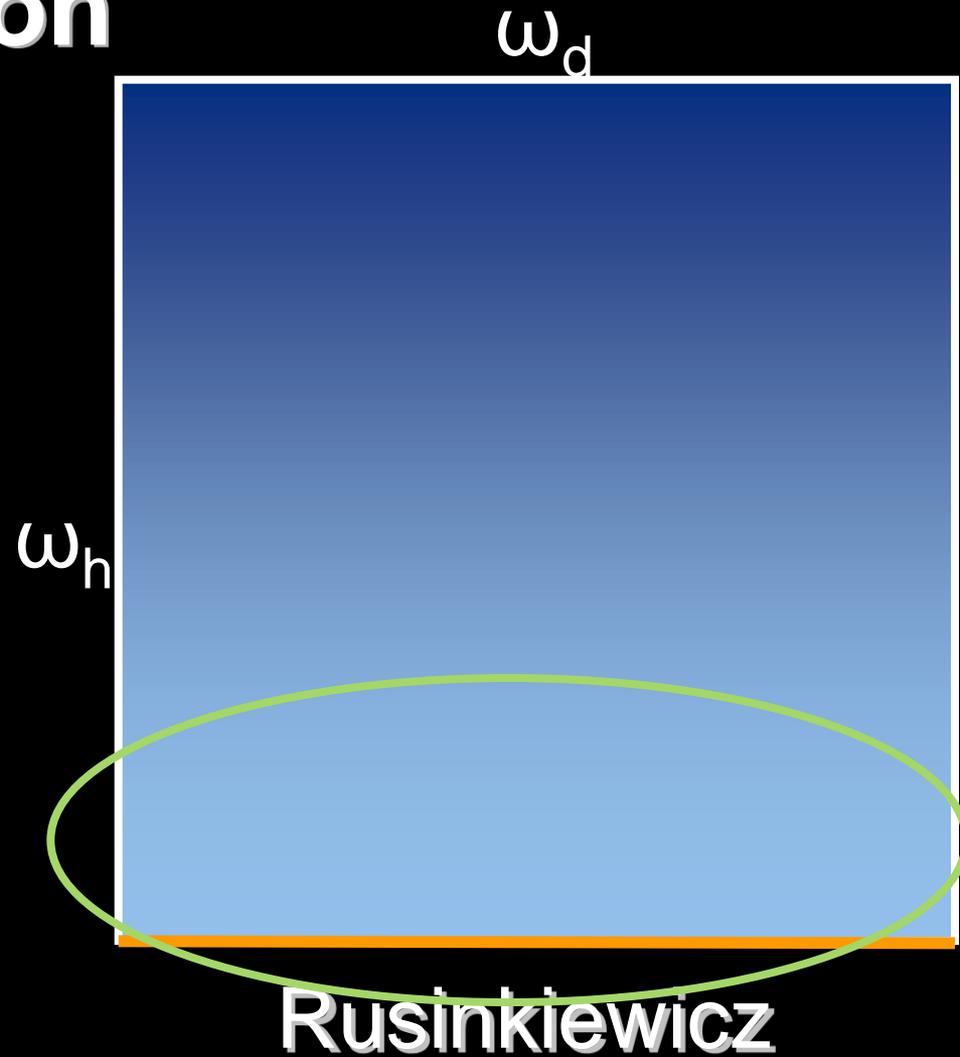
Rusinkiewicz

Low Rank!

Reparameterization



Sample Densely



Reparameterized data

Tabulated: $90 (\theta_h) \times 90 (\theta_d) \times 360 (\varphi_d)$

- Easy to use in rendering system

Disadvantages:

- Requires 17Mb / BRDF
- 12 Hours to capture

Direct Visualization (Tabulated)

nickel



hematite



gold paint



pink fabric



Data-driven BRDF Representations

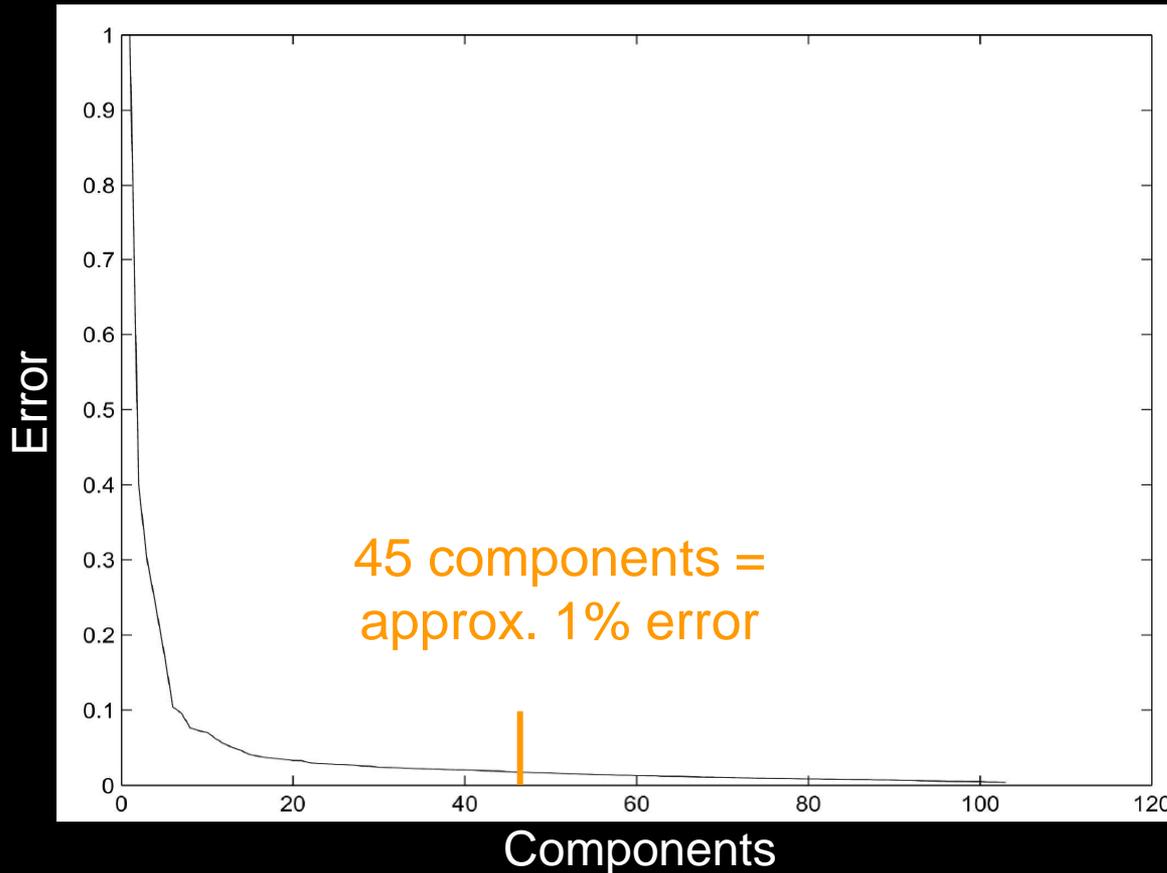
Data-driven Analysis

- Linear Data Analysis (PCA)
- Non-linear Data Analysis
- BRDFs as data driven basis

[Matusik et al. 2003]

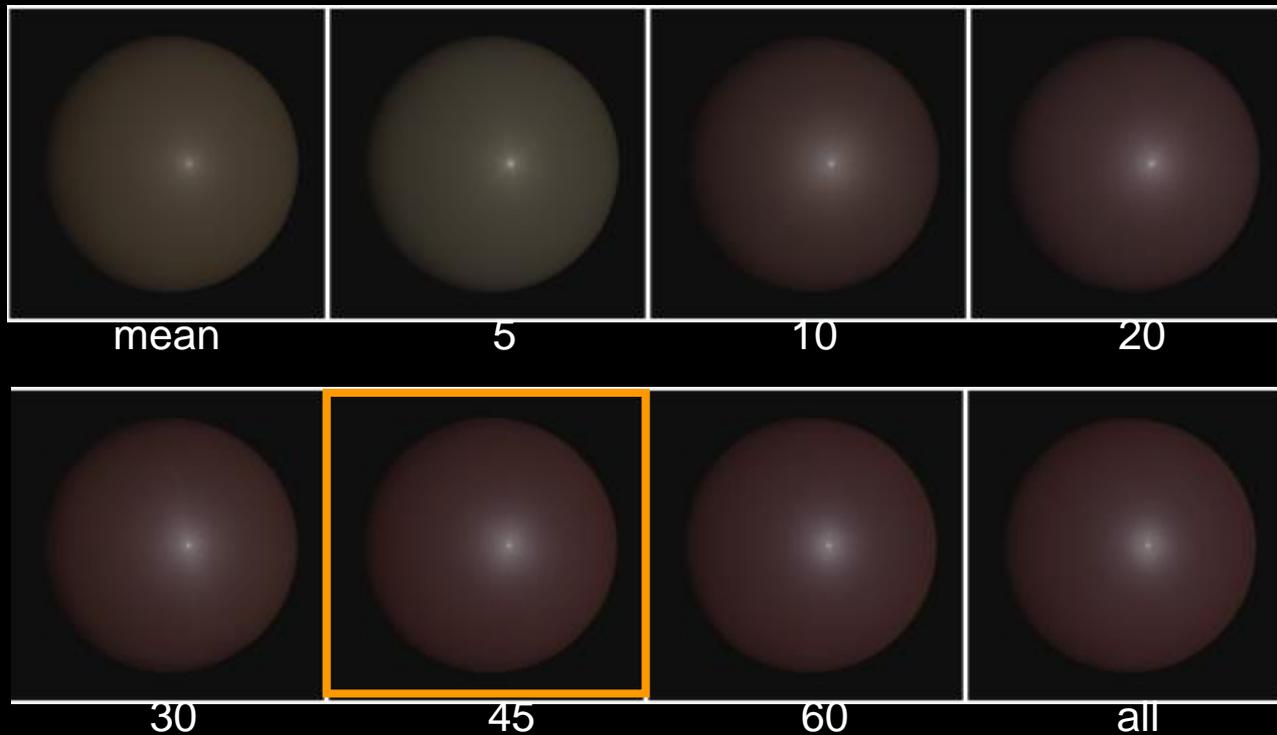
Linear Data Analysis (PCA)

- Linearize each BRDF in a (long) vector
- Apply PCA on **all** these vectors
- Keep n largest principal vectors



Linear Data Analysis (PCA)

- Linearize each BRDF in a (long) vector
- Apply PCA on **all** these vectors
- Keep n largest principal vectors



PCA space exploration

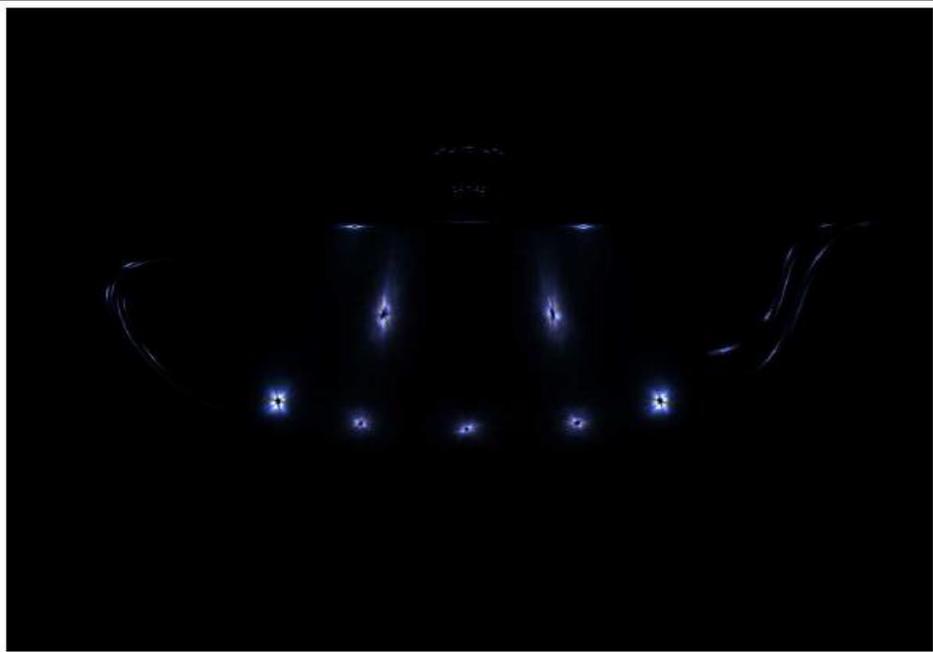


Problem: non-physical BRDFs

45D space contains non-physical BRDFs

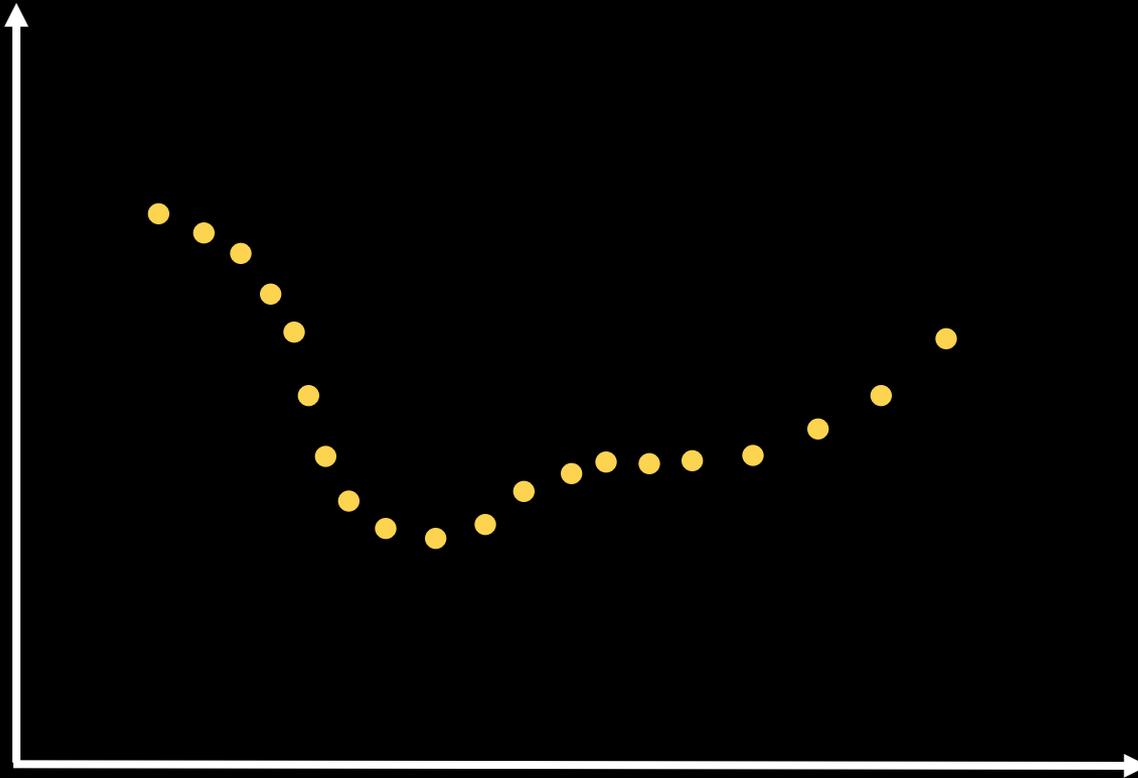


Measured BRDF
(point A in 45D space)

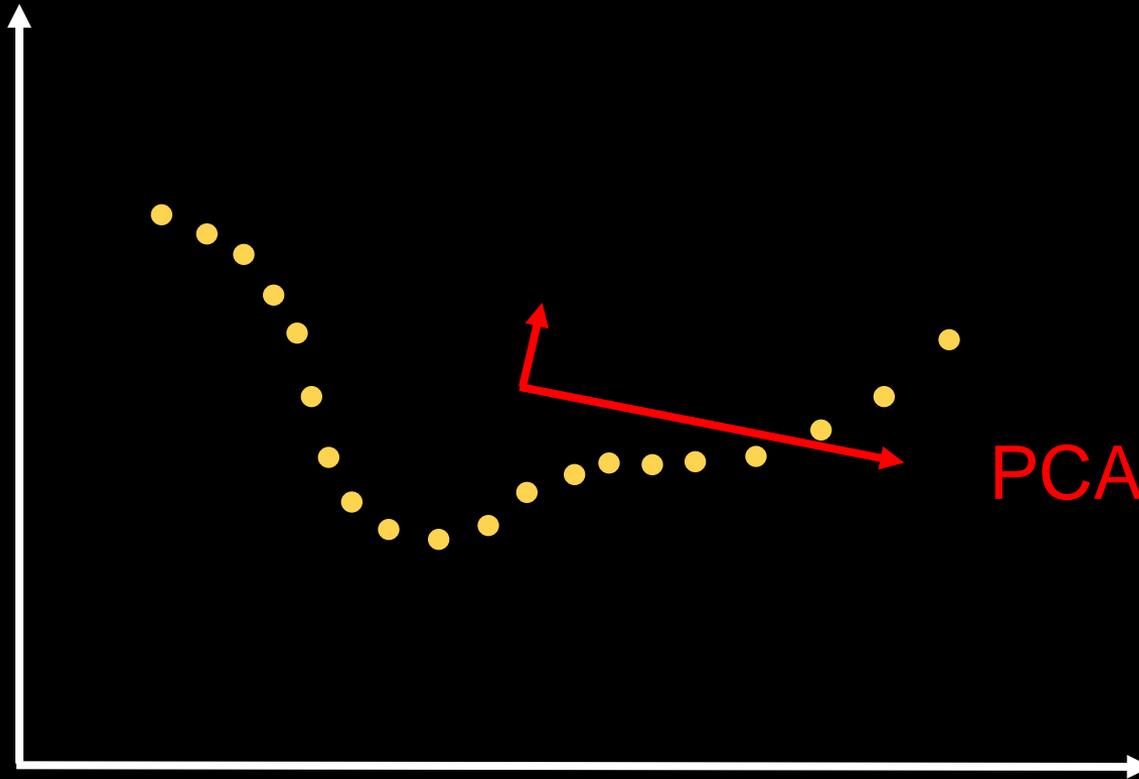


Non-physical BRDF
(point **close** to A in 45D space)

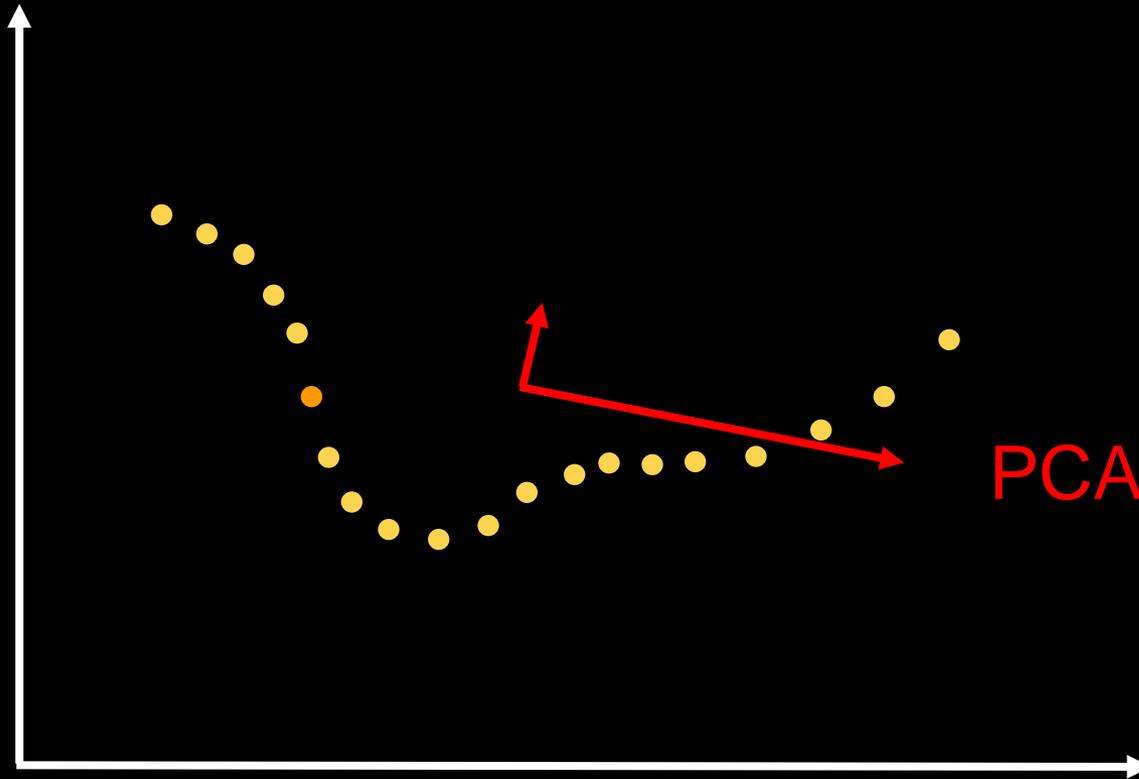
Why does it fail?



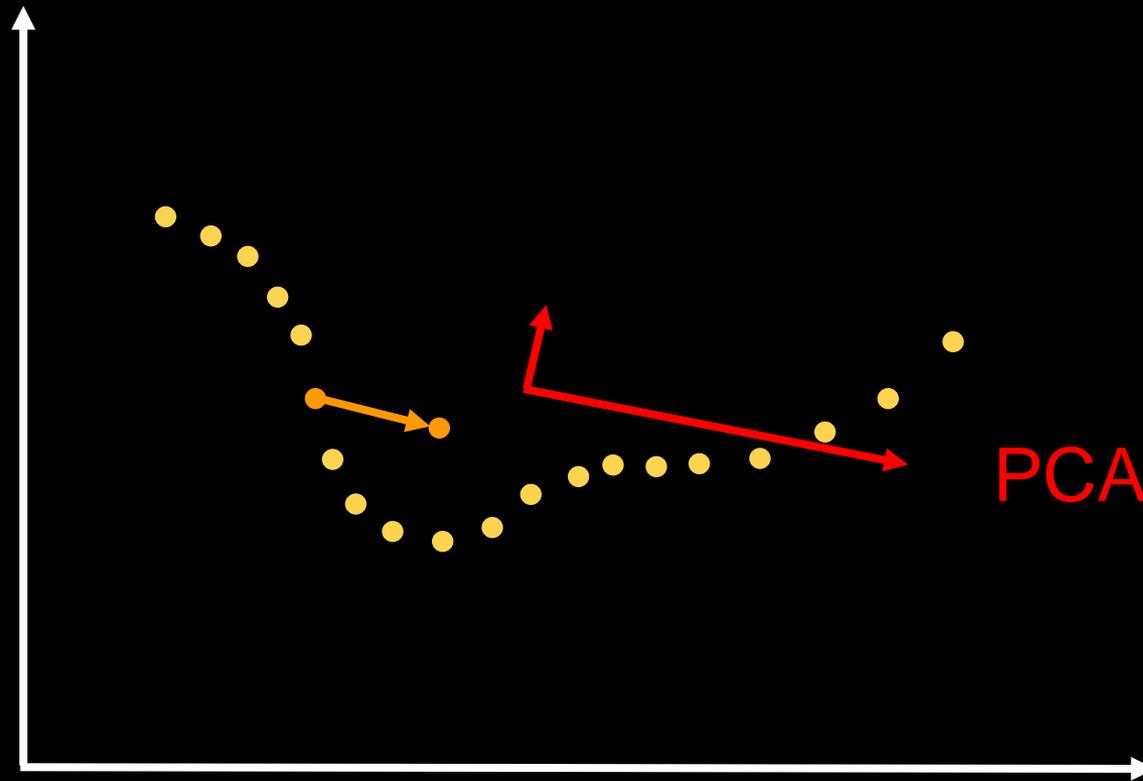
Why does it fail?



Why does it fail?

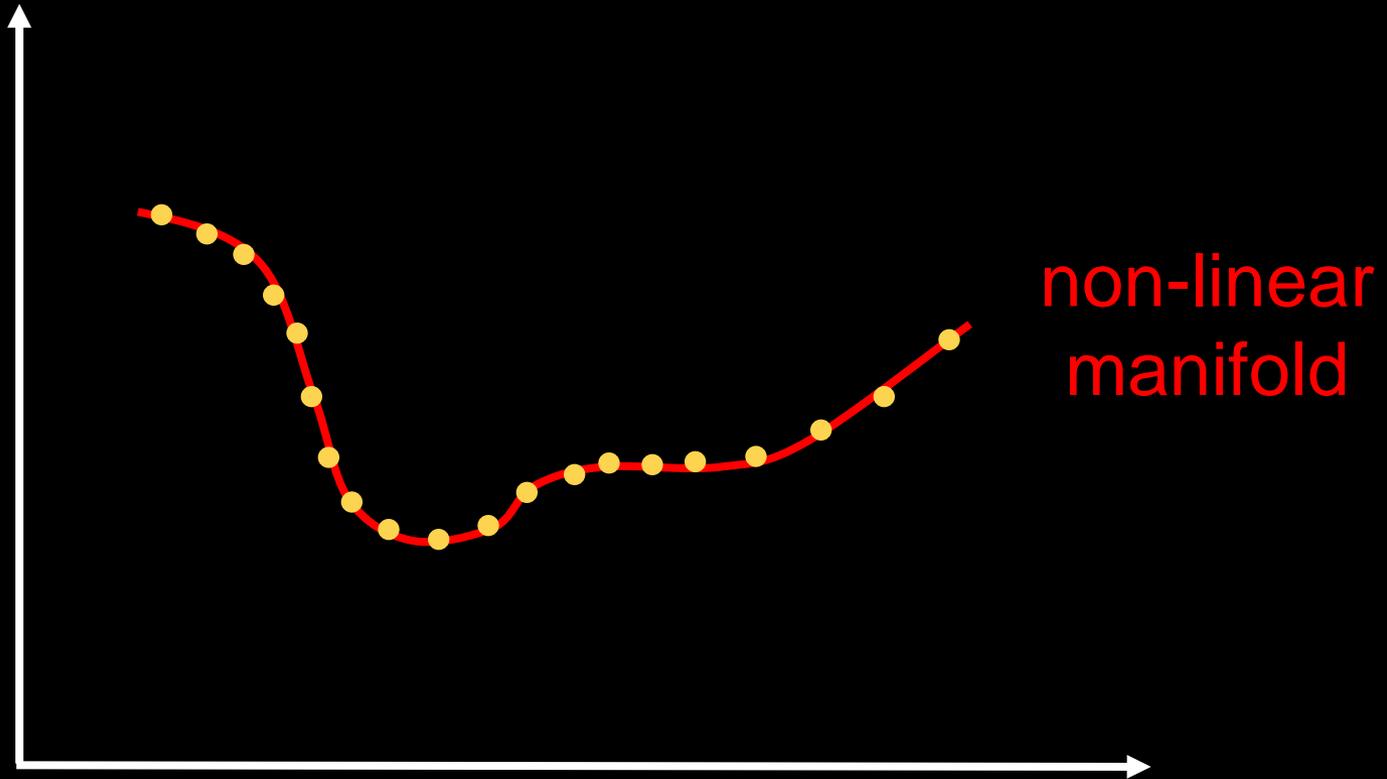


Why does it fail?

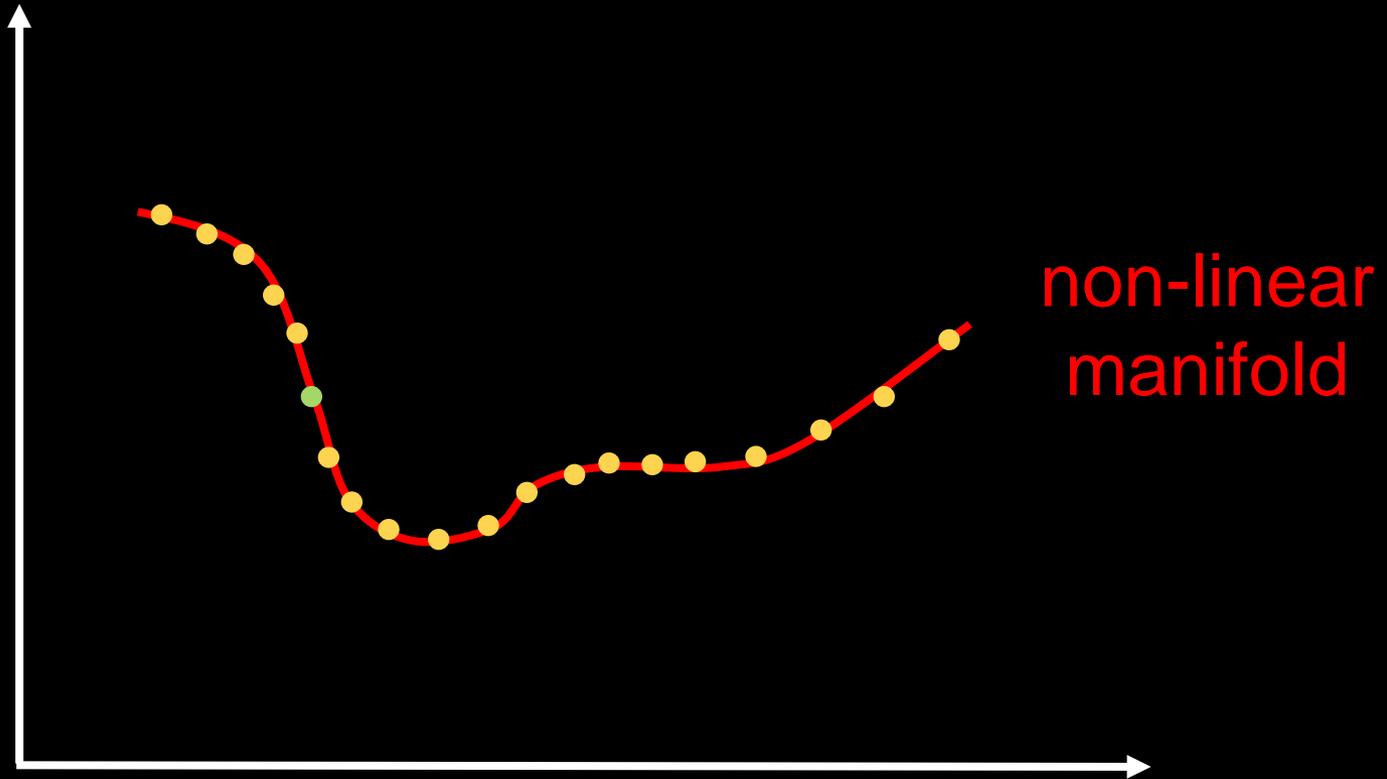


Move a little => fall outside
measured space

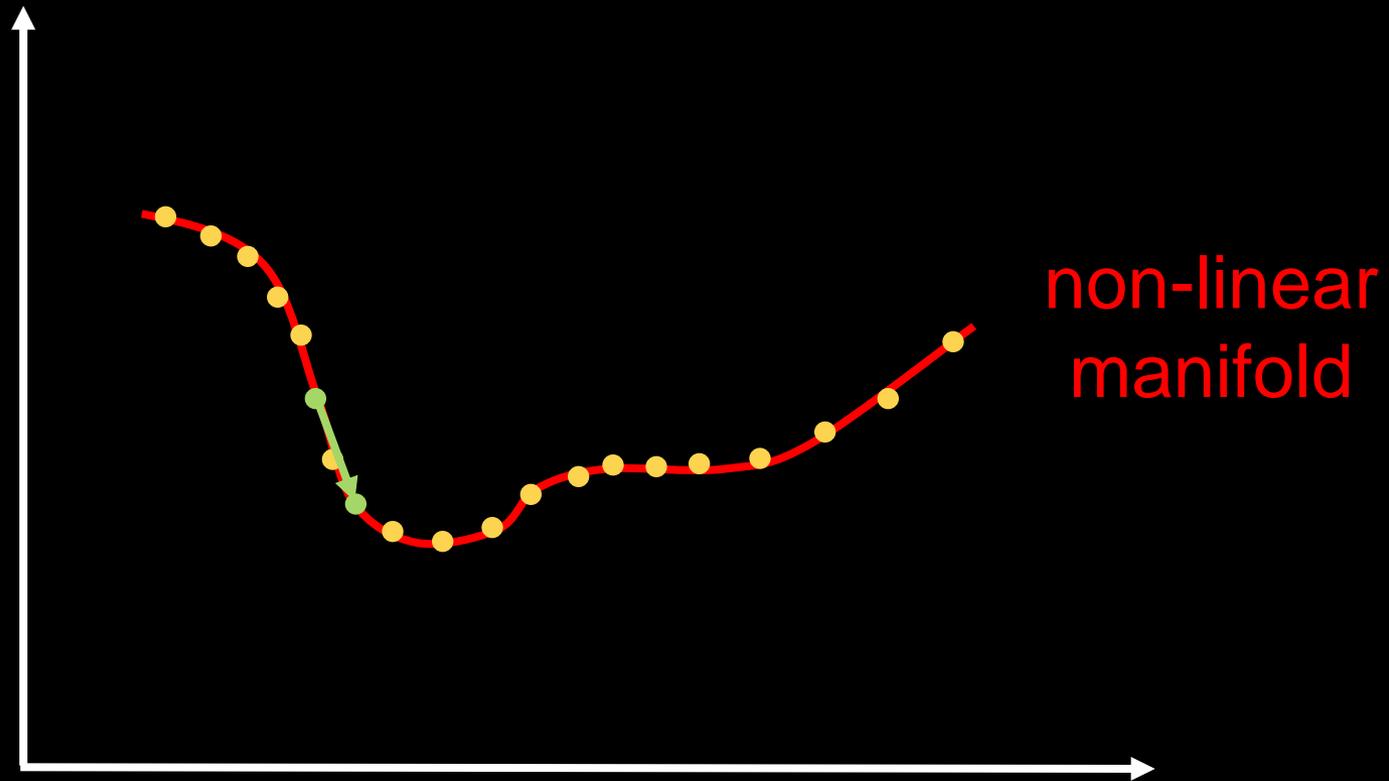
Why does it fail?



Why does it fail?

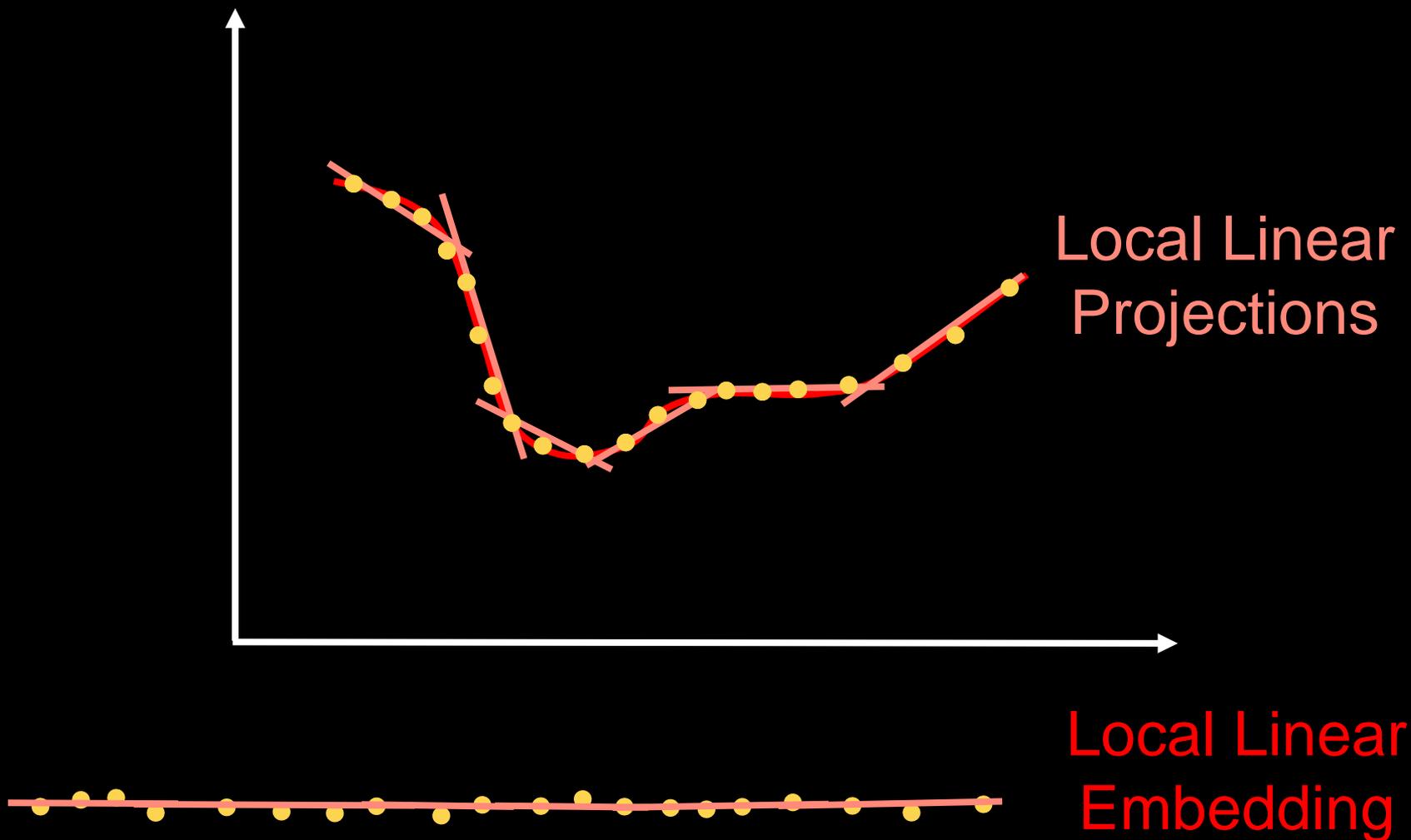


Why does it fail?

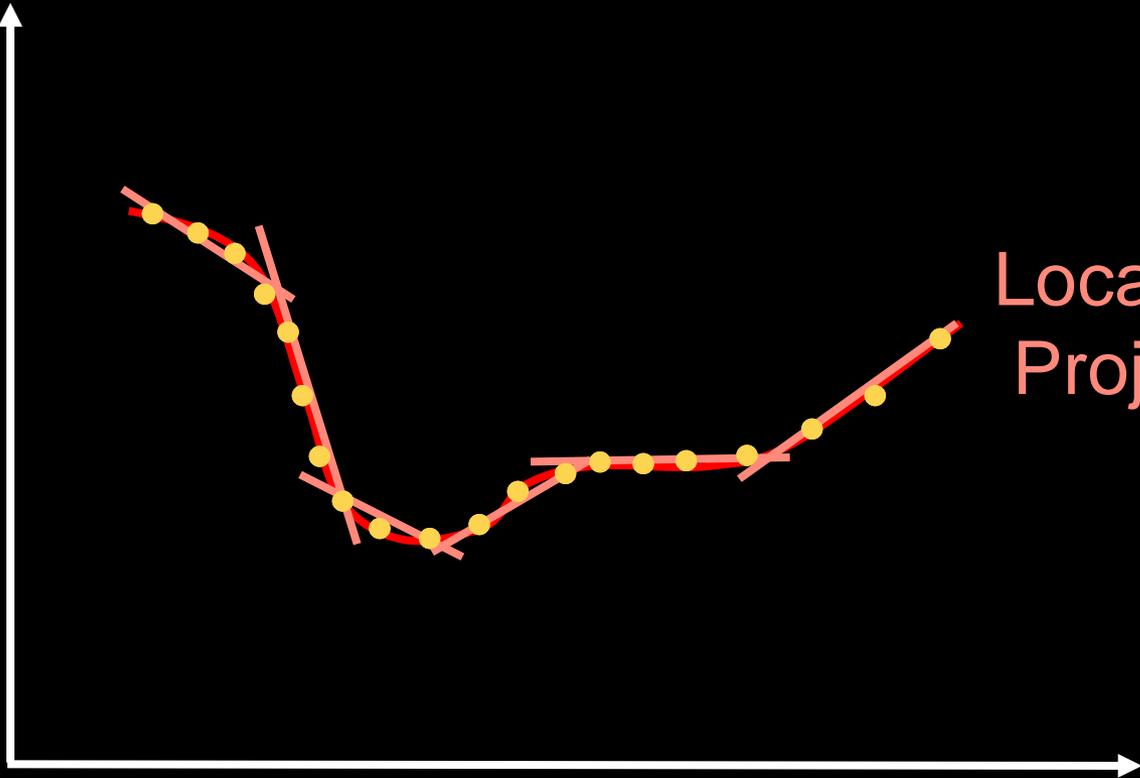


Only move over manifold!

Non-linear Data Analysis

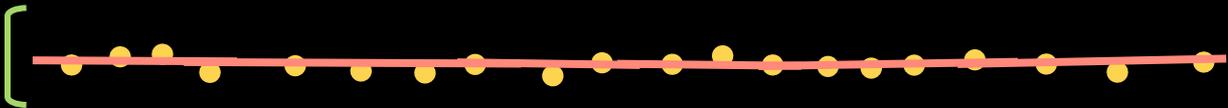


Non-linear Data Analysis



Local Linear Projections

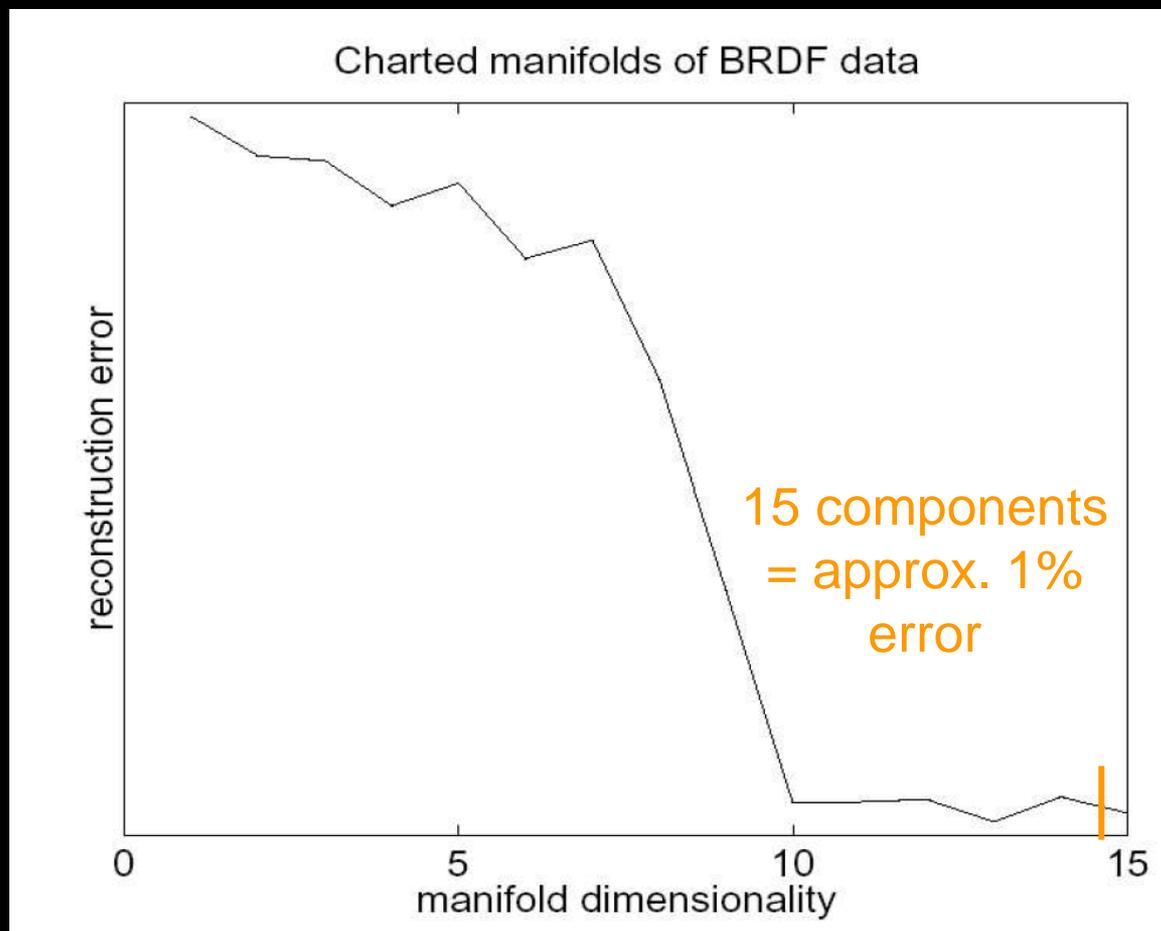
Minimize projection Error



Local Linear Embedding

Non-linear Data Analysis

Charter Method [Brand 2003]: kernel-based mixtures of projections that minimizes distortions of local neighborhoods



Non-linear manifold exploration



BRDFs as Basis Functions

Representing a new BRDF as a linear combination of the 100 measured BRDFs

$$\begin{aligned} & \text{[Brown Sphere]} = \alpha_1 \text{ [Yellow Sphere]} + \alpha_2 \text{ [Blue Sphere]} + \alpha_3 \text{ [Green Sphere]} + \alpha_4 \text{ [White Sphere]} \\ & + \alpha_5 \text{ [Gold Sphere]} + \alpha_6 \text{ [Silver Sphere]} + \dots + \alpha_N \text{ [Black Sphere]} \end{aligned}$$

Solution

Linear equation: $b = Pa$

b = linearized BRDF (4M x 1) (new data)

P = matrix of all BRDFs (4M x 100) (MERL database)

a = unknowns (100 x 1)

Hugely over-constrained
(many more knowns than unknowns)

Alternate randomized solution

- 800 rows from the original P (randomly selected)

$$b' = P'a$$

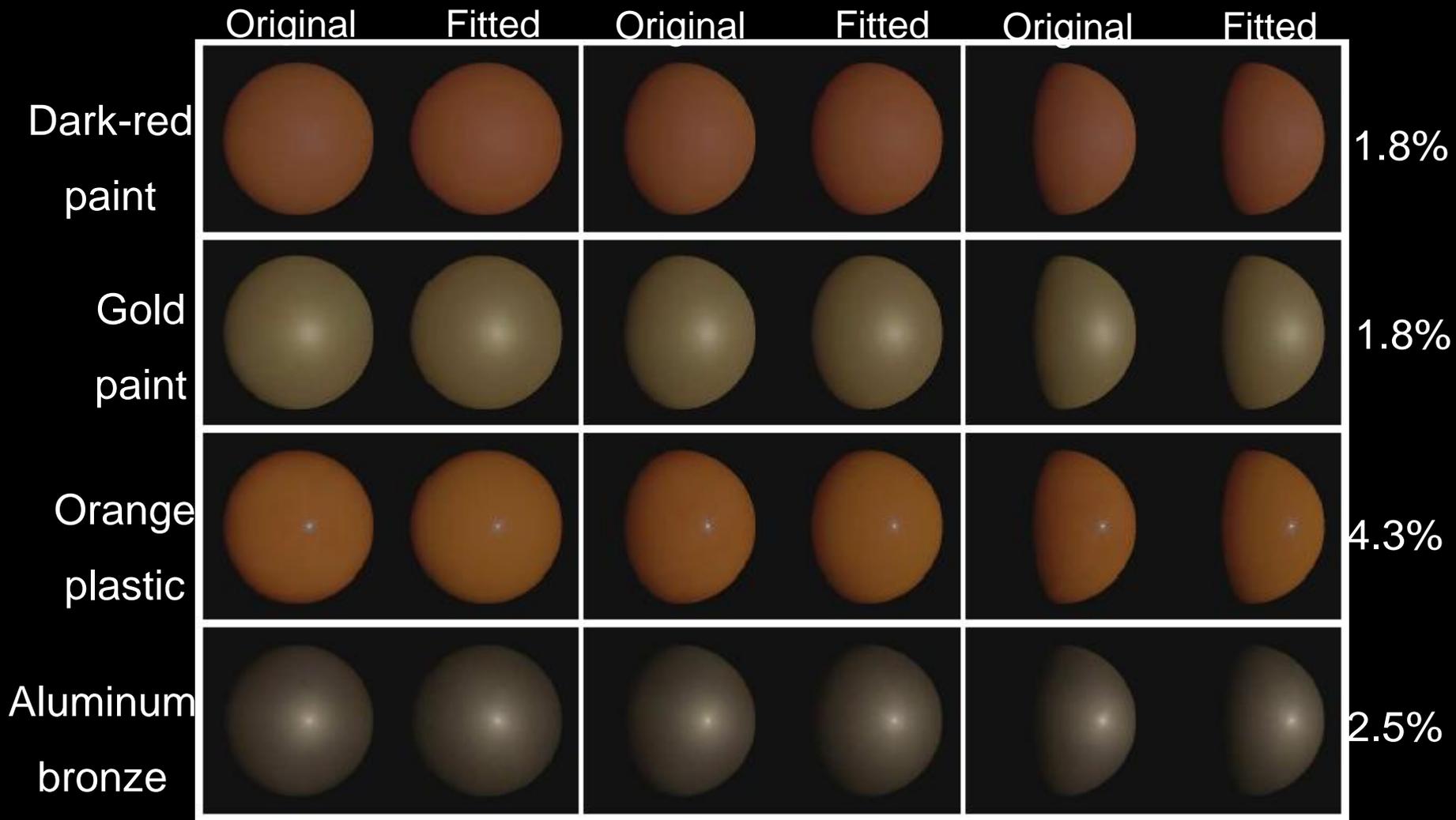
$b' = 800 \times 1$ vector

$P' = 800 \times 100$ vector

$a = 100 \times 1$ vector

- 800 (ω_i, ω_o) samples (measurements)

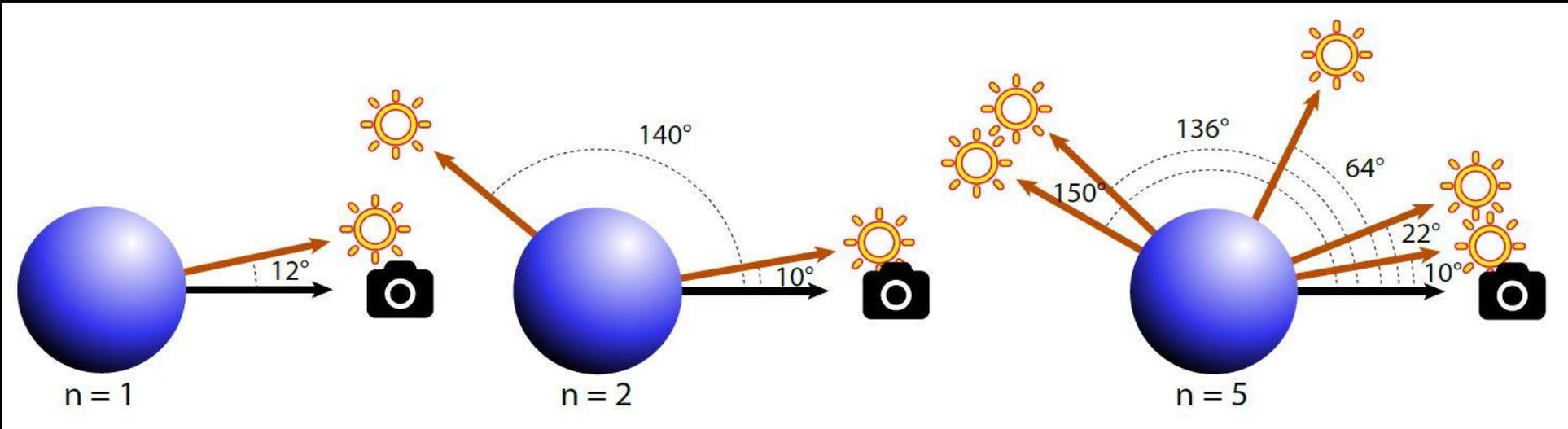
BRDFs as Basis Functions



BRDFs based on 800 samples

Optimal BRDF sampling

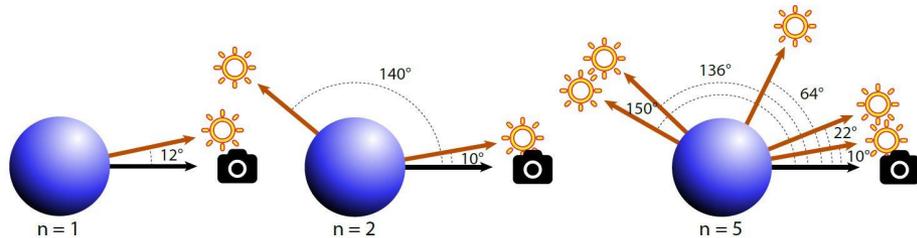
[Neilson et al. 15]



- Up to 5 views sufficient for spherical samples
- Fitting based on projection to space spanned by 100 MERL BRDFs

Optimal BRDF sampling

[Neilson et al. 15]

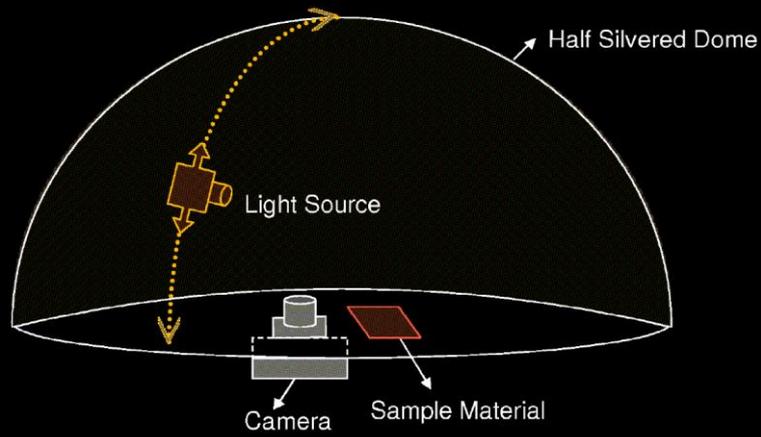


Suggested minimal measurements

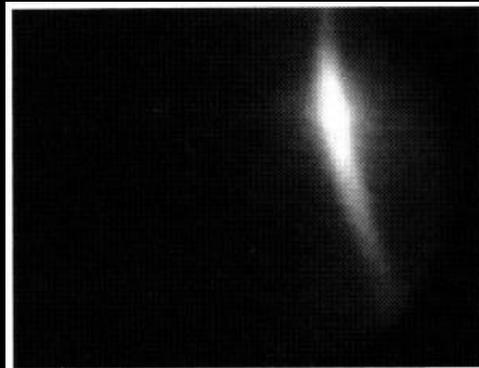
Material	$n = 1$	$n = 2$	$n = 5$	Reference
black-soft-plastic				
blue-acrylic				
blue-metallic-paint2				
green-fabric				
cayman [Cornell]				
garnet-red [Cornell]				
krylon-blue [Cornell]				

Image-based Measurements

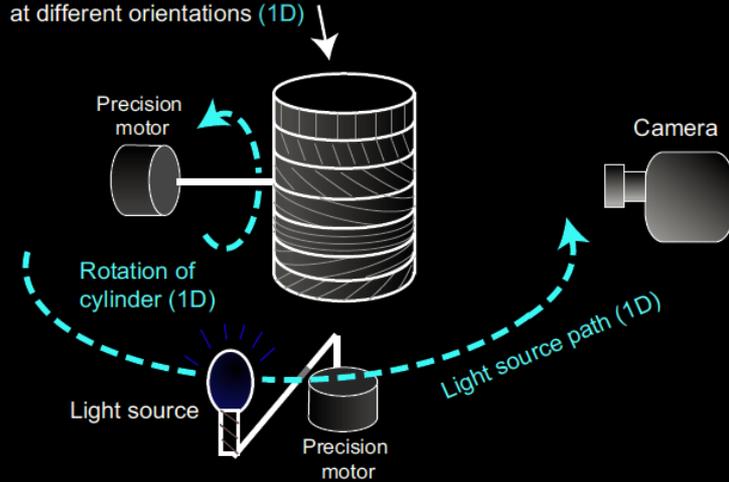
Anisotropic



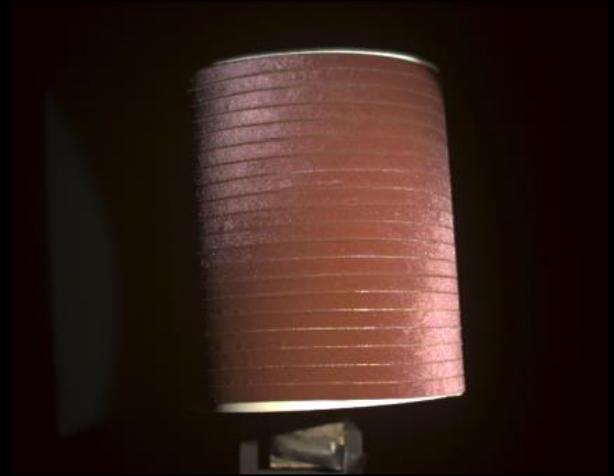
[Ward 92]



Cylinder (1D normal variation)
with stripes of the material
at different orientations (1D)

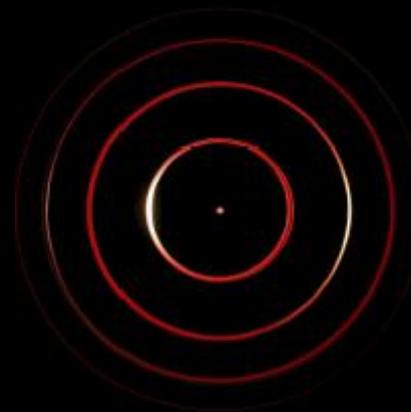
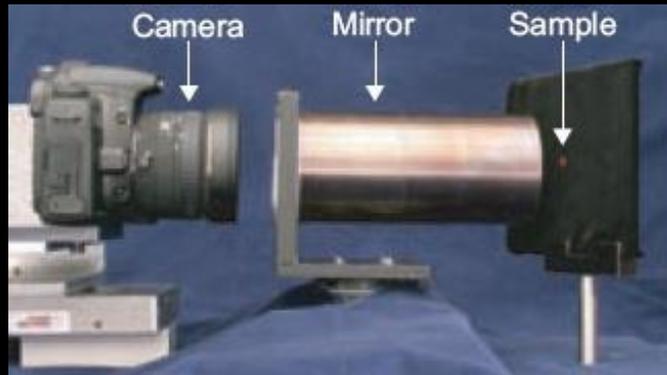
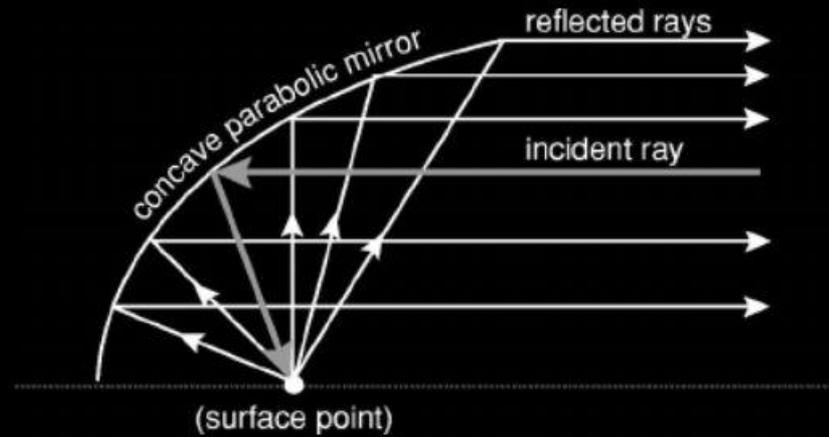
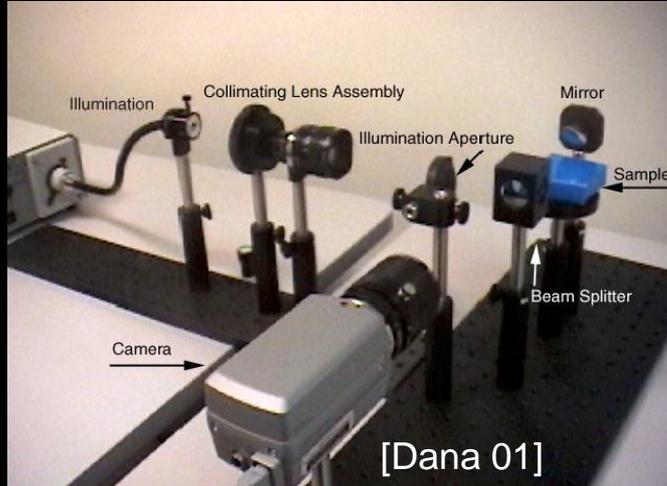


[Ngan et al. 05]



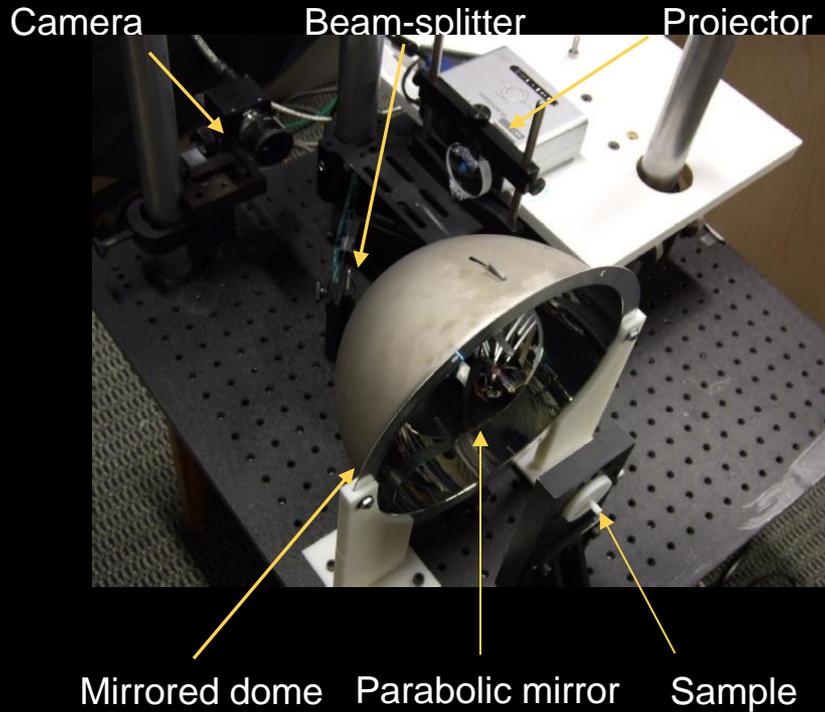
Catadioptric Measurements

Mirrors

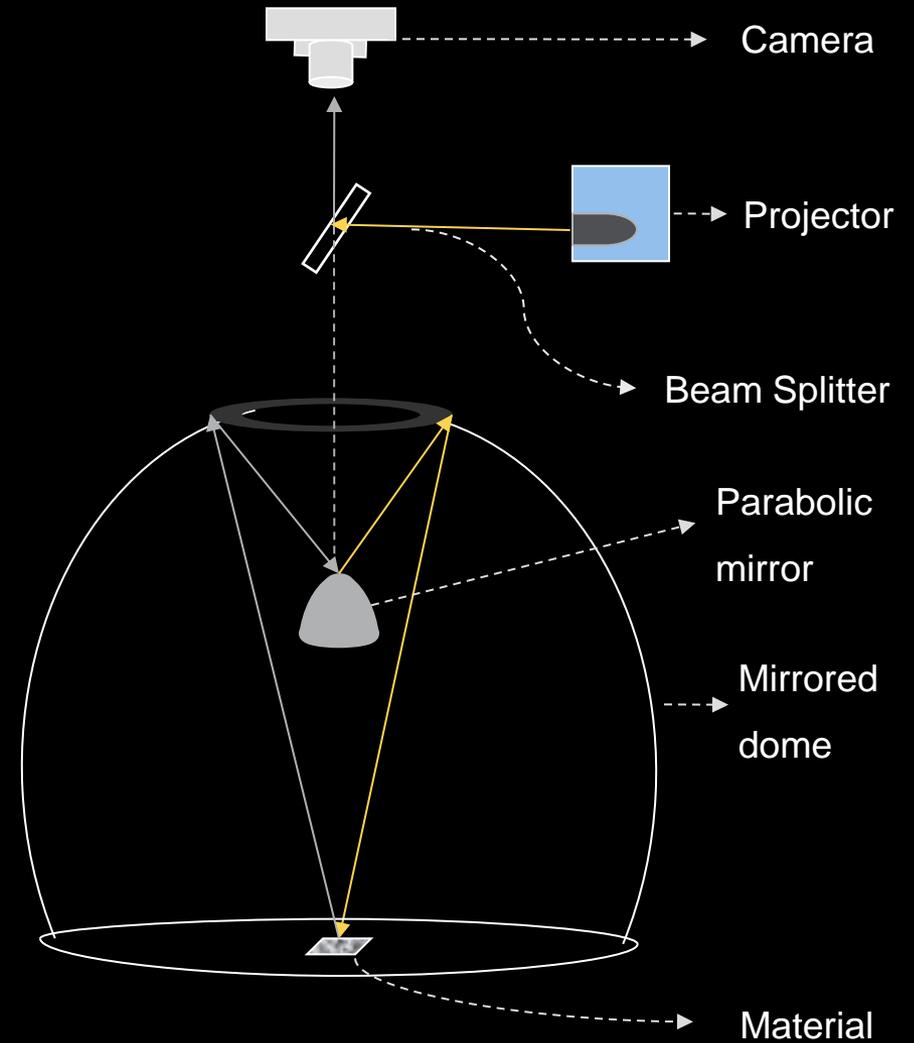


[Kuthirummal&Nayar 06]

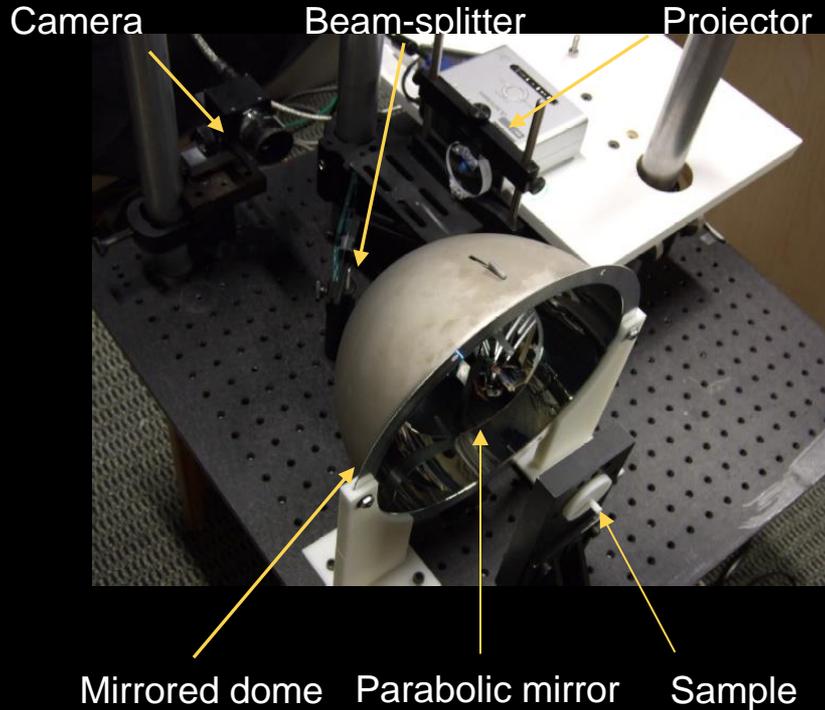
Catadioptric Measurements



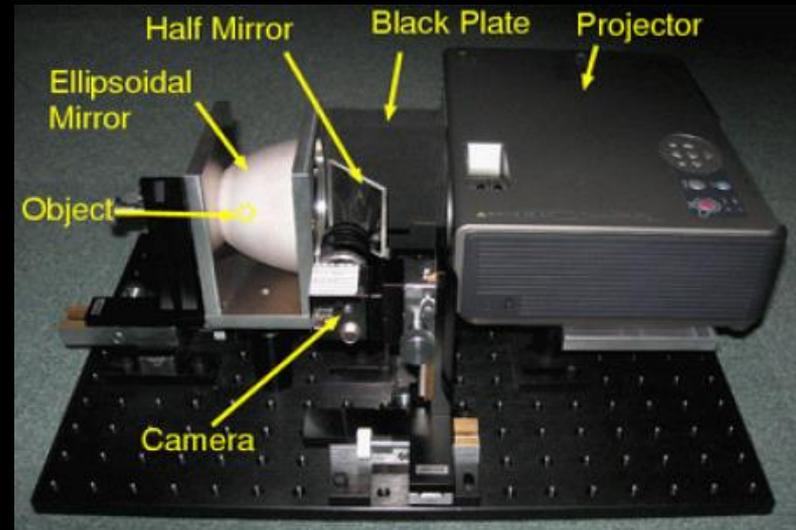
[Ghosh et al. 07]



Catadioptric Measurements



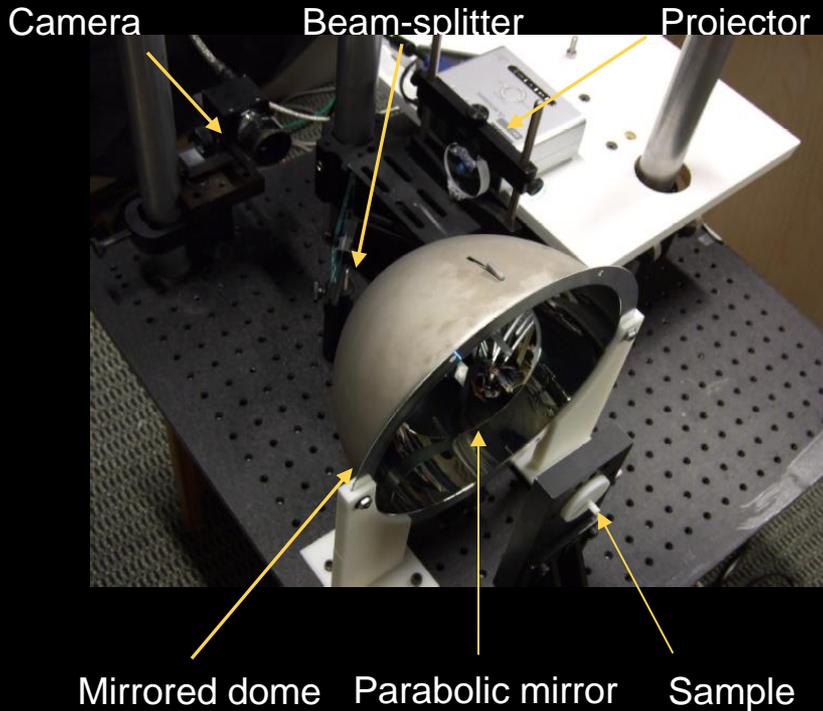
[Ghosh et al. 07]



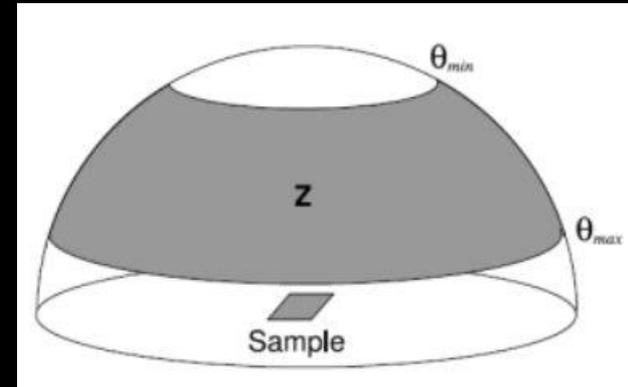
[Mukaigawa et al. 07]

- Mukaigawa et al. point sample the BRDF
- Ghosh et al. project **basis functions**

Basis Illumination



[Ghosh et al. 07]



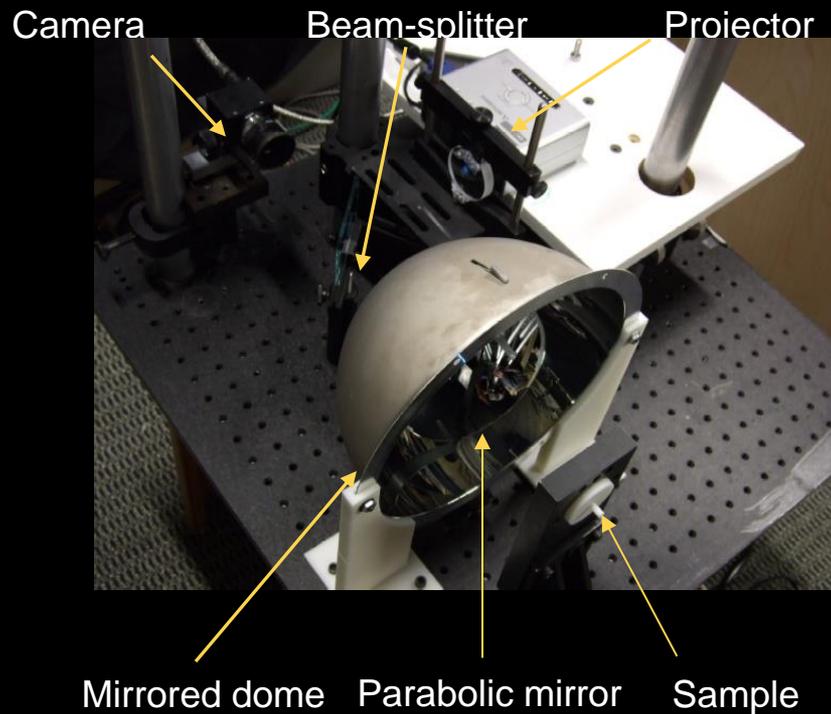
Measurement Zone

$$\hat{f}_r(\omega_i, \omega_o) = f_r(\omega_i, \omega_o) \cos \theta_i \approx \sum_k Z_k(\omega_i) z_k(\omega_o),$$

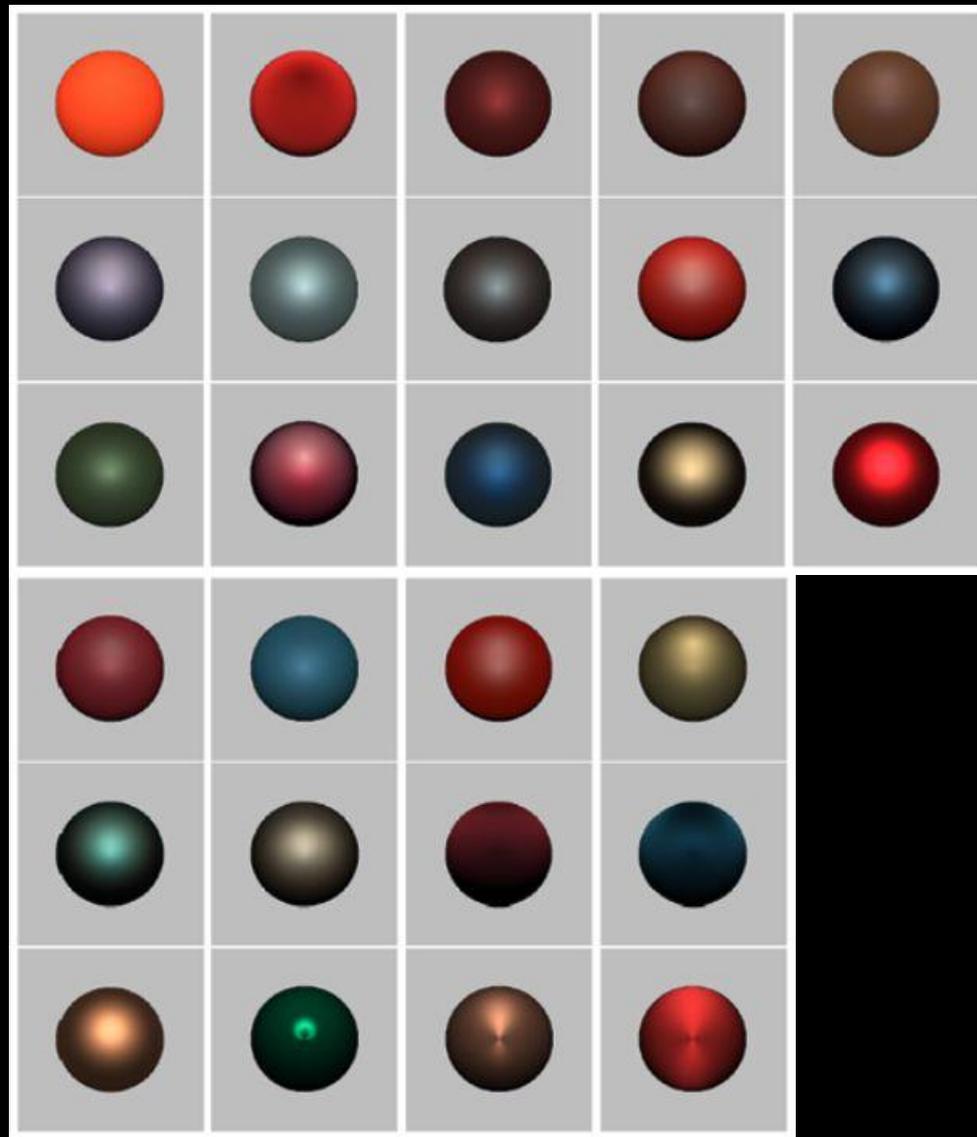
$$z_k(\omega_o) = \int_{\mathbf{Z}} Z_k(\omega_i) f_r(\omega_i, \omega_o) \cos \theta_i d\omega_i.$$

- Zonal basis functions (related to spherical harmonics)
- Coefficients of BRDF in the basis recorded

Basis Illumination



[Ghosh et al. 07]



- Zonal basis functions (related to spherical harmonics)
- Coefficients of BRDF in the basis recorded

SVBRDF (Spatially Varying BRDFs)



SVBRDF

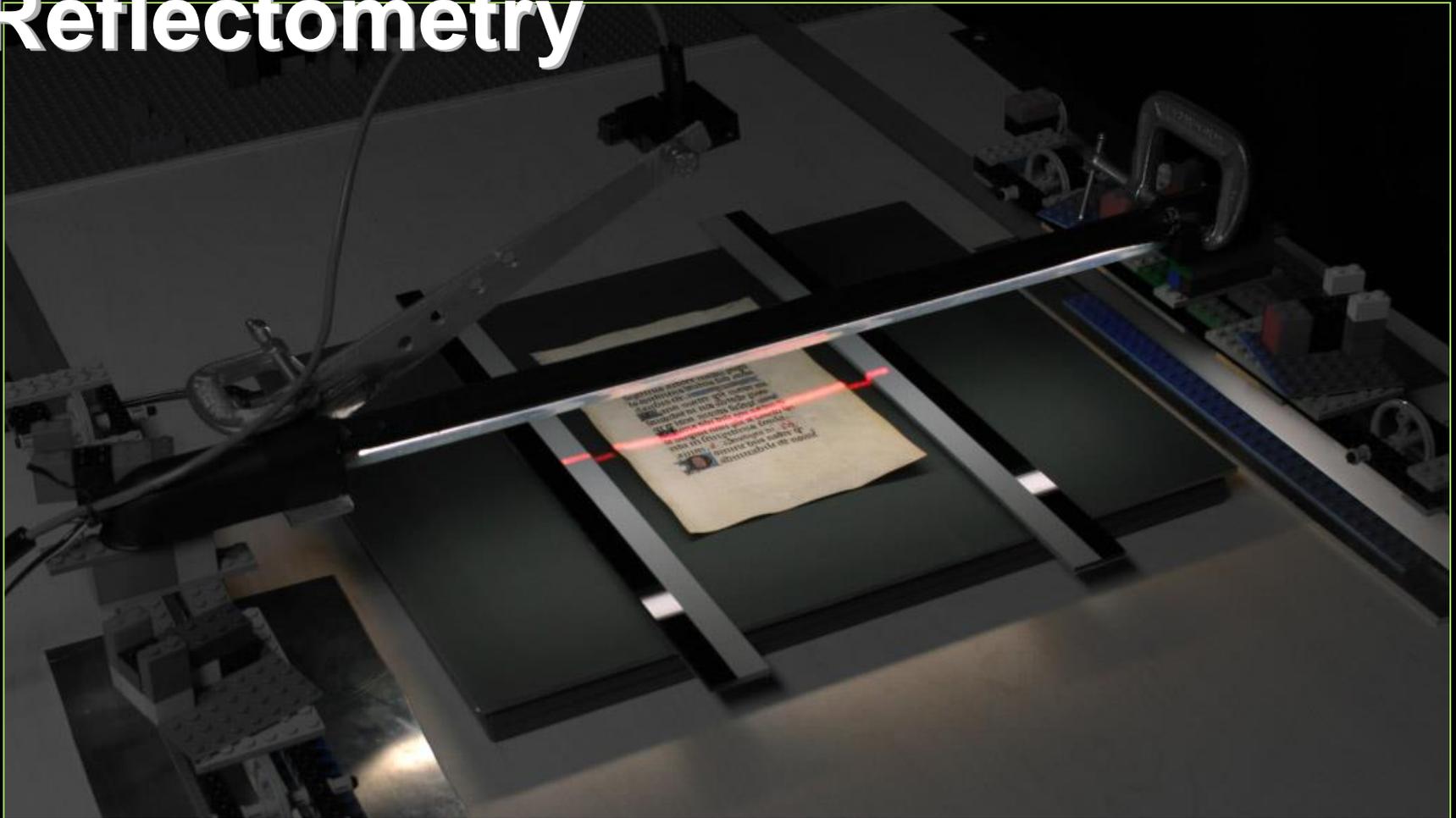
- 6D function (Surface position, incident, exitant)
- Planar surfaces
- Many independent surface points with different BRDFs
- Not a simple texture!



Question

- How to efficiently capture and model?
 - Analytic
 - Data-driven
 - Statistical/Frequency domain modeling

Linear Light Source Reflectometry



Andrew Gardner, Chris Tchou, Tim Hawkins,
and Paul Debevec, SIGGRAPH 2003

Linear Light Source Reflectometry



+

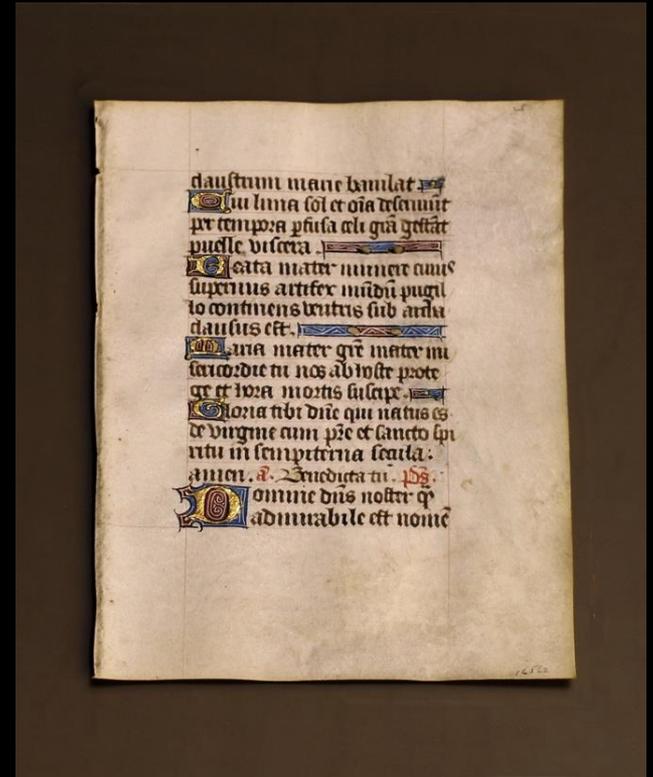


=



Legos

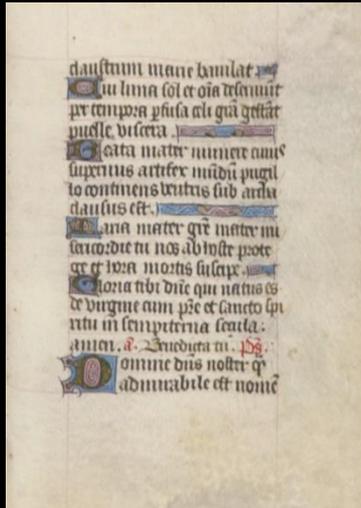
+



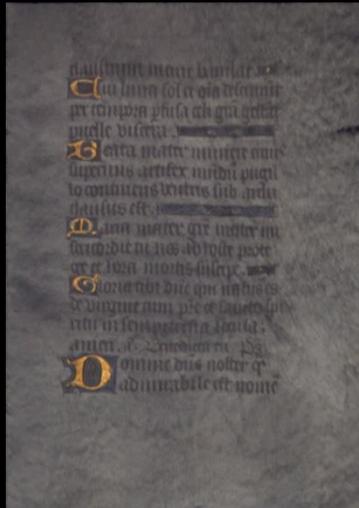
SVBRDF
sample

Linear light
source

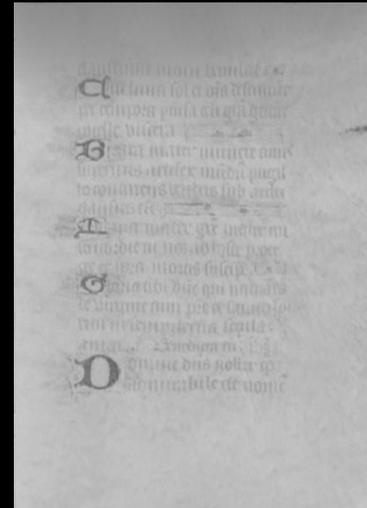
SVBRDF Parameters



Diffuse Intensity



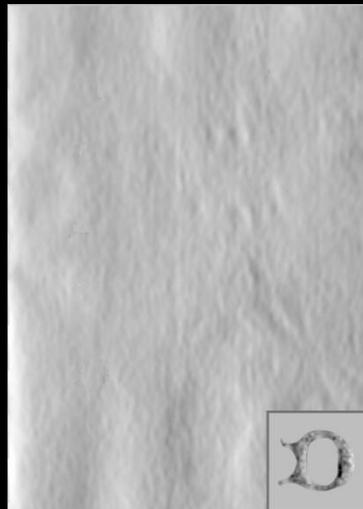
Specular Intensity



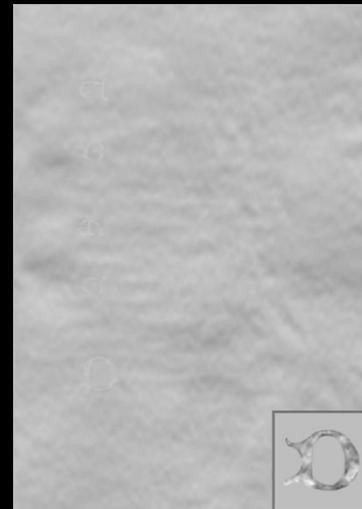
Specular Roughness



Translucency



Normals (X & Y gradients)



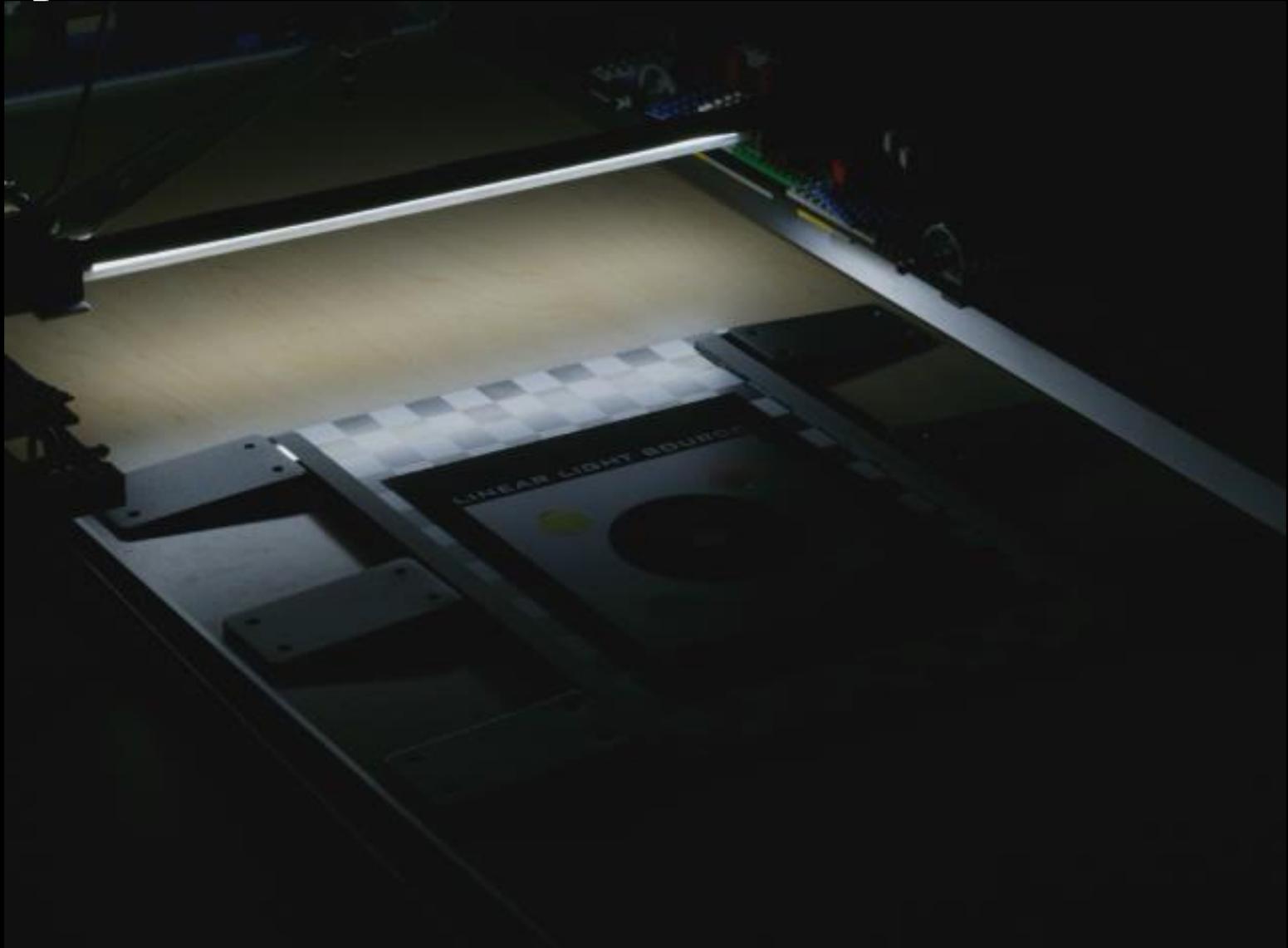
Displacement

Motivation: Linear Light Source



- Fewer images needed to cover planar samples with linear light source
- Dynamic range compression compared to point light source
 - can be photographed with single exposure instead of HDR
- Simple machinery of linear 1D translation to cover entire sample

Capture



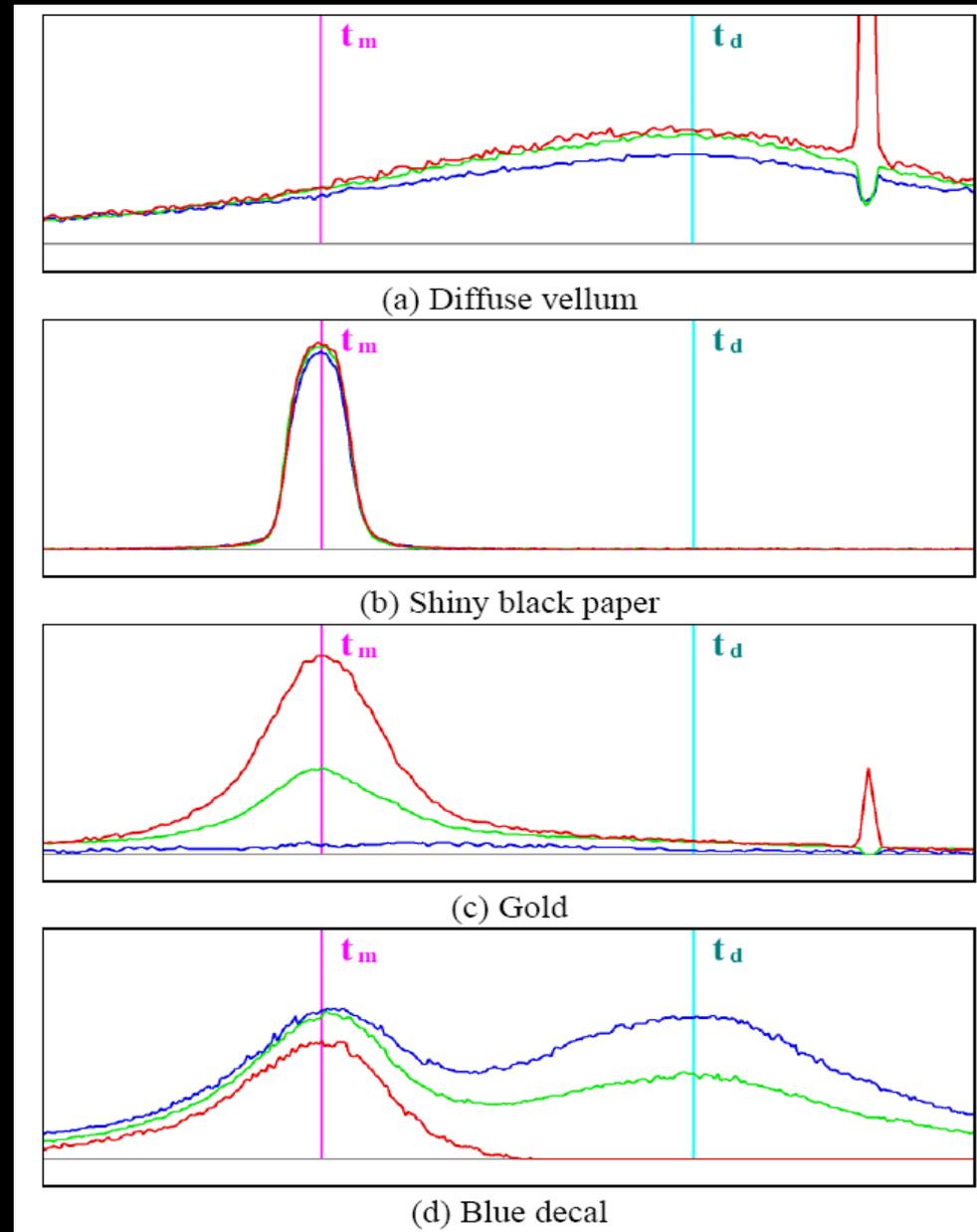
Reflectance trace for each pixel

X-axis: time (light motion)

Y-axis: reflectance

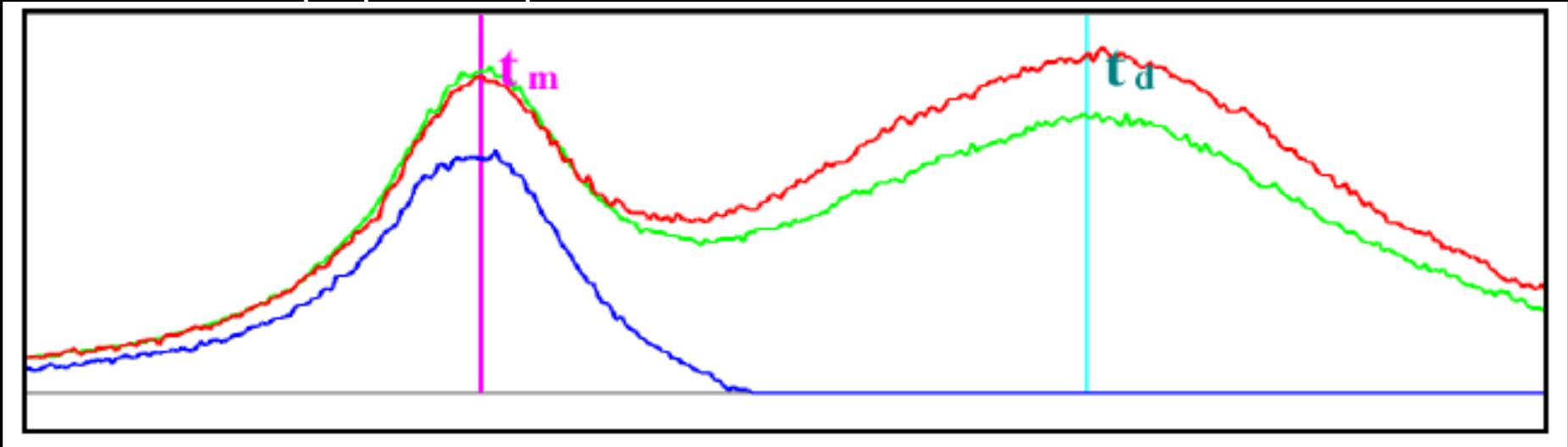
Diffuse peak t_d coincides with light aligned with surface normal

Specular peak t_m coincides with light aligned with mirror reflection



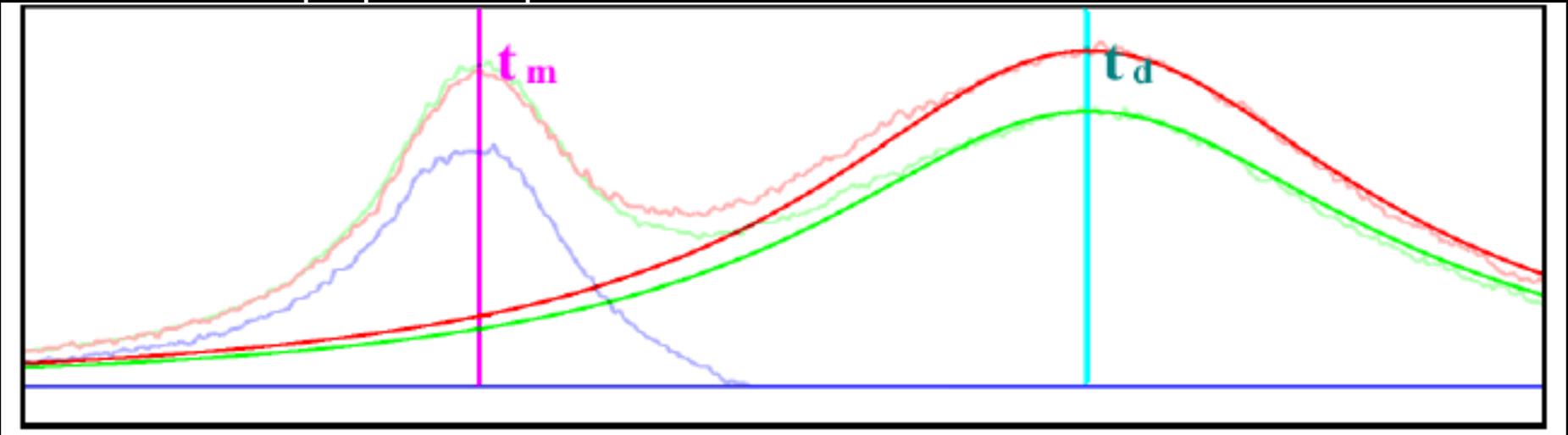
BRDF Fitting

1. Fit diffuse
2. Subtract diffuse
3. Estimate mean and variance of specular
4. Look-up specular parameters



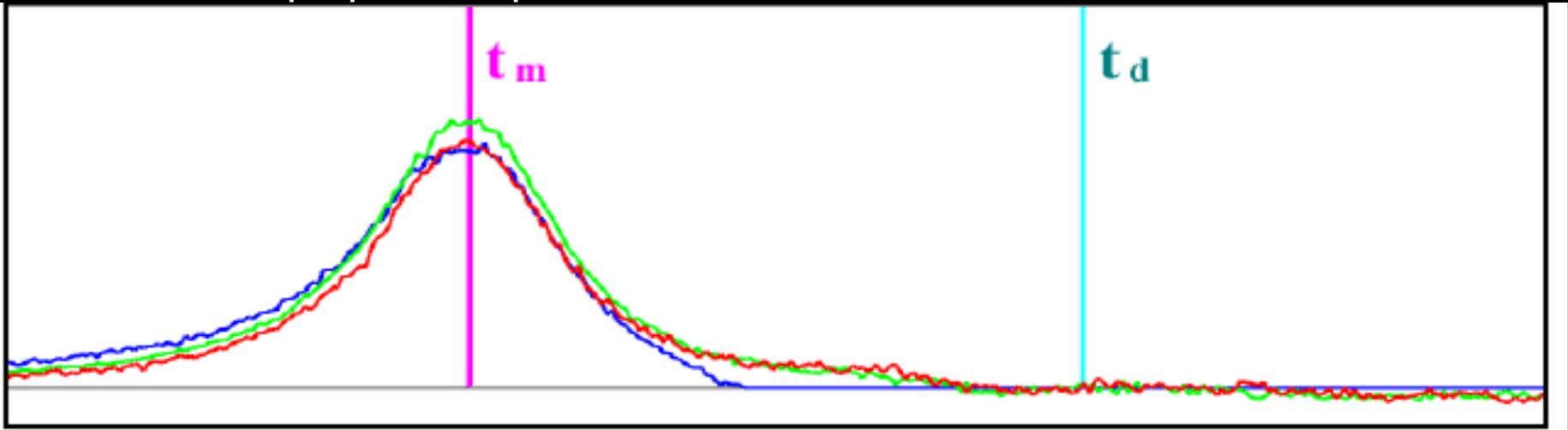
BRDF Fitting

1. Fit diffuse
2. Subtract diffuse
3. Estimate mean and variance of specular
4. Look-up specular parameters



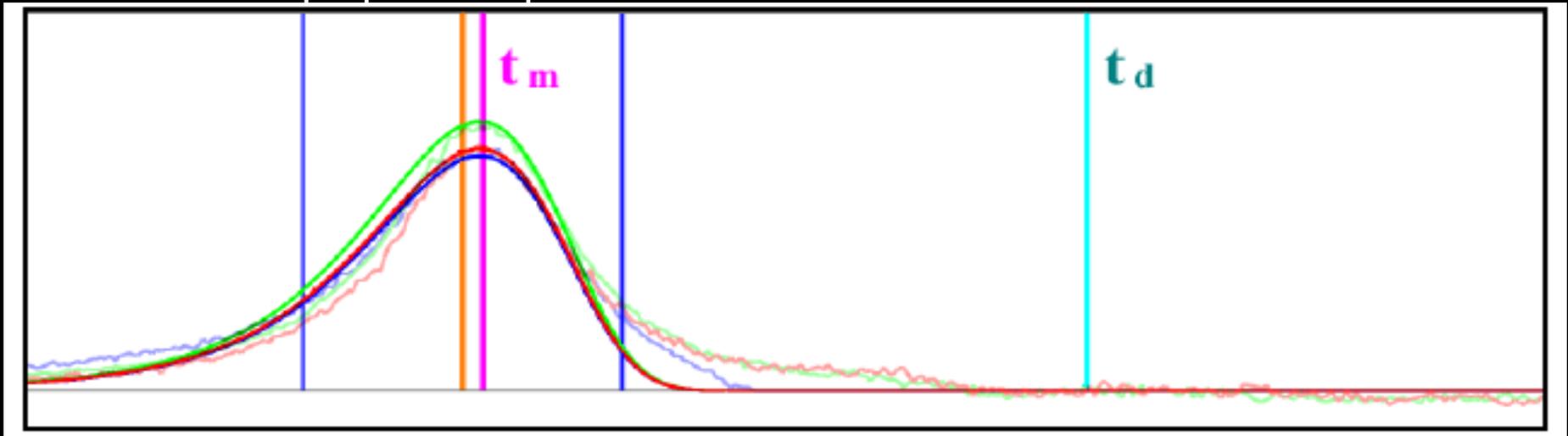
BRDF Fitting

1. Fit diffuse
2. Subtract diffuse
3. Estimate mean and variance of specular
4. Look-up specular parameters



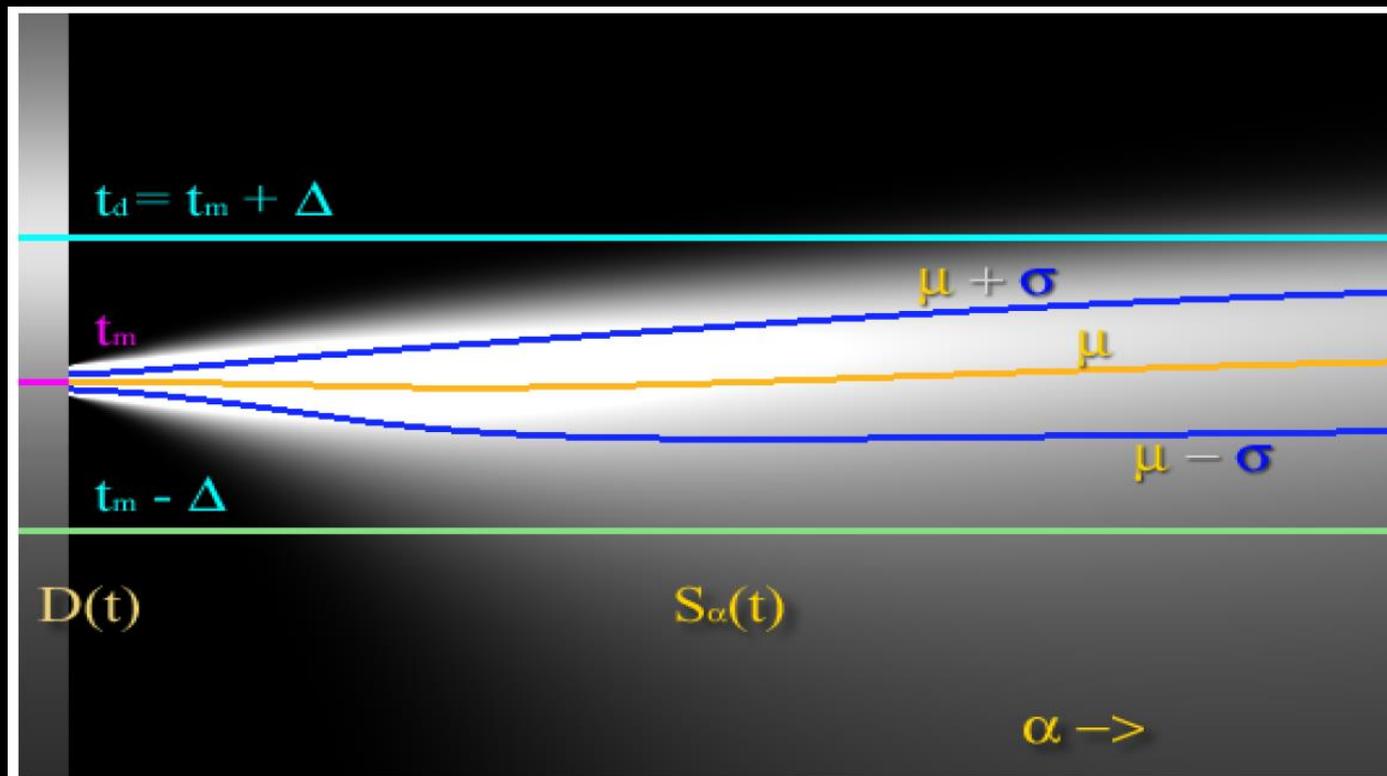
BRDF Fitting

1. Fit diffuse
2. Subtract diffuse
3. Estimate mean and variance of specular
4. Look-up specular parameters

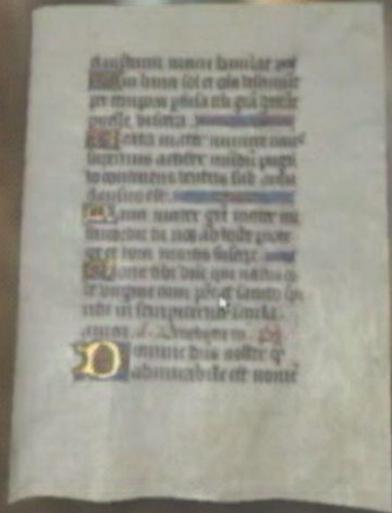


BRDF Fitting

1. Fit diffuse
2. Subtract diffuse
3. Estimate mean and variance of specular



Results



Pocket Reflectometry



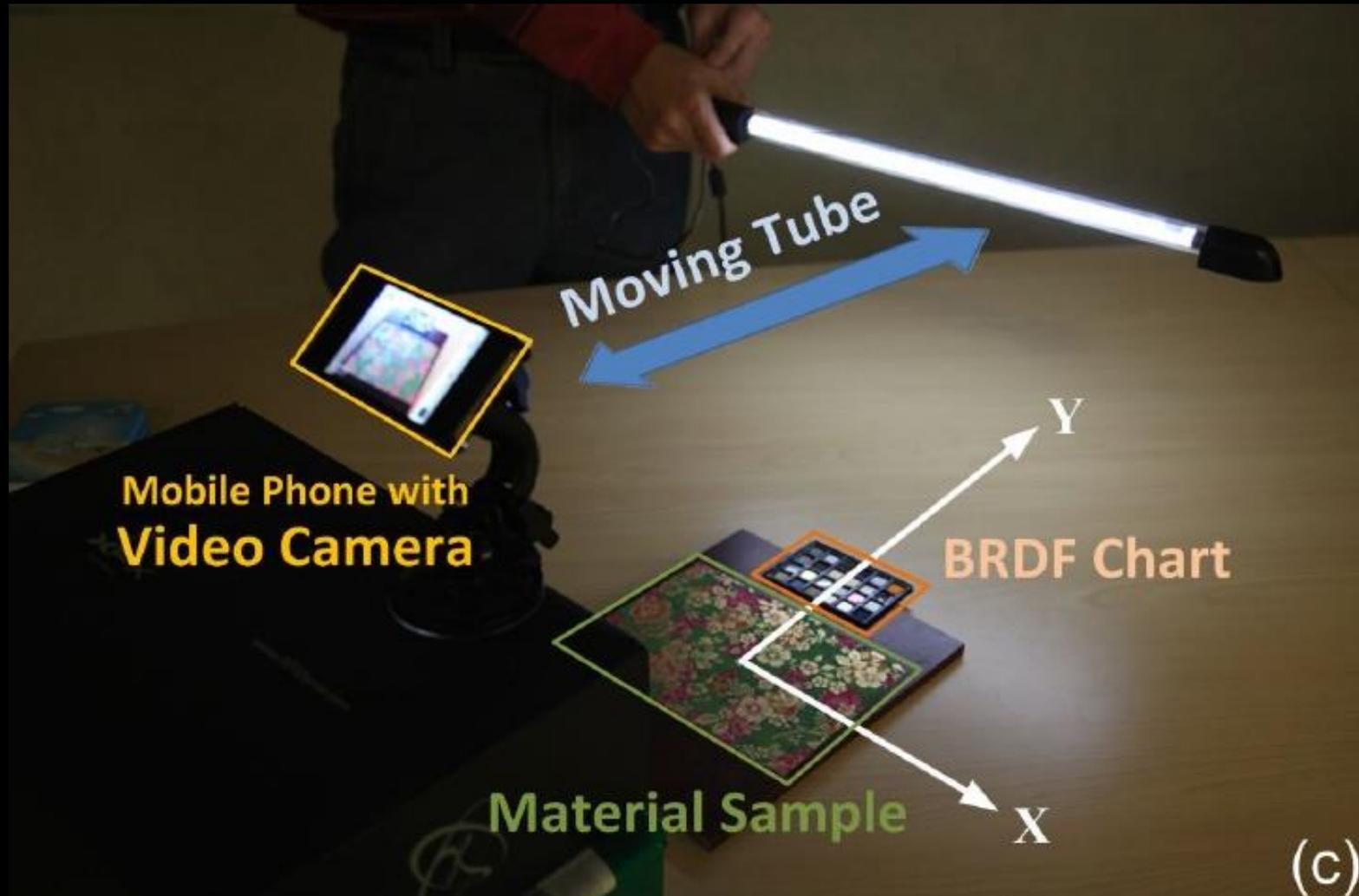
+



+



Pocket Reflectometry

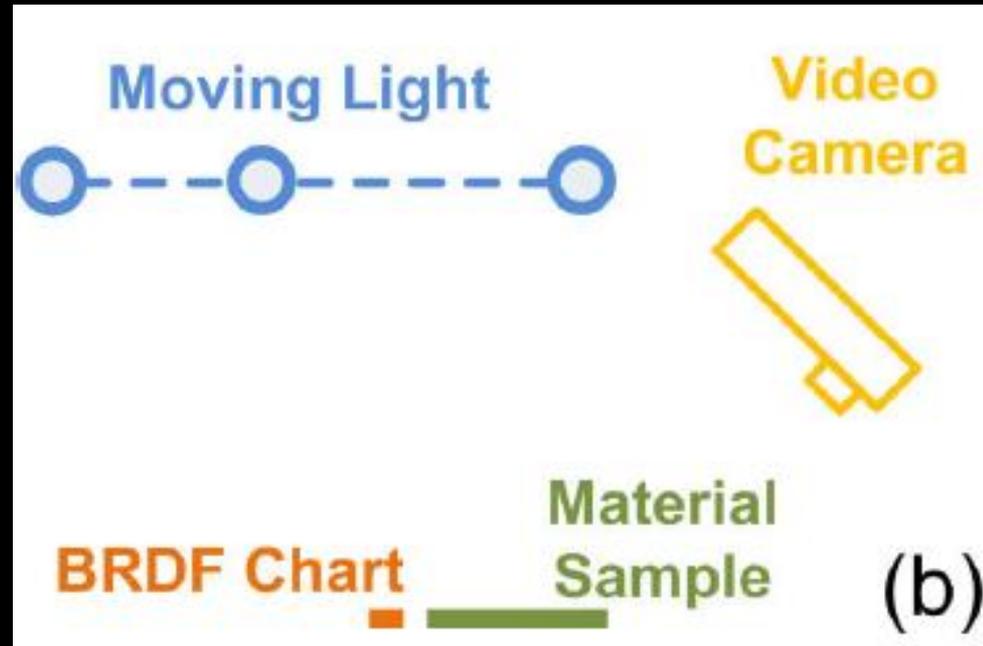


BRDF chart

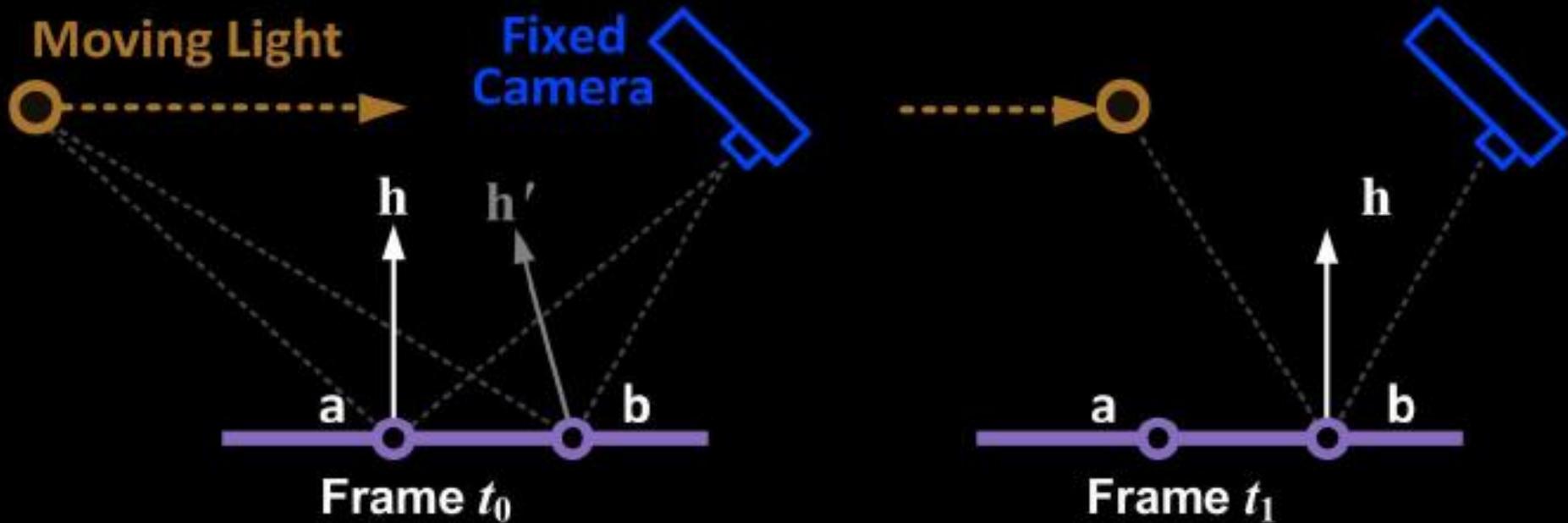


plaster	silver paint	rubber	polished acrylic	aluminium	fluorescent paint
matte tape	black paper	polished resin	bronze	bronze metallic paint	acrylic
plastic	brass	coated metallic paint	polyethylene	red metallic paint	alumina
80% Spectralon	leather	matte golden paint	alum-bronze	tinfoil	lactoprene

Pocket Reflectometry

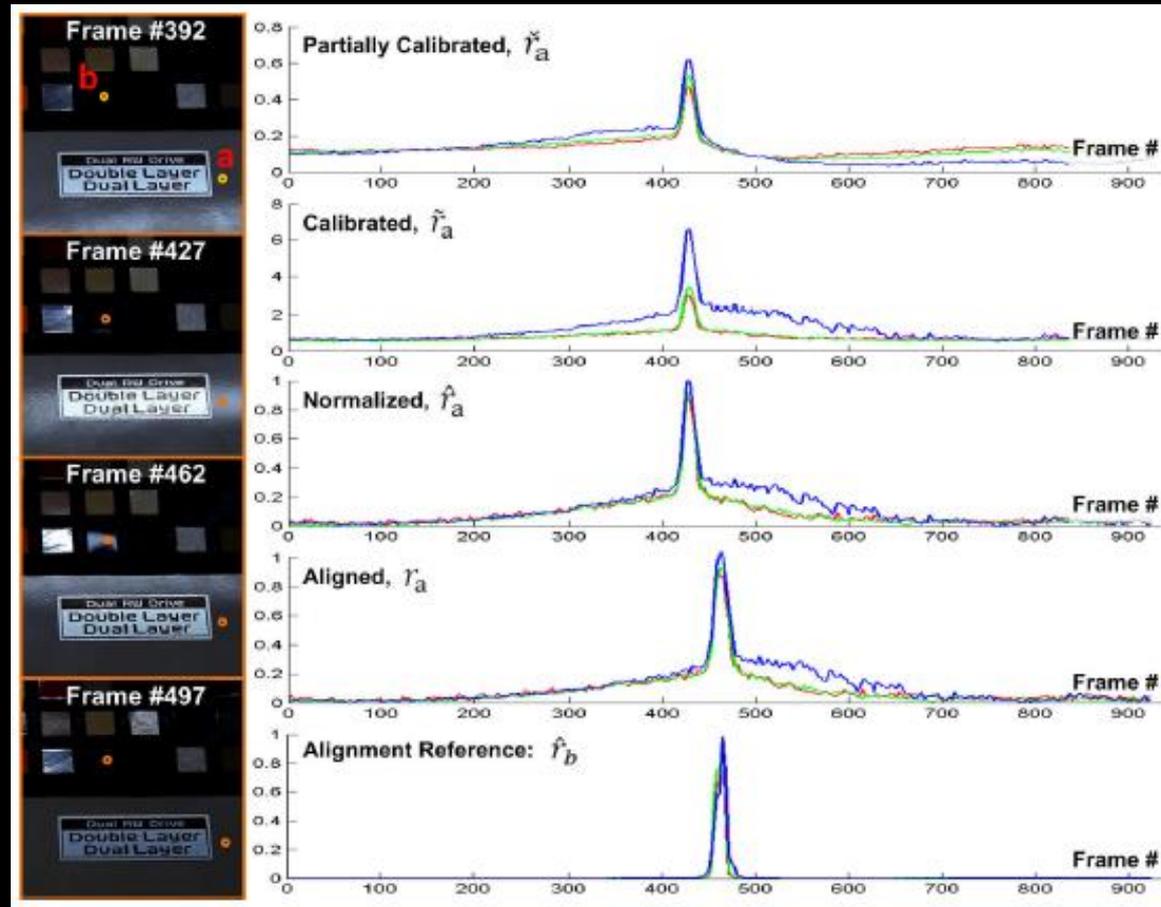
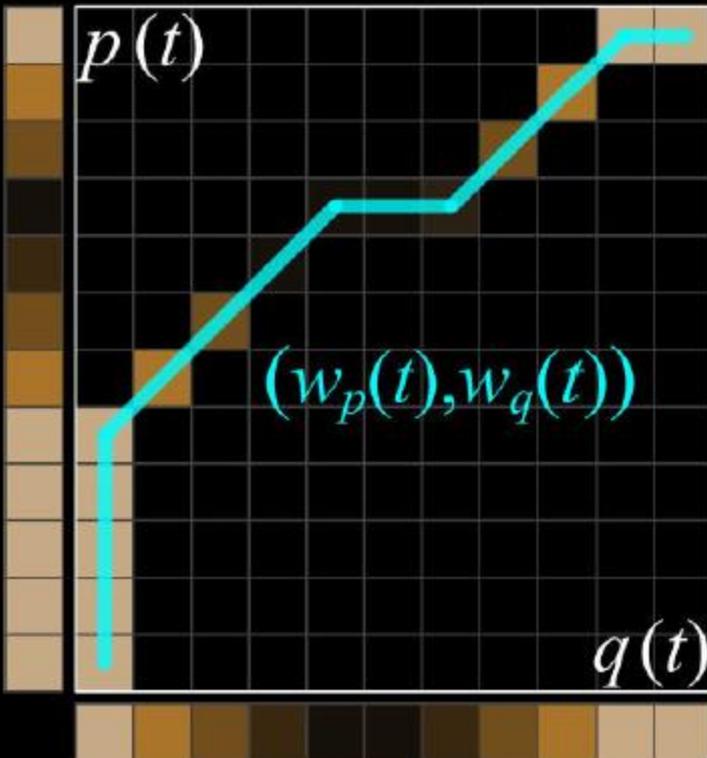


Time-shift compensation



- Different surface points will have their peaks at different time (frame)
- Reflectance trace of BRDF chart cannot be directly compared with sample

Dynamic time warping



- Alignment of reflectance traces of BRDF chart with sample

Reflectance estimation from chart

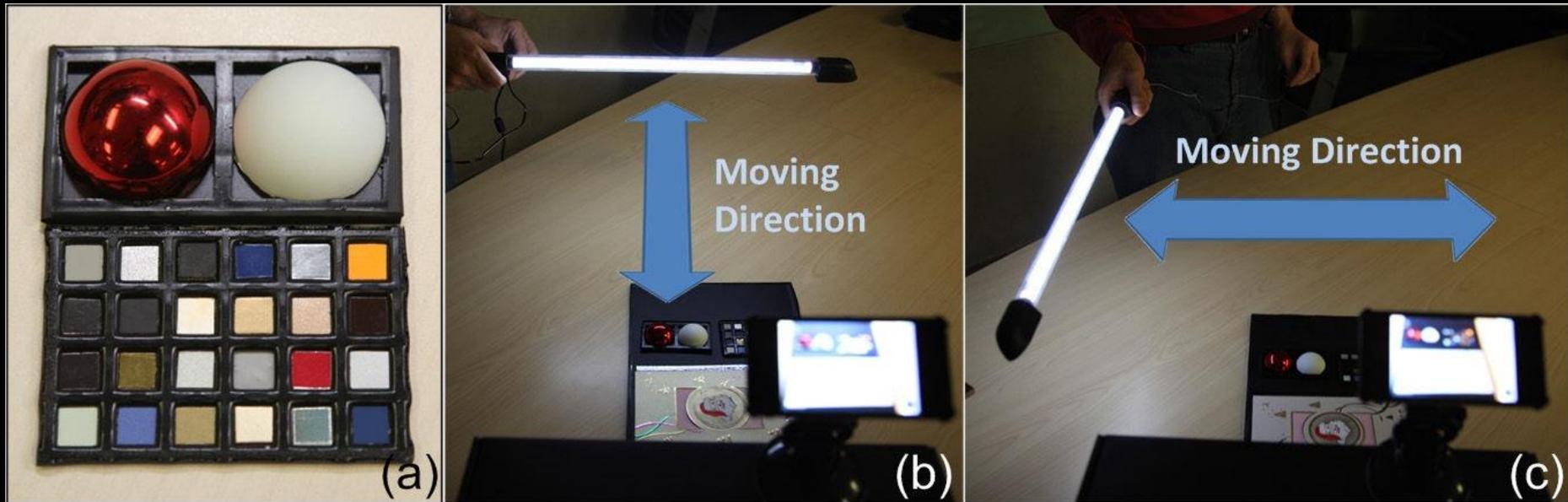
$$\mathbf{r} = d \mathbf{a} + s \mathbf{b},$$

$$a(t) = \int_{\Omega^+} L_t(\mathbf{i}) \alpha(\mathbf{i}, \mathbf{o}) (\mathbf{n} \cdot \mathbf{i}) d\mathbf{i}, \quad b(t) = \int_{\Omega^+} L_t(\mathbf{i}) \beta(\mathbf{i}, \mathbf{o}) (\mathbf{n} \cdot \mathbf{i}) d\mathbf{i},$$

$$\min_{u_0, u_1, \dots, u_k} \left\| \mathbf{r} - u_0 \mathbf{a} - \sum_{j=1}^k u_j \mathbf{b}_j \right\|, \quad u_j \geq 0, \quad \mathbf{b}_j \in \Phi(\mathbf{r})$$

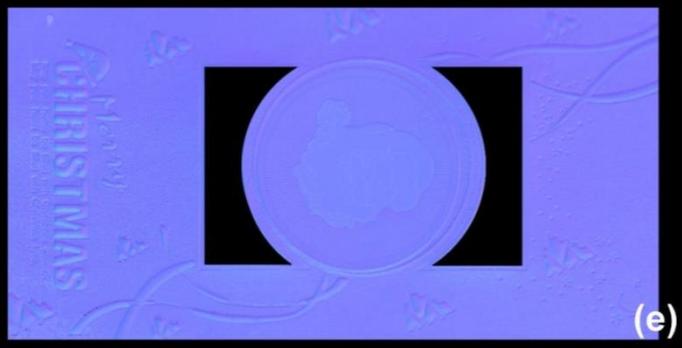
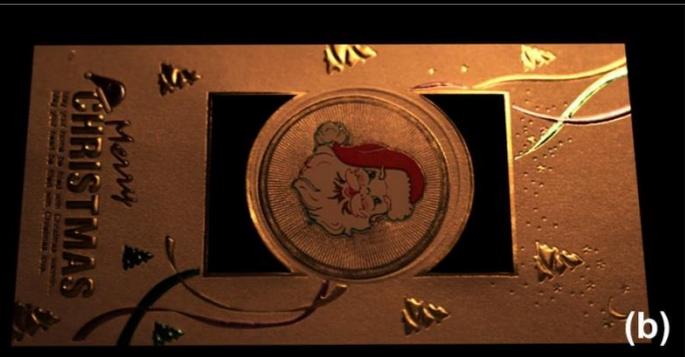
- a diffuse BRDF with albedo d
- b specular BRDF with parameters s
- Instead of direction estimation of s, estimate a linear combination of k exemplar BRDFs in BRDF chart

Bumpy surface estimation

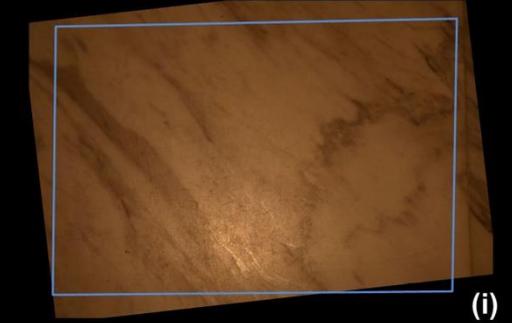


- Compute surface normal as intersection of two orthogonal passes of light source to estimate X & Y components of surface normals
- Assumption mostly flat surface, so no need to estimate z component

Bumpy surface results



Flat surface results



Real Photo in Incandescent Bulb

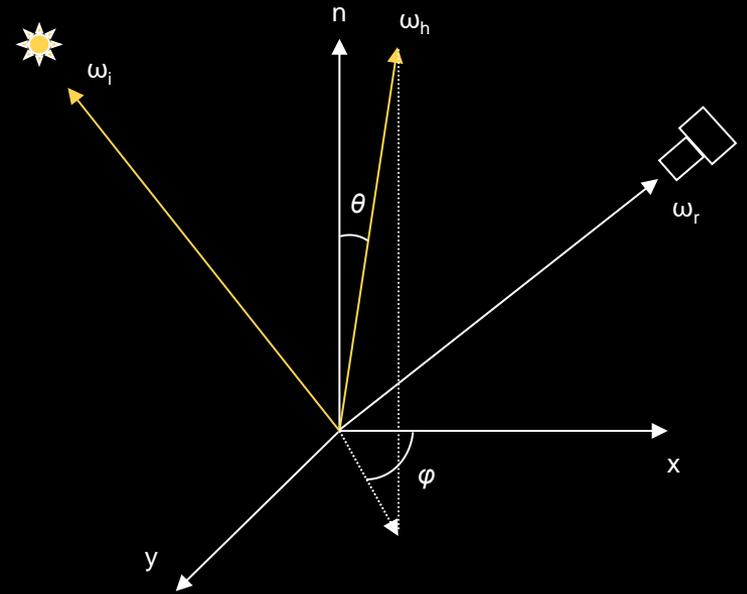
Rendering Result in Incandescent Bulb

Rendering Results in Natural Environmental Lighting

Measure and fit

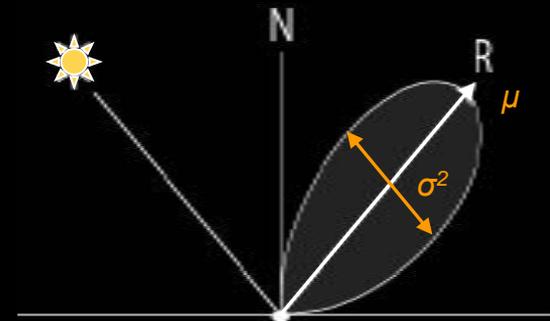
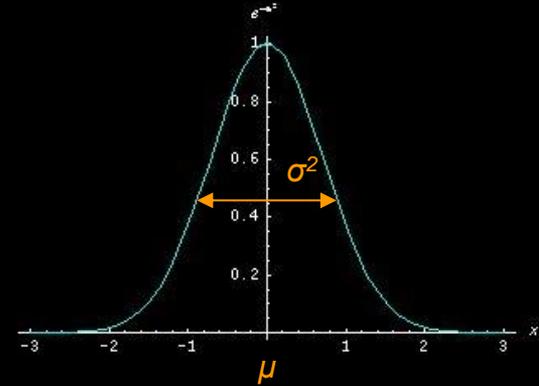
- Analytic BRDF models
 - albedo
 - specular roughness
 - normal and tangent directions

- Is **DIRECT** estimate possible?



2nd order statistics of reflectance [Ghosh et al. 09]

- Specular reflection
 - measure of **variance σ^2** about **mean μ**
 - reflection vector and specular roughness
 - computational illumination for optical measurement of reflectance statistics!



0th, 1st & 2nd moments

- In 1D, the moments of $f(x)$:
 - total energy α
 - mean μ
 - variance σ^2

$$\alpha = \int \mathbf{f}(x) dx = L_0,$$

$$\begin{aligned}\mu &= \int x \frac{\mathbf{f}(x)}{\alpha} dx, \\ &= \frac{1}{\alpha} \int x \mathbf{f}(x) dx = \frac{L_1}{L_0},\end{aligned}$$

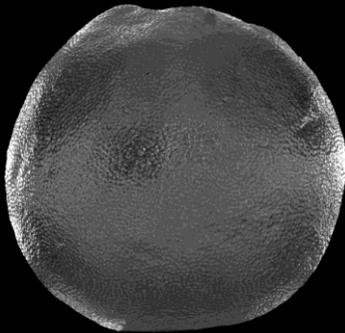
$$\begin{aligned}\sigma^2 &= \int (x - \mu)^2 \frac{\mathbf{f}(x)}{\alpha} dx, \\ &= \frac{L_2}{L_0} - \frac{L_1^2}{L_0^2}.\end{aligned}$$

0th spherical moment

parallel



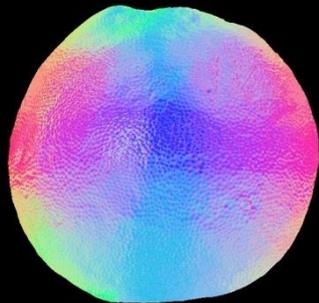
cross



α

$$L_0 = \int_{\Omega} \mathbf{f}(\vec{\omega}) d\vec{\omega},$$

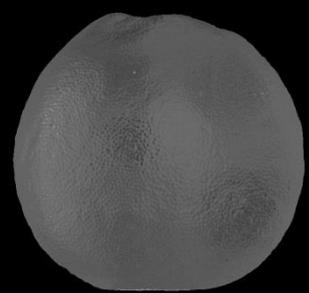
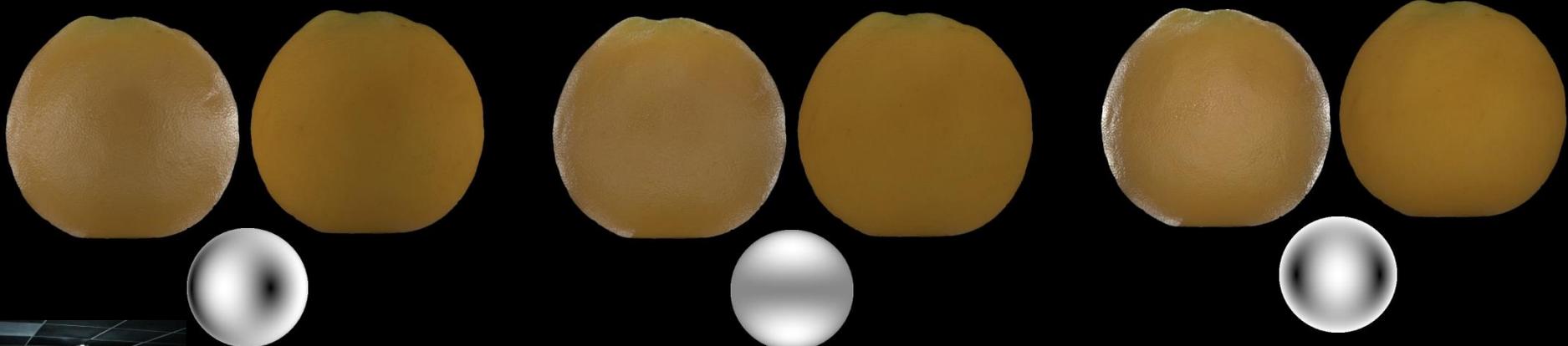
1st spherical moment



μ

$$L_1 = \int_{\Omega} \vec{\omega} \mathbf{f}(\vec{\omega}) d\vec{\omega},$$

2nd spherical moment

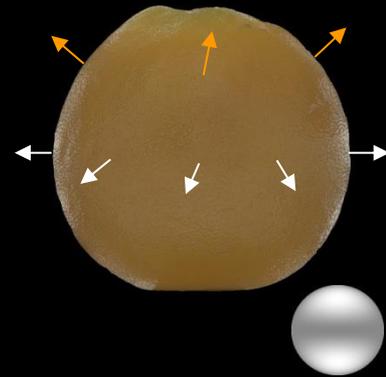


$$L_2 = \int_{\Omega} \vec{\omega} \vec{\omega}^T \mathbf{f}(\vec{\omega}) d\vec{\omega},$$

σ^2

Need to compute statistics in local shading frame!

- Isotropic material

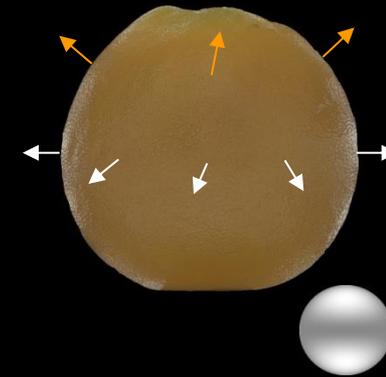
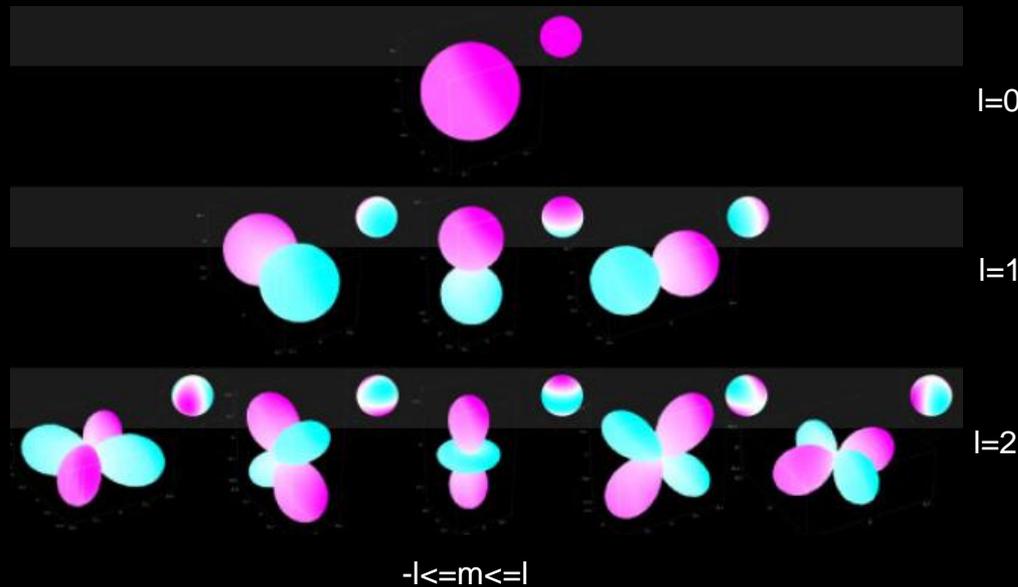


- Anisotropic material



normal
tangent
bitangent

Spherical harmonics



normal
tangent
bitangent

- Steerable spherical basis
 - SH basis can be rotated over the 3D sphere
- Capture reflectance with fixed SH patterns
 - Computation steering in post-process for rotations

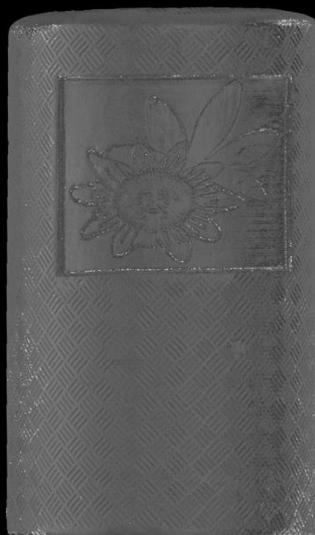
Spherical harmonics



- Anisotropic material

– σ_x^2 and σ_y^2

Isotropic reflectance



spec. normal

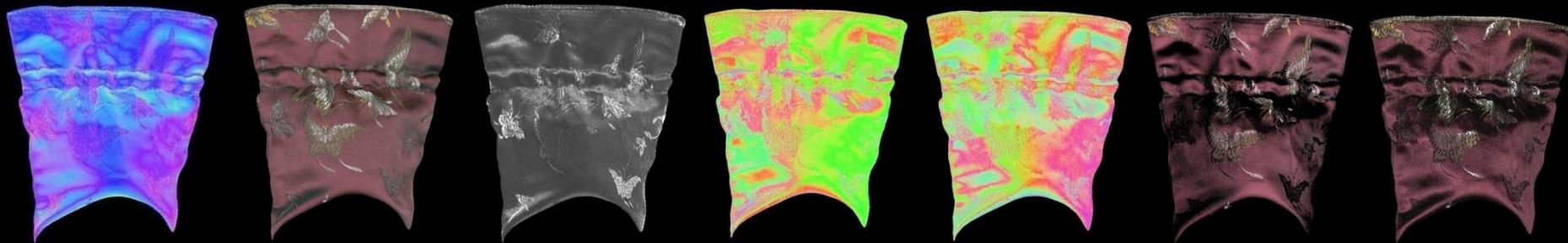
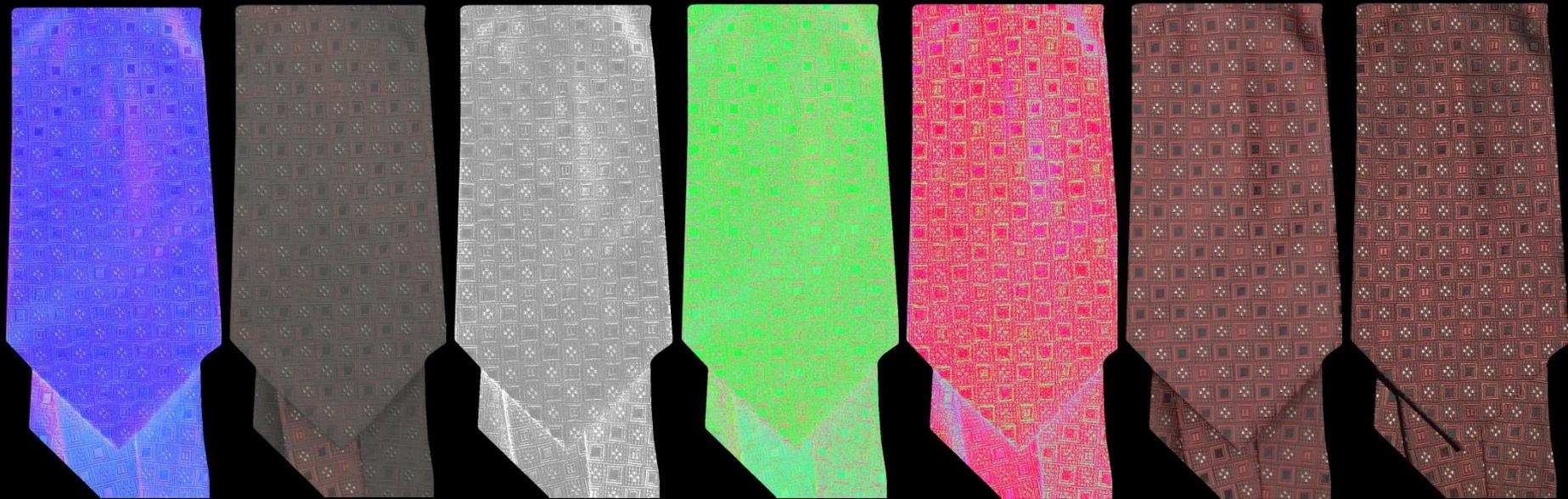
spec. albedo

spec. roughness

rendering

photograph

Anisotropic reflectance



spec. normal

spec. albedo

anisotropy

tangent

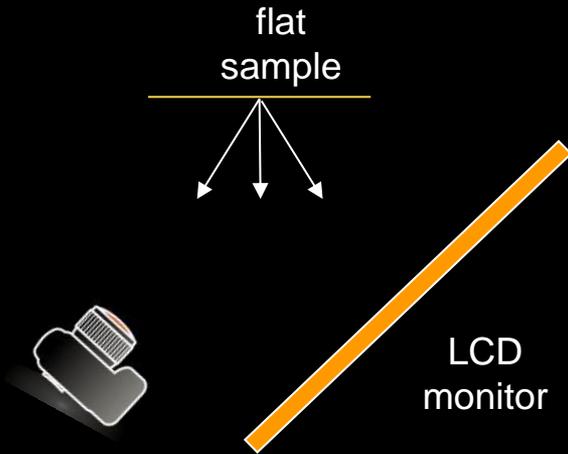
bitangent

rendering

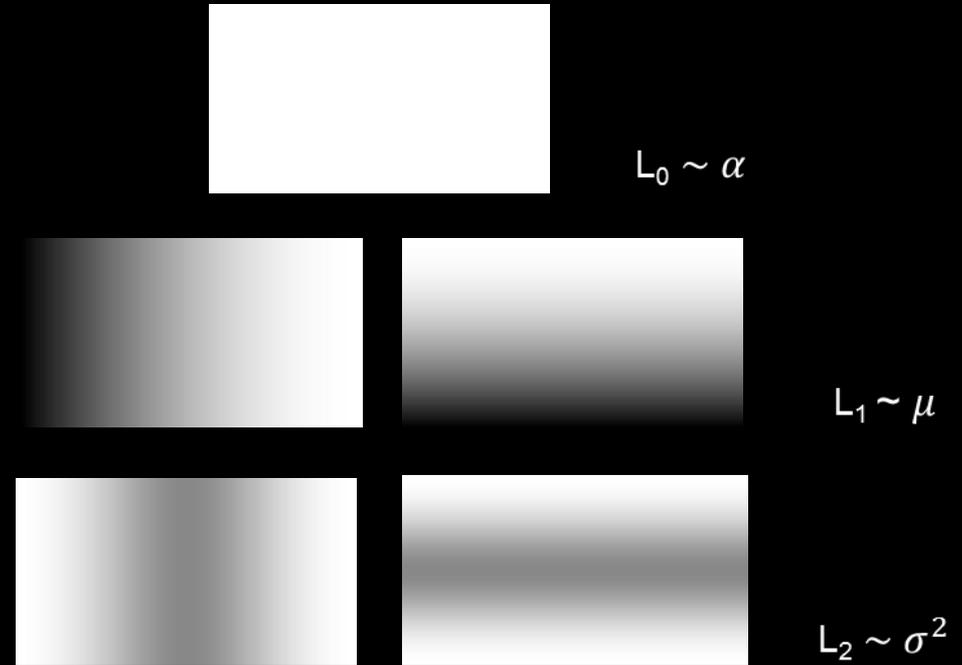
photograph

$$(\sigma_x/\sigma_y)$$

Flat sample

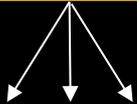


- Project 2nd order gradients from LCD screen
 - Sufficient to cover specular lobe of flat samples
- Screen is already polarized
 - Diffuse specular separation



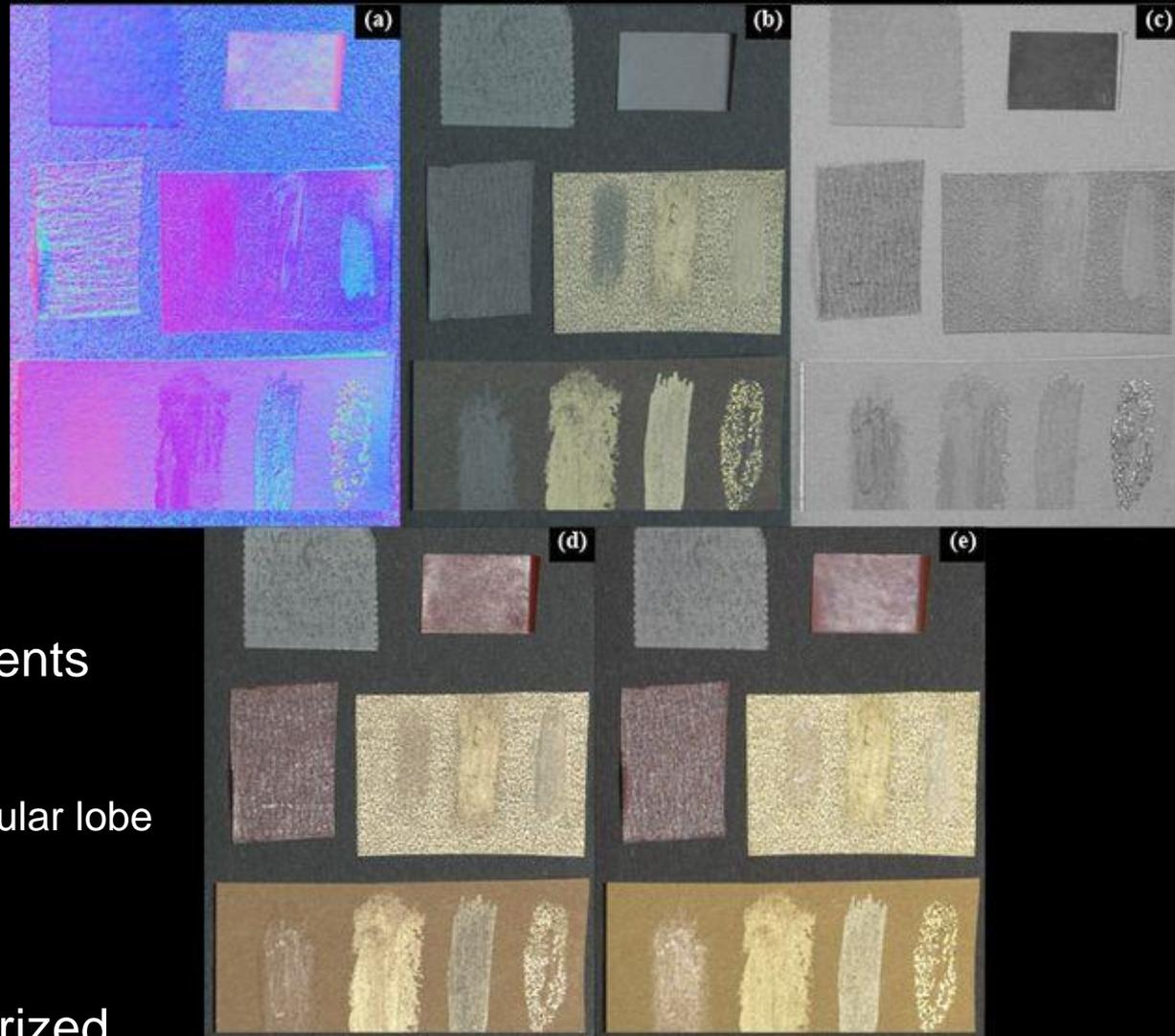
Flat sample

flat
sample



LCD
monitor

(a) specular normals, (b) specular albedo, (c) specular roughness, (d) rendering and (e)



- Project 2nd order gradients from LCD screen
 - Sufficient to cover specular lobe of flat samples
- Screen is already polarized
 - Diffuse specular separation

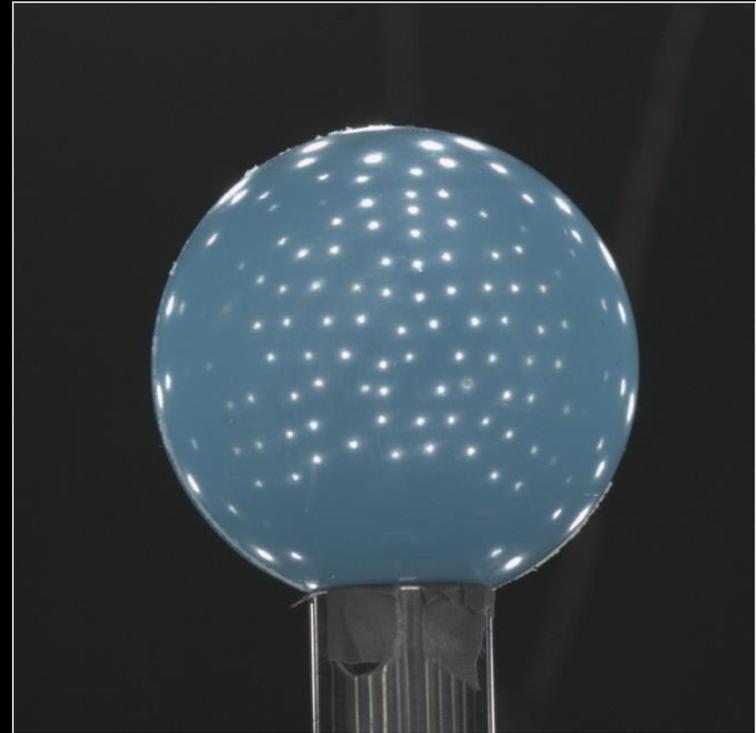
Specular materials!



Specular materials!

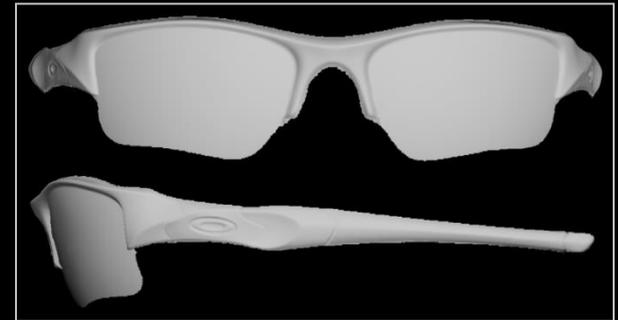
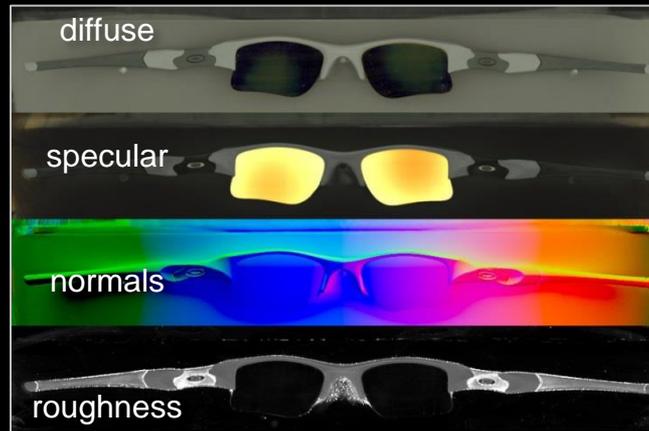


LED sphere

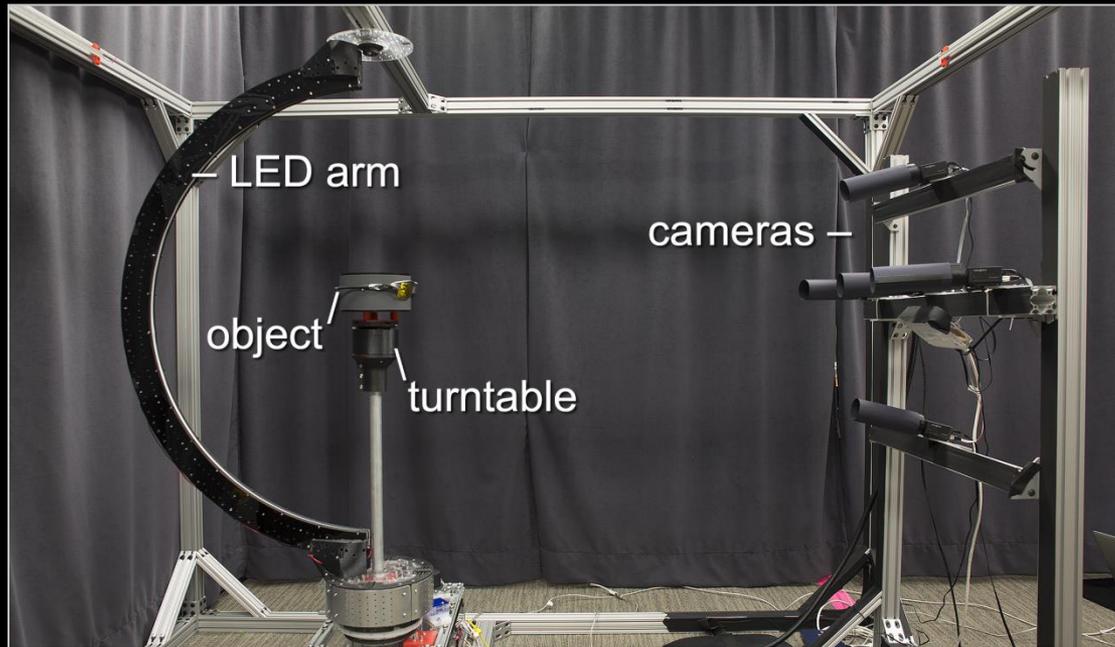


Continuous spherical harmonic illumination

[Tunwattanpong et al. 2013]

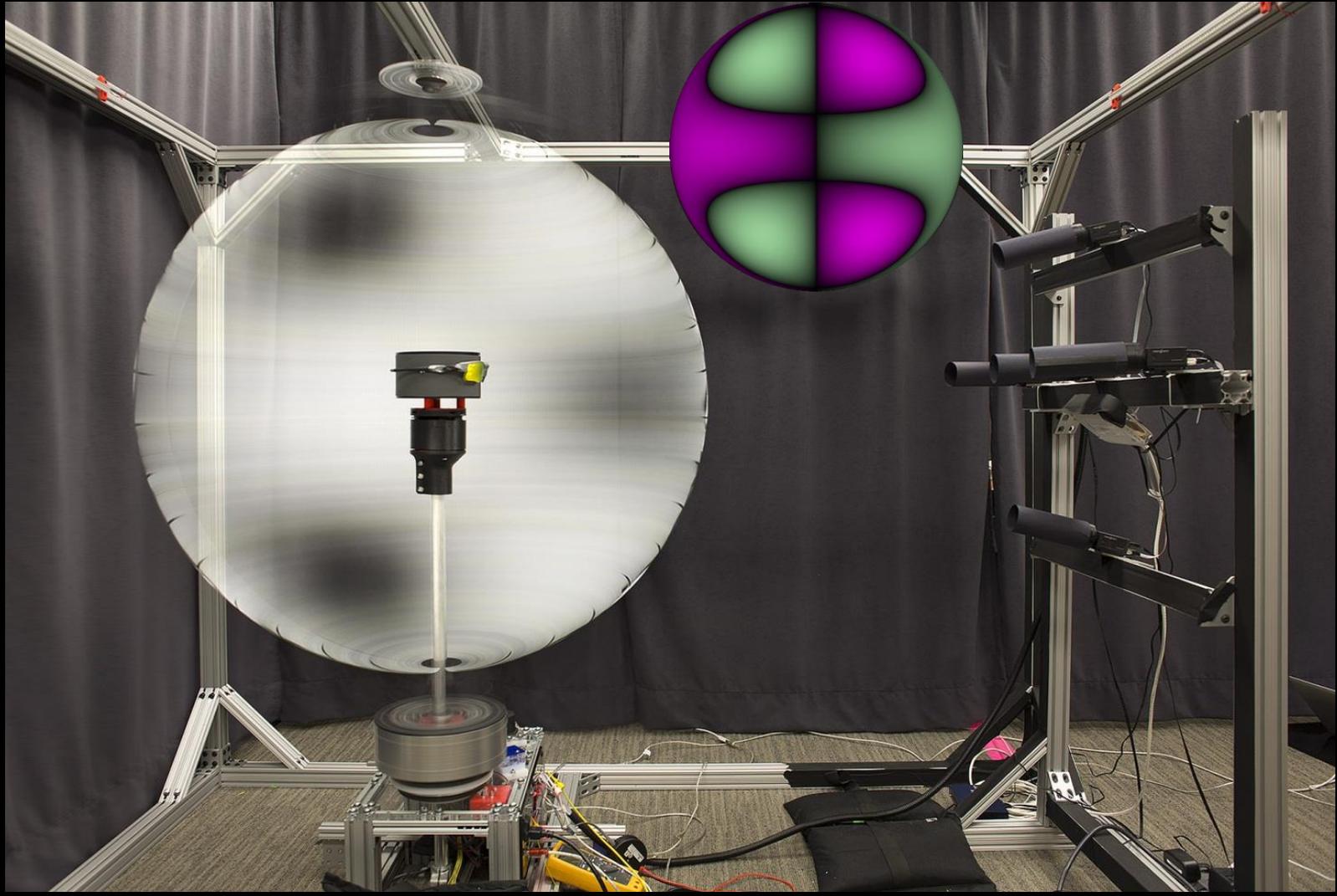


Hardware setup

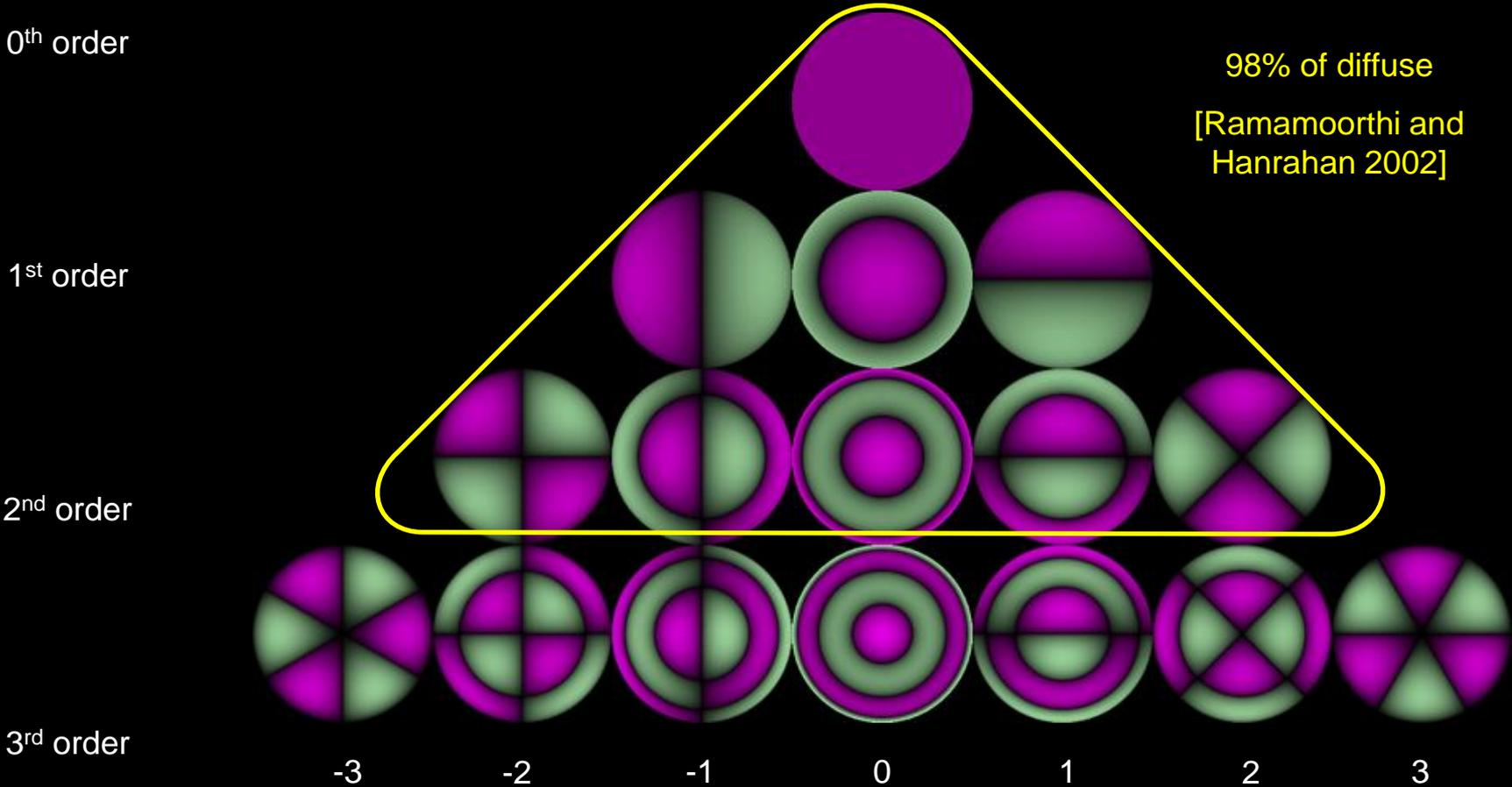


continuous illumination

SH illumination



Diffuse-specular separation



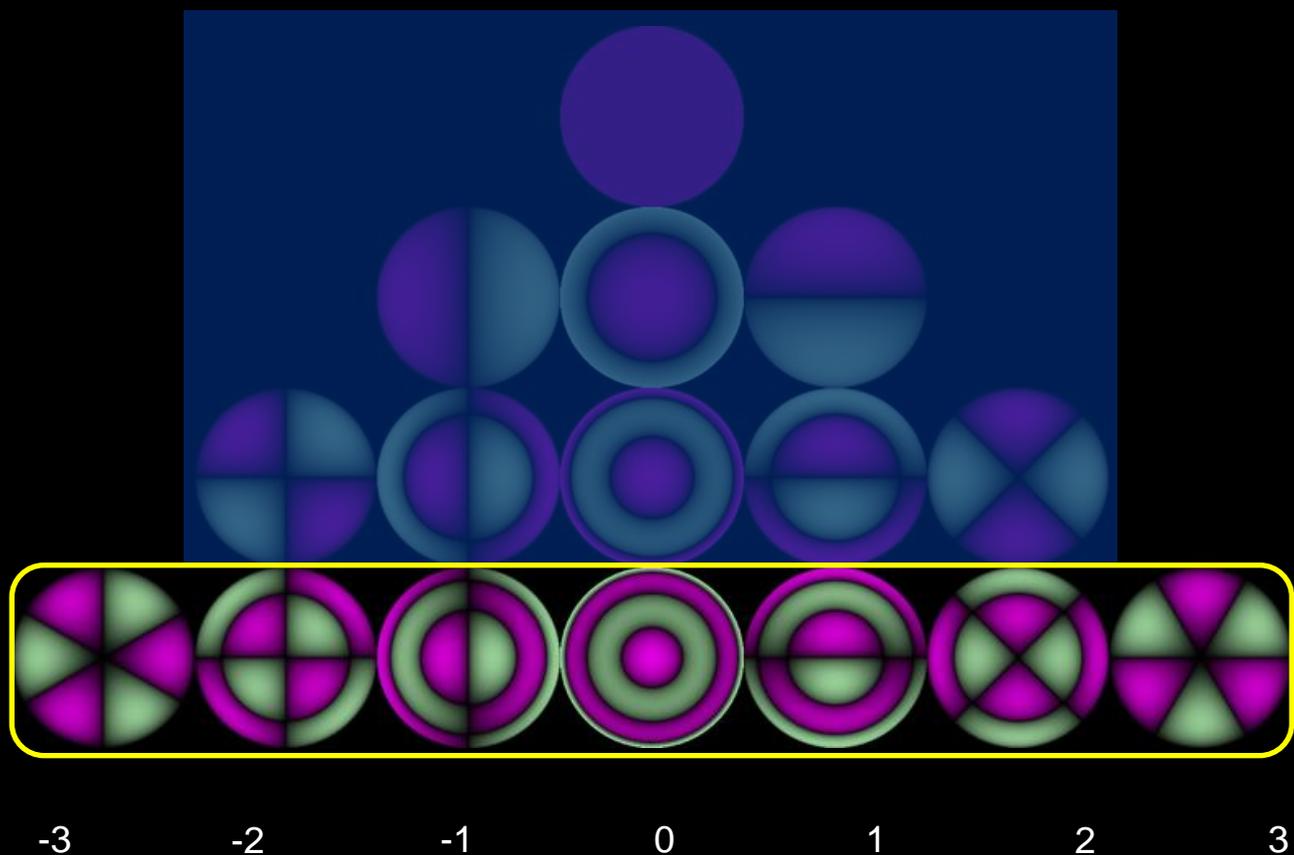
Specular response only!

0th order

1st order

2nd order

3rd order



Diffuse-specular separation



L_0^0



L_1^{-1}

L_1^0

L_1^1



L_2^{-2}

L_2^{-1}

L_2^0

L_2^1

L_2^2



L_3^{-3}

L_3^{-2}

L_3^{-1}

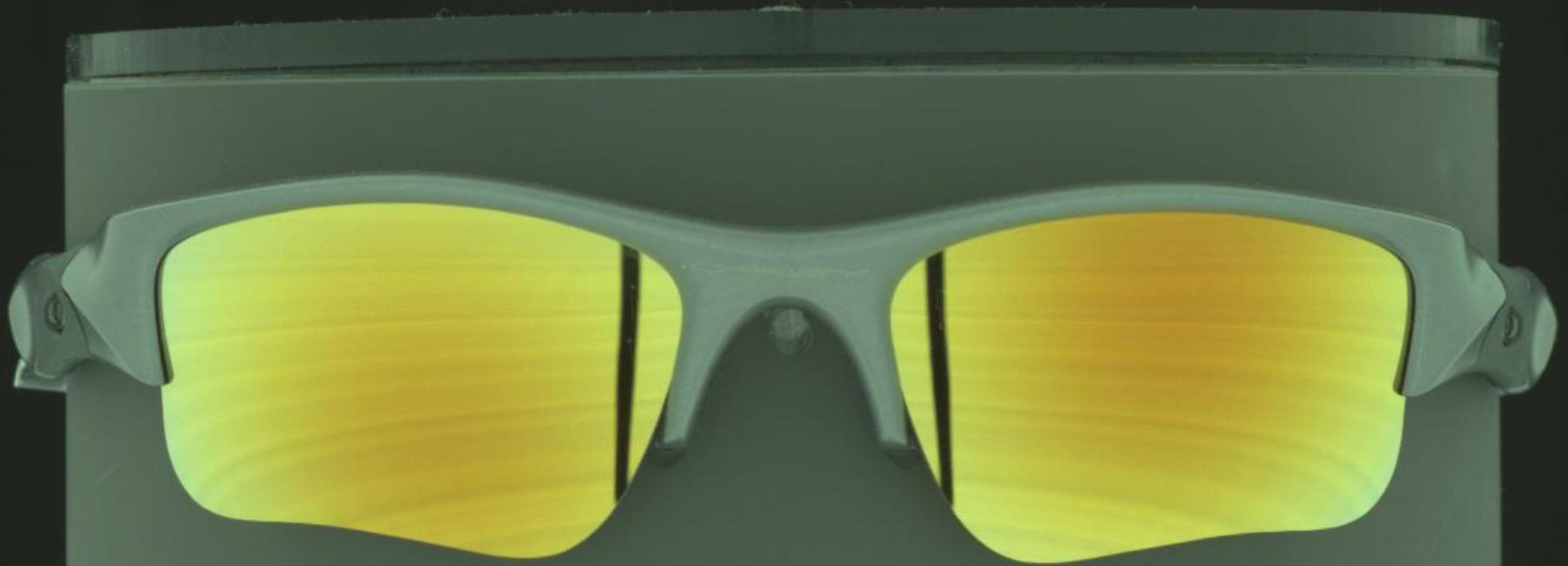
L_3^0

L_3^1

L_3^2

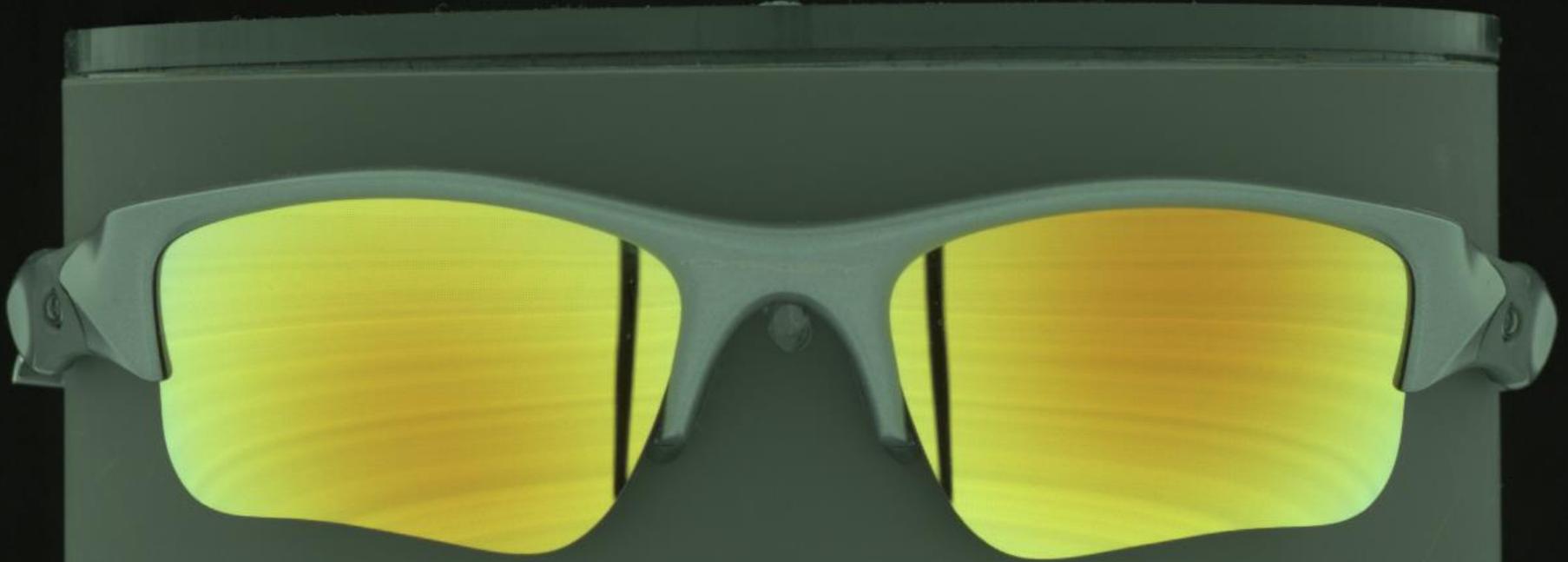
L_3^3

0th order energy



$$E_0 = \left(K_0 \sum_{m=0}^0 L_0^{m^2} \right)^{\frac{1}{2}}$$

1st order energy



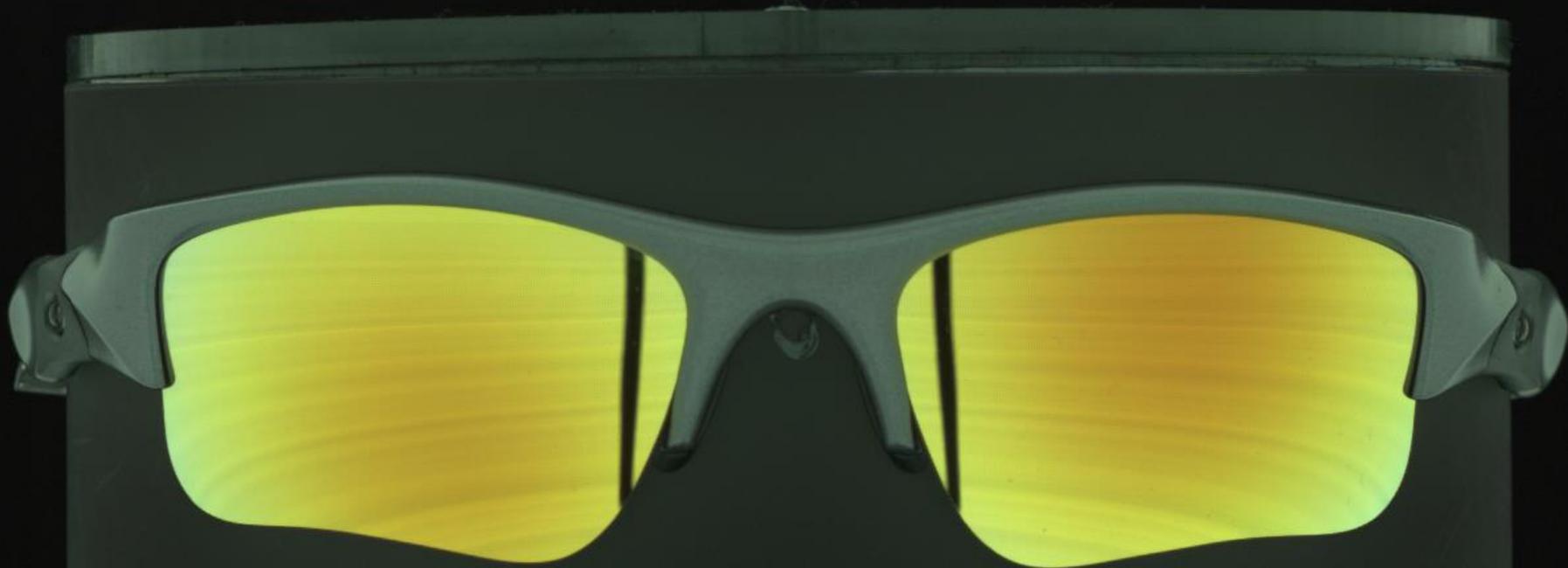
$$E_1 = \left(K_1 \sum_{m=1}^{-1} L_1^{m^2} \right)^{\frac{1}{2}}$$

2nd order energy



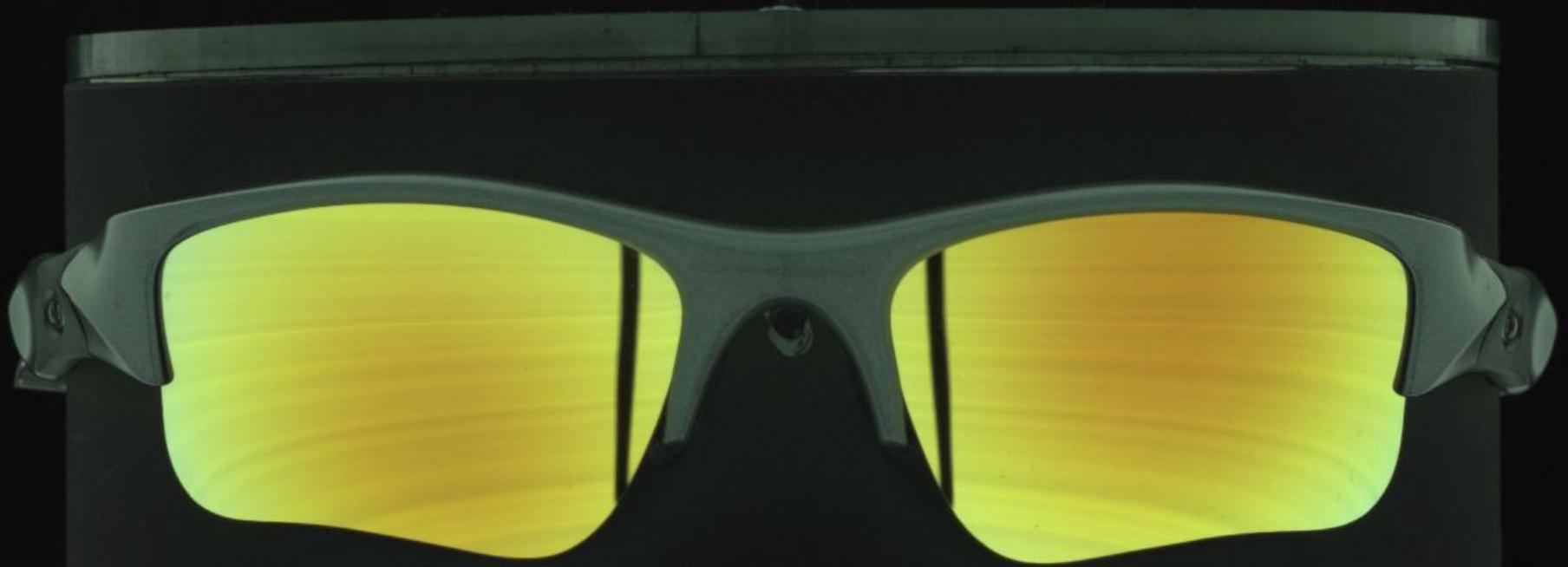
$$E_2 = \left(K_2 \sum_{m=2}^{-2} L_2^{m^2} \right)^{\frac{1}{2}}$$

3rd order energy!



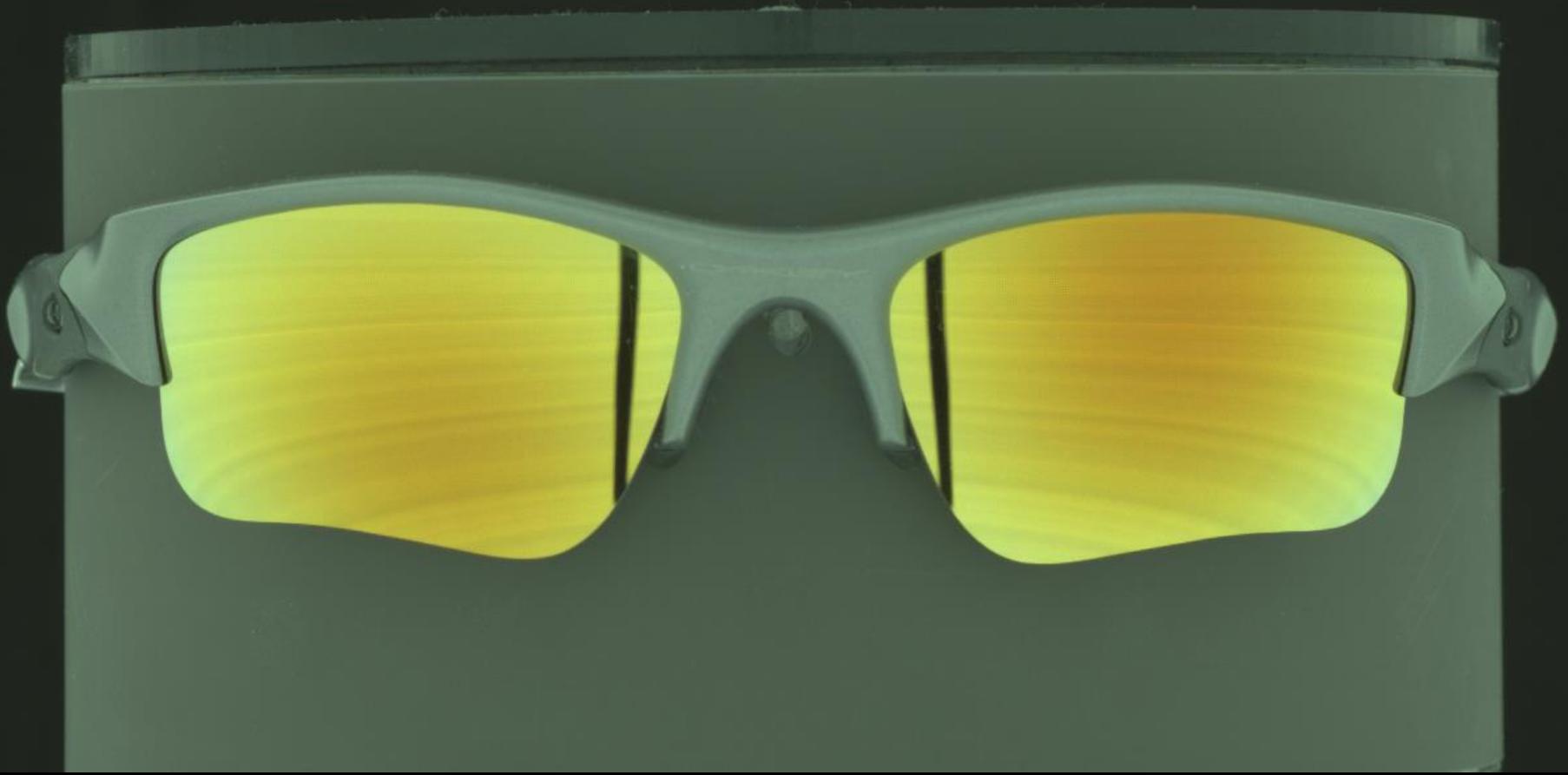
$$E_3 = \left(K_3 \sum_{m=3}^{-3} L_3^{m^2} \right)^{\frac{1}{2}}$$

5th order energy!

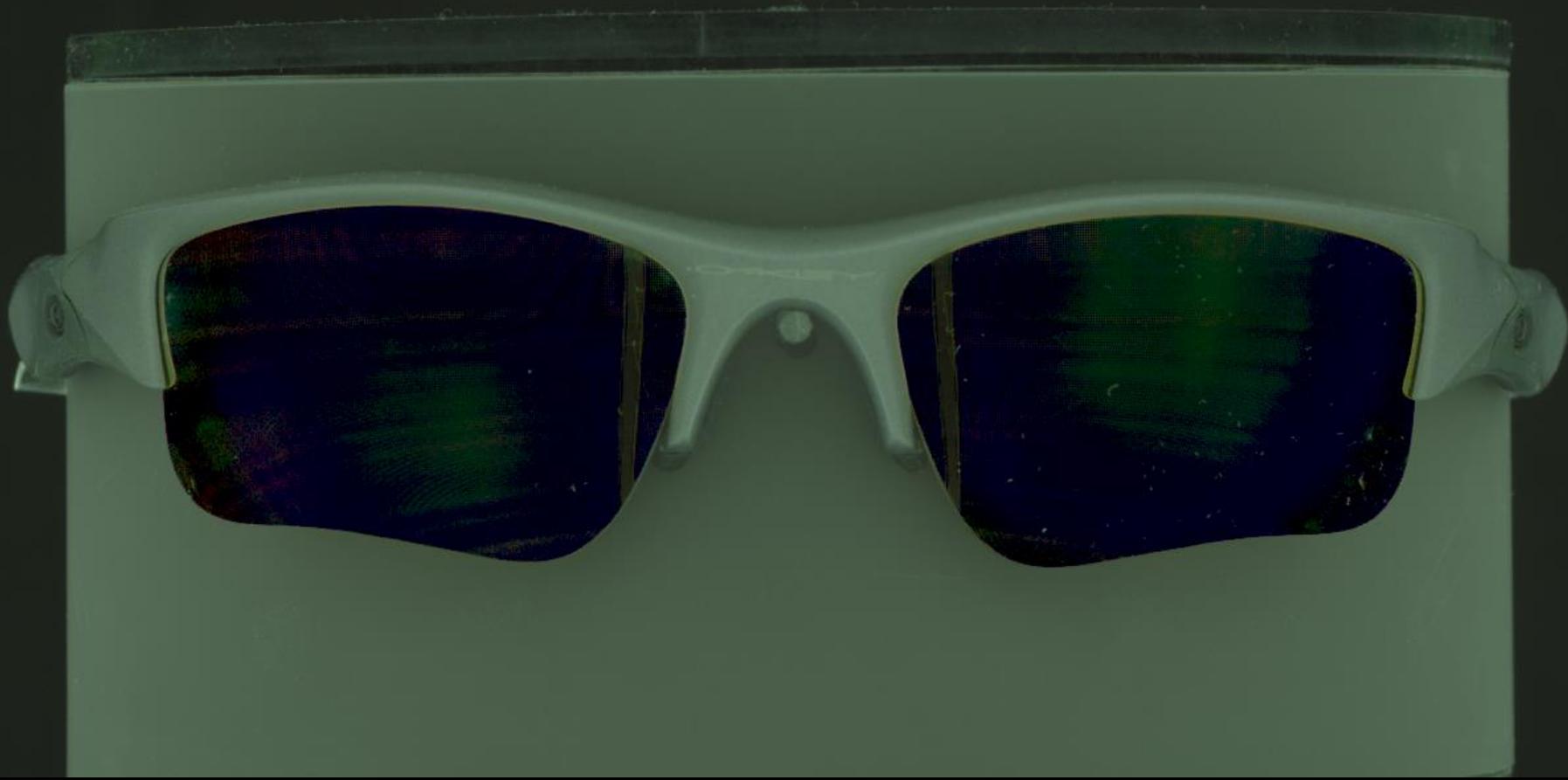


$$E_5 = \left(K_5 \sum_{m=5}^{-5} L_5^{m^2} \right)^{\frac{1}{2}}$$

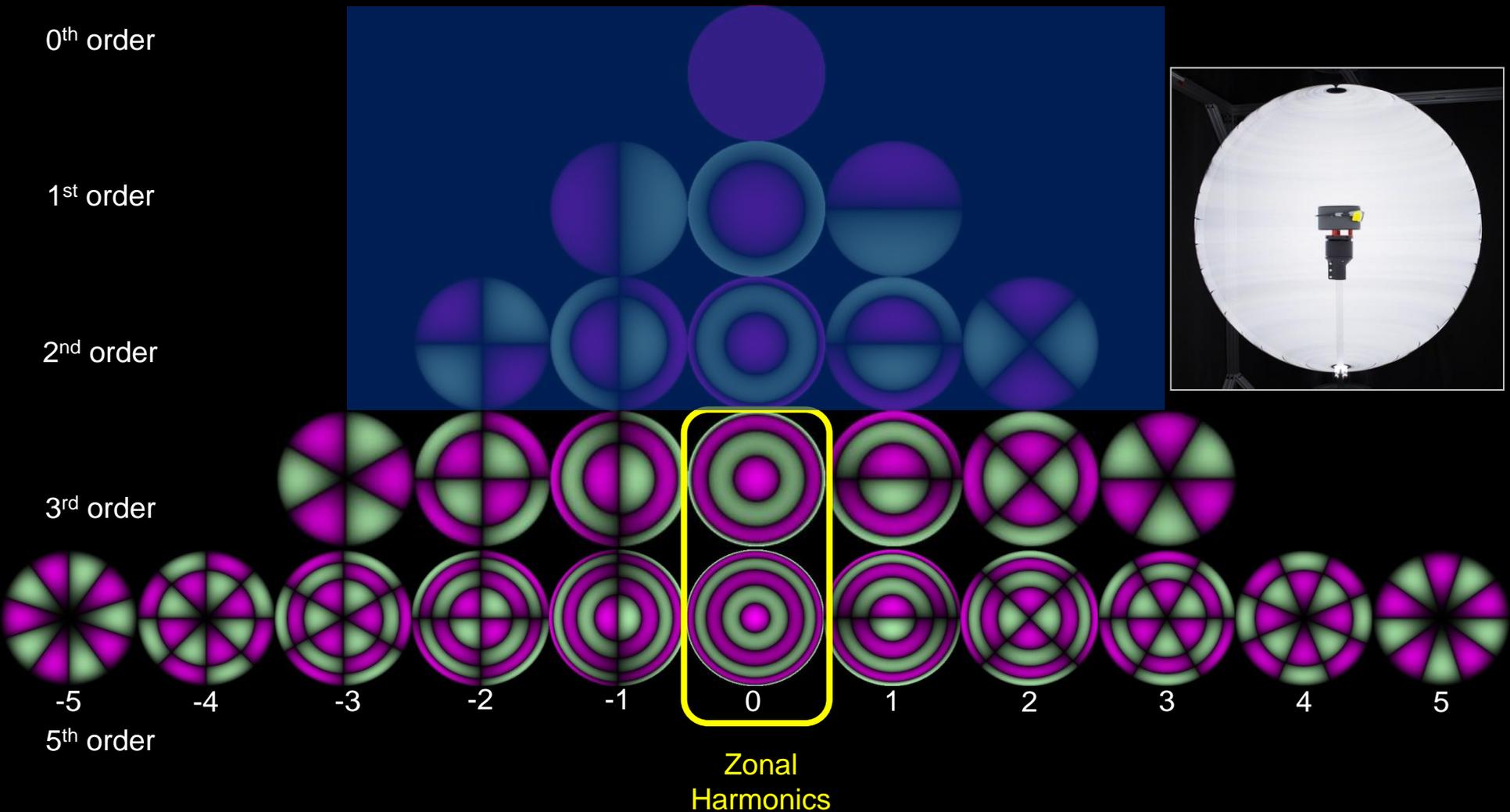
Constant illumination



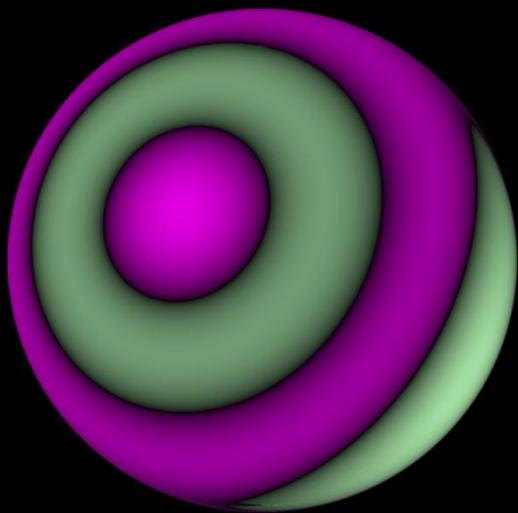
Diffuse albedo



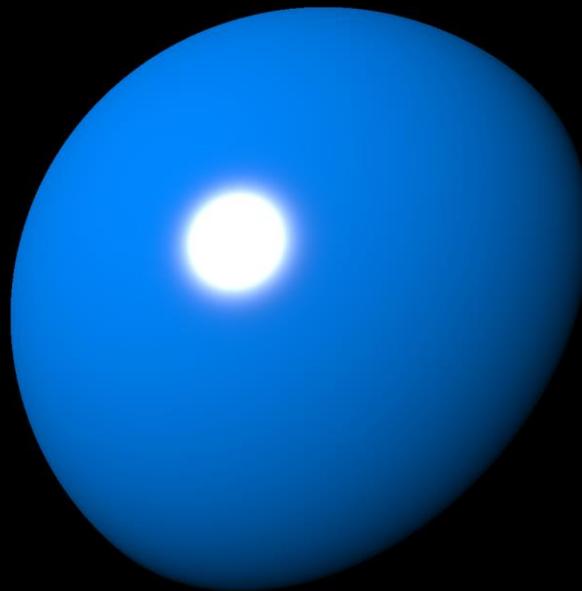
Reflectometry from SH



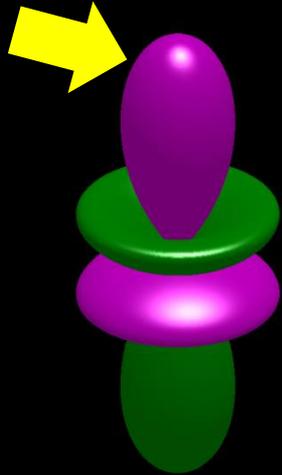
3rd order Zonal



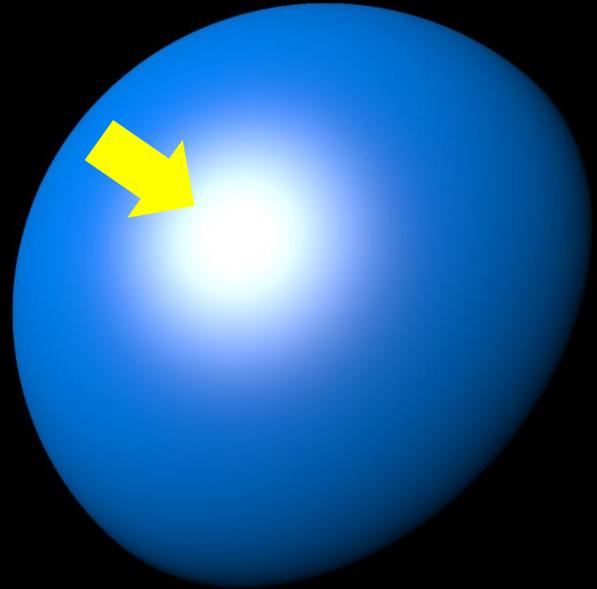
5th order Zonal



3rd order Zonal



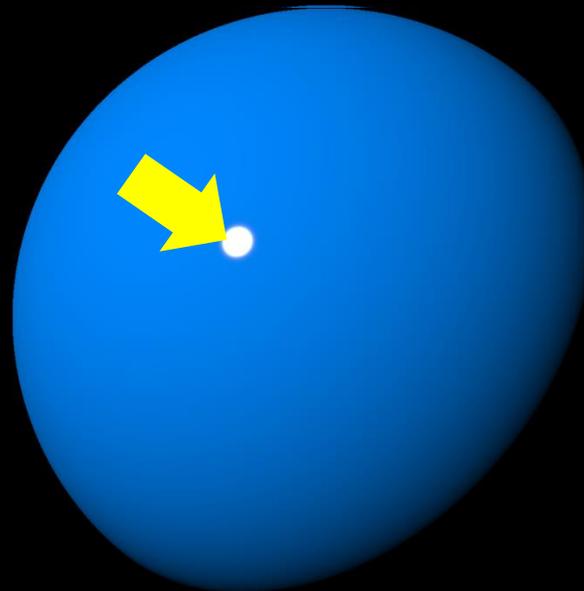
5th order Zonal



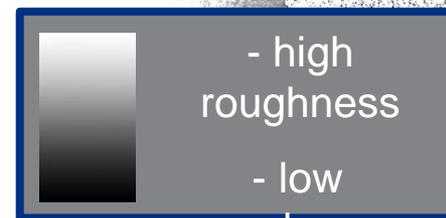
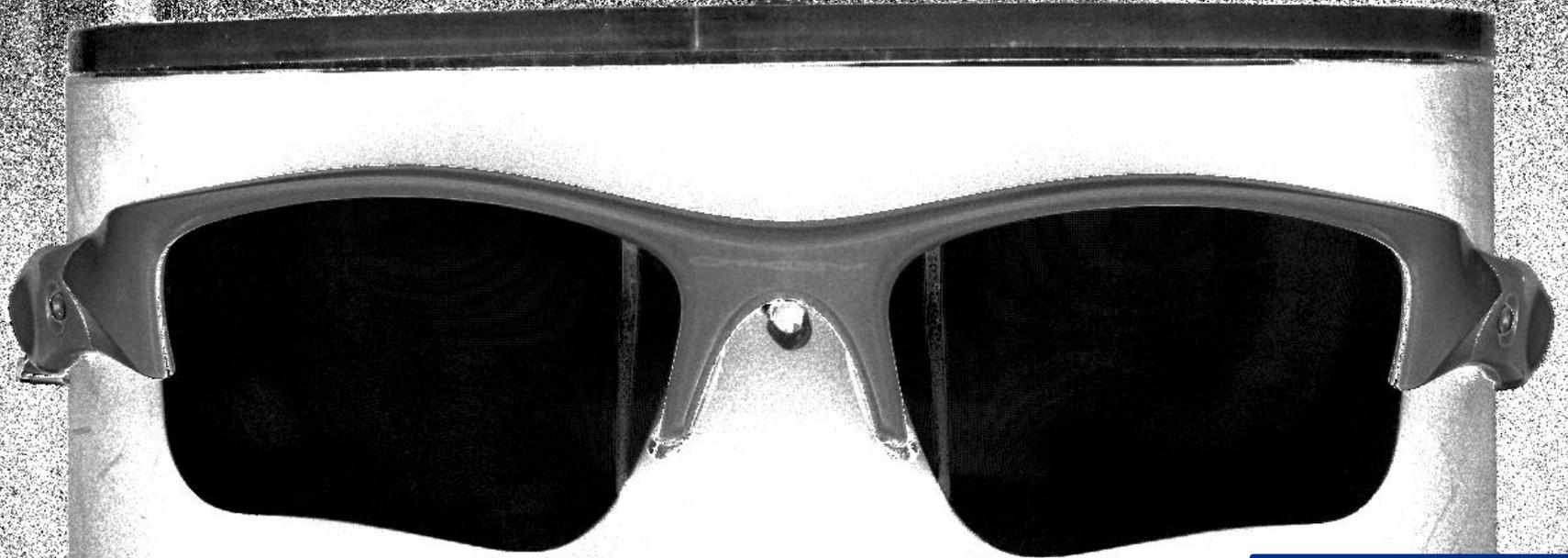
3rd order Zonal



5th order Zonal



Specular roughness



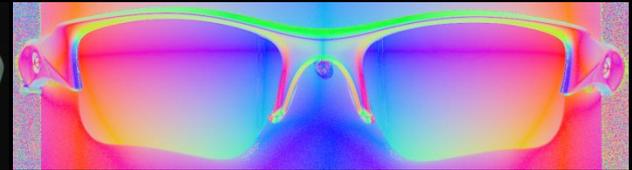
Stereo reconstruction



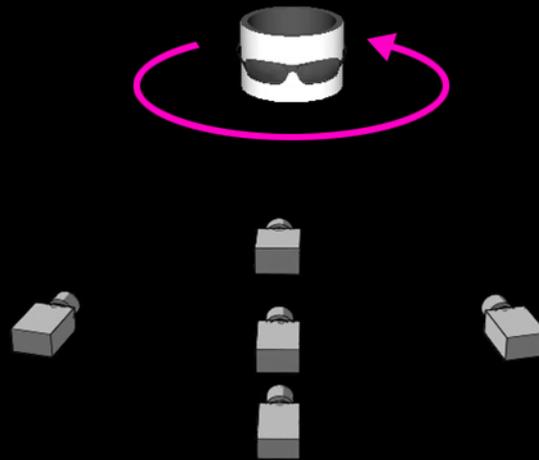
diffuse albedo



specular albedo



reflection vector



5 cameras = 5 views

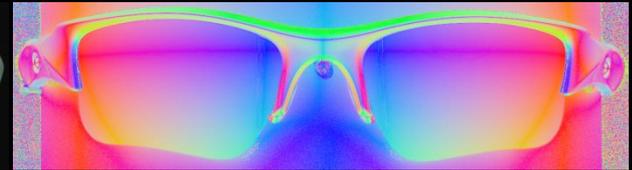
Stereo reconstruction



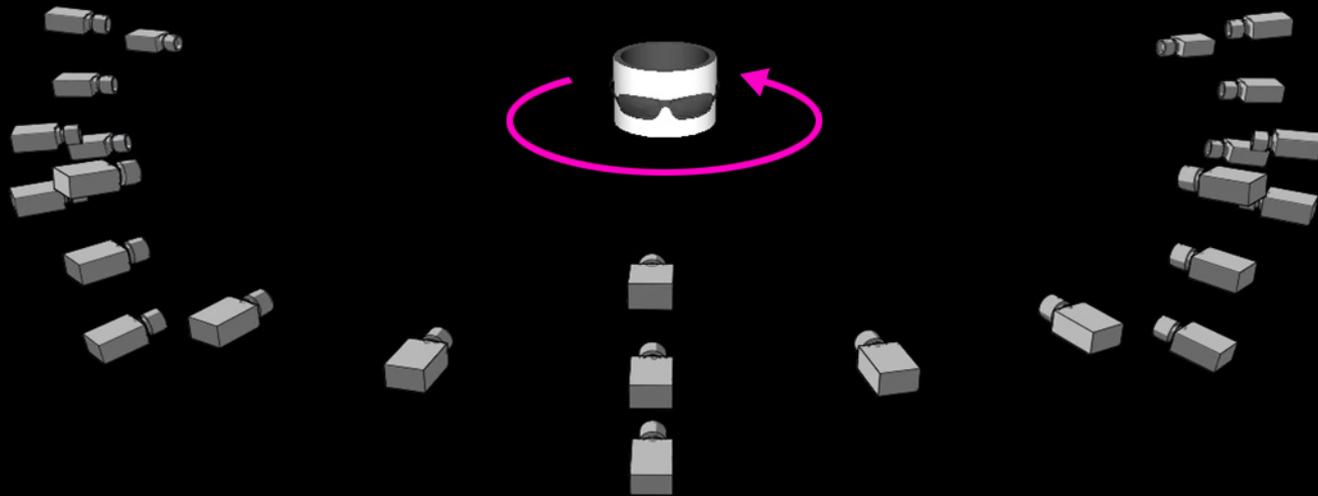
diffuse albedo



specular albedo



reflection vector



5 cameras \times 5 rotations = 25 views

Stereo reconstruction



photograph



reconstructed geometry

Rendering with geometry & reflectance



Validation

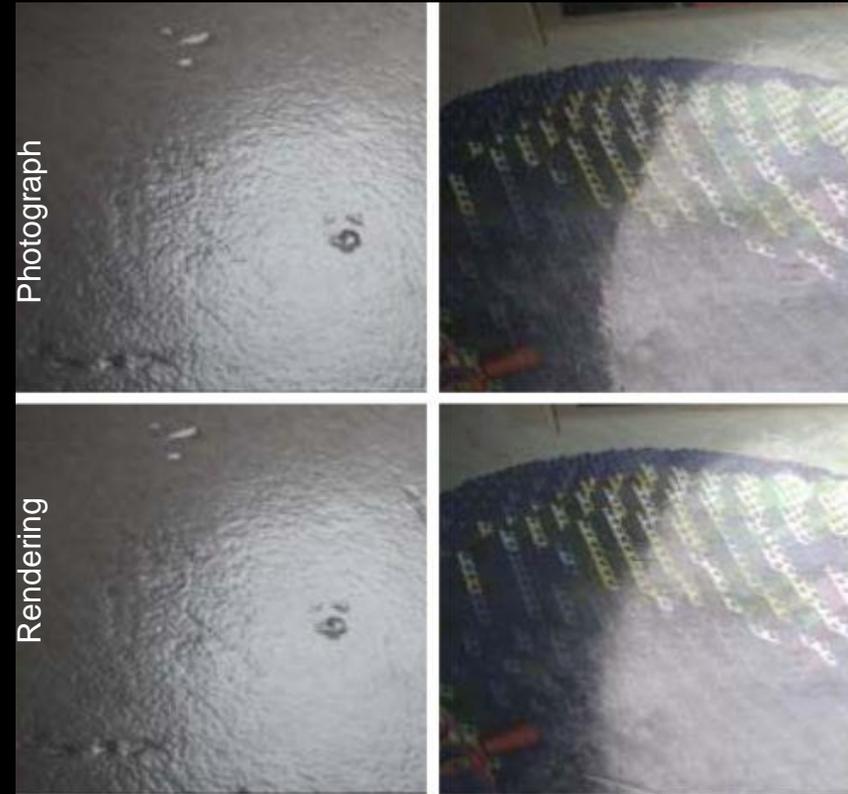
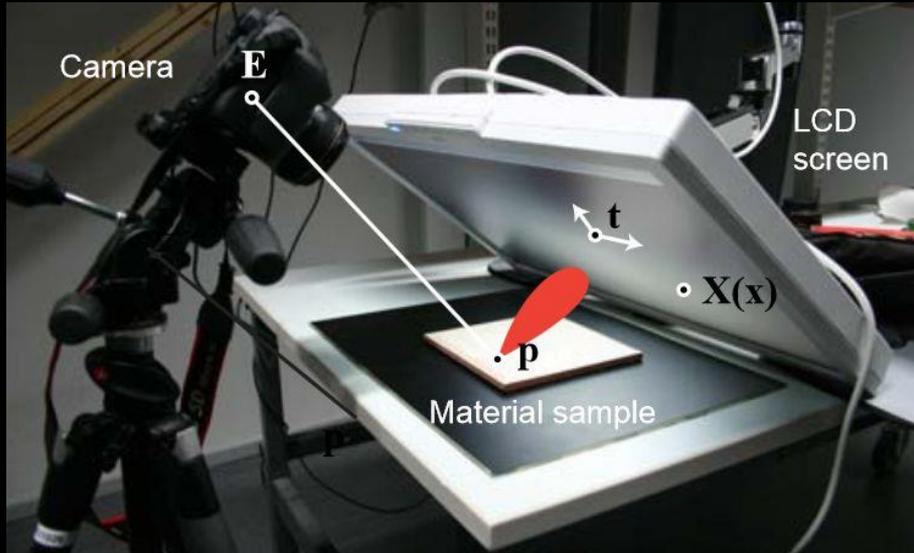


rendering



photograph

Fourier basis measurement [Aitalla et al. 2013]



- Fourier basis illumination
 - Spectrum decay measure of glossiness

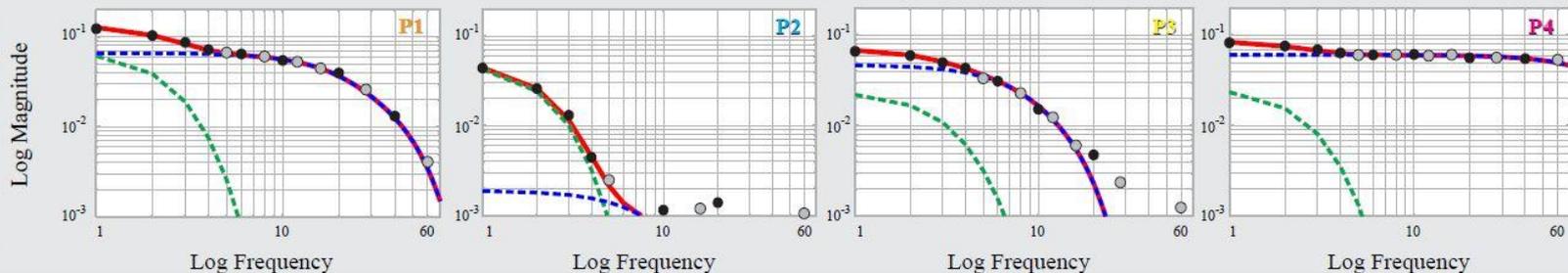
Fourier basis measurement

[Aitalla et al. 2013]

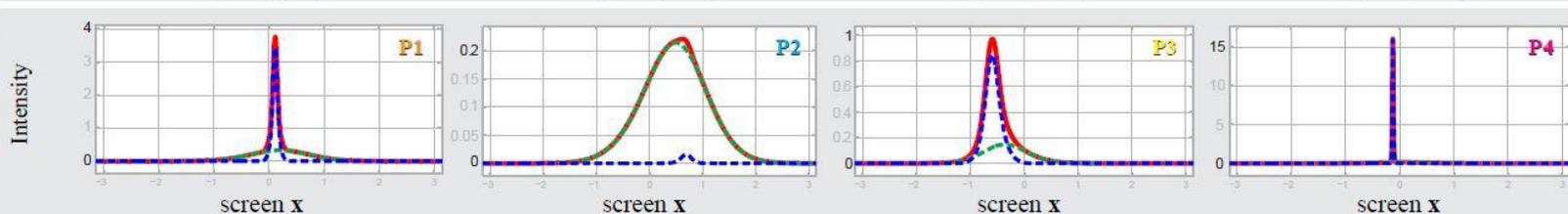


P1 P2 P3 P4

frequency domain



primal domain

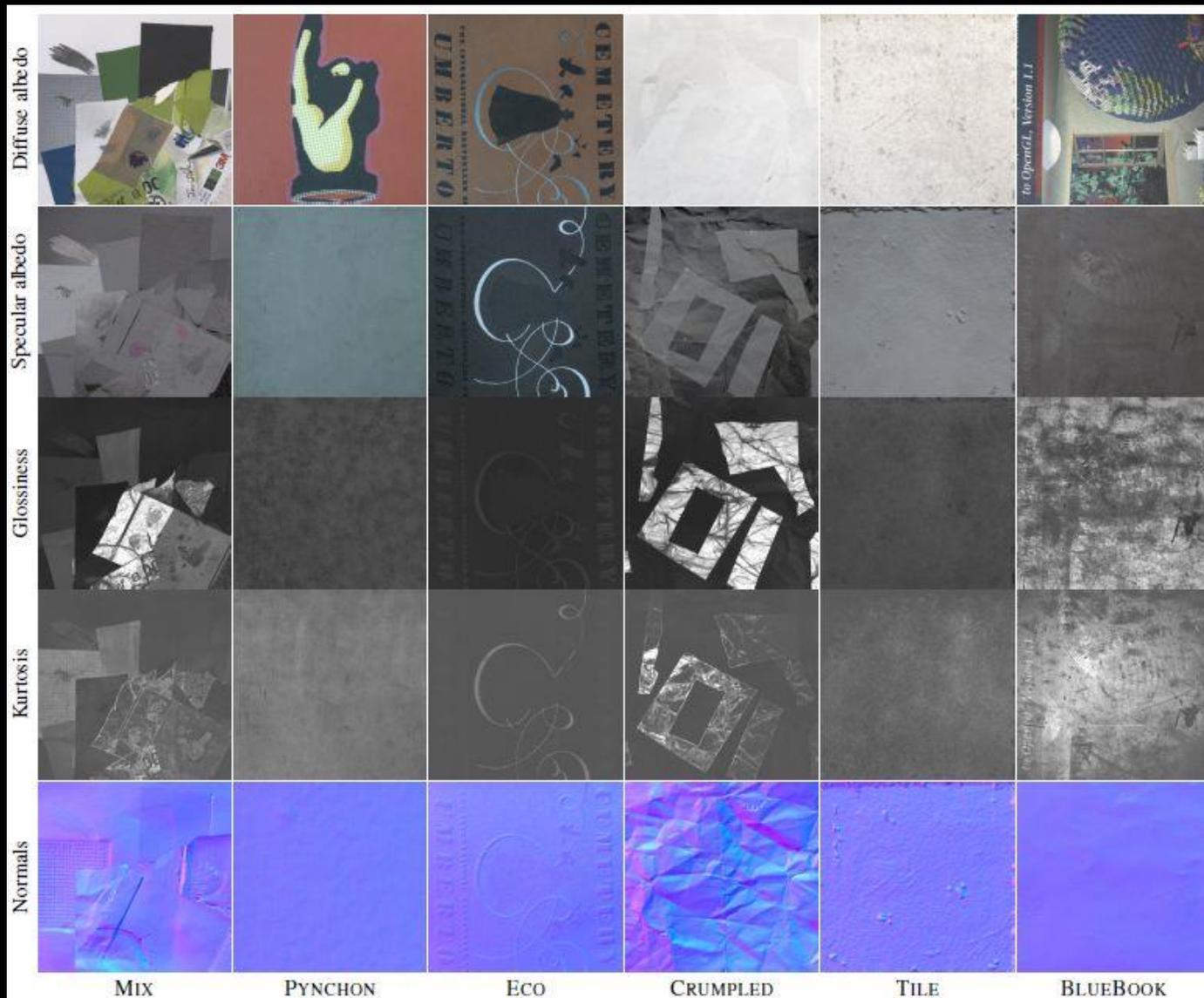


model fit —
diffuse model - - -
specular model - - -
measurement used ●
measurement, control ○

- Fourier basis illumination
 - Spectrum decay measure of glossiness
 - Surface normal inferred from position (phase of Fourier basis) on screen

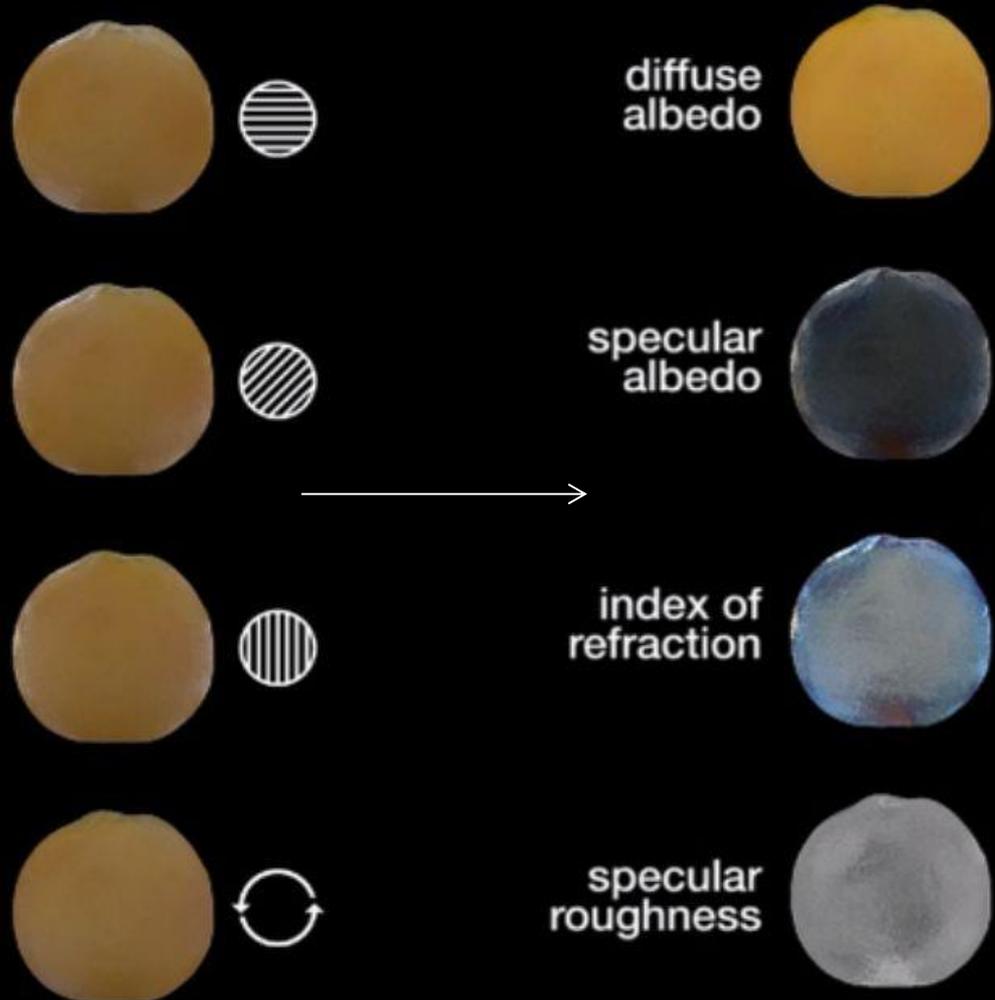
Fourier basis measurement

[Aitalla et al. 2013]



Polarization imaging reflectometry [Ghosh et al. 2010]

- Constant uniform illumination!
 - Circularly polarized
- Measurement of Stokes parameters



Polarization imaging reflectometry [Ghosh et al. 2010]

- Stokes parameters



$$S_0 = I$$

$$S_1 = I p \cos 2\psi \cos 2\chi$$

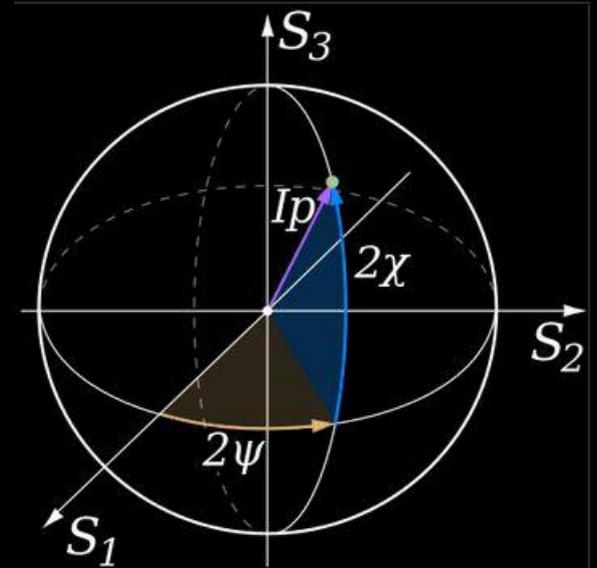
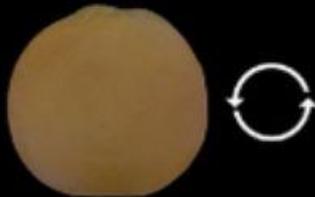
$$S_2 = I p \sin 2\psi \cos 2\chi$$

$$S_3 = I p \sin 2\chi$$



$$\begin{pmatrix} 1 \\ 0 \\ 0 \\ 1 \end{pmatrix}$$

Right-hand circularly polarized



Poincare sphere

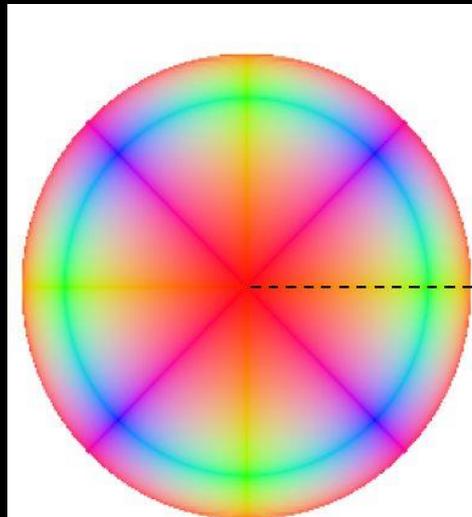
Polarization imaging reflectometry [Ghosh et al. 2010]

- Stokes reflectance field
 - Mueller calculus

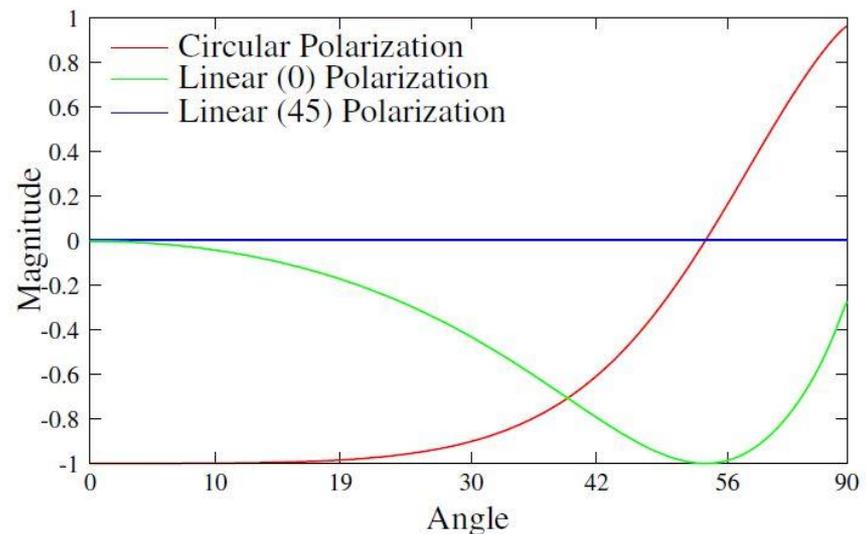
$$\mathbf{C} = \begin{pmatrix} 1 & 0 & 0 & 0 \\ 0 & \cos 2\phi & -\sin 2\phi & 0 \\ 0 & \sin 2\phi & \cos 2\phi & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

$$\mathbf{s}' = \mathbf{C}(\phi)\mathbf{D}(\delta; \mathbf{n})\mathbf{R}(\theta; \mathbf{n})\mathbf{C}(-\phi)\mathbf{s}$$

$$\mathbf{R} = \begin{pmatrix} \frac{\mathbf{R}_{\parallel} + \mathbf{R}_{\perp}}{2} & \frac{\mathbf{R}_{\parallel} - \mathbf{R}_{\perp}}{2} & 0 & 0 \\ \frac{\mathbf{R}_{\parallel} - \mathbf{R}_{\perp}}{2} & \frac{\mathbf{R}_{\parallel} + \mathbf{R}_{\perp}}{2} & 0 & 0 \\ 0 & 0 & \sqrt{\mathbf{R}_{\parallel}\mathbf{R}_{\perp}} & 0 \\ 0 & 0 & 0 & \sqrt{\mathbf{R}_{\parallel}\mathbf{R}_{\perp}} \end{pmatrix}$$



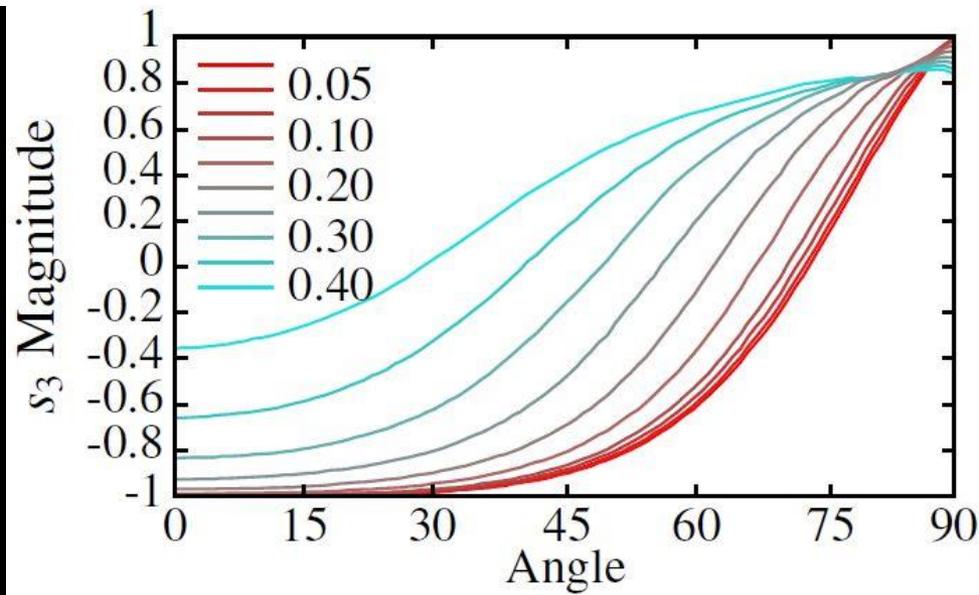
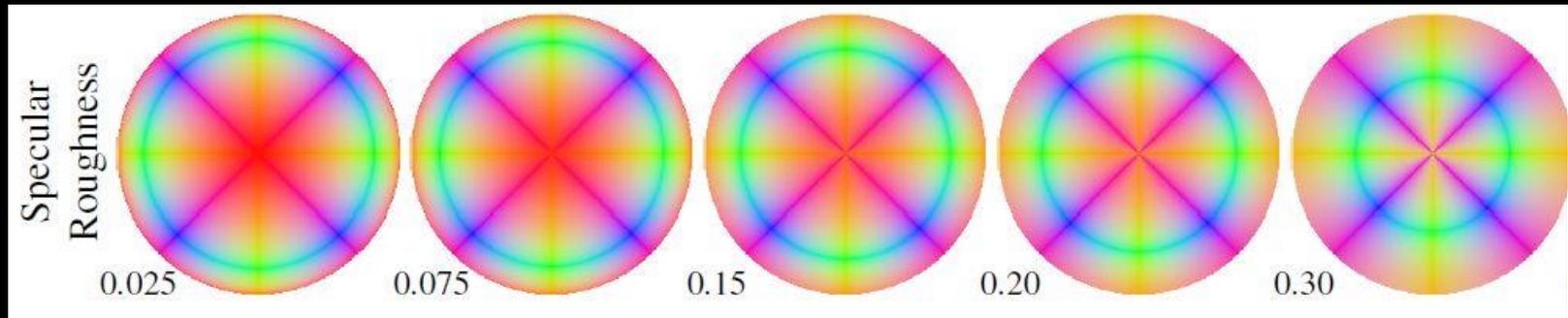
Stokes Reflectance Field



Polarization imaging reflectometry [Ghosh et al. 2010]

- Stokes reflectance field
 - Mueller calculus

$$\mathbf{s}' = \mathbf{C}(\phi)\mathbf{D}(\delta; \mathbf{n})\mathbf{R}(\theta; \mathbf{n})\mathbf{C}(-\phi)\mathbf{s}$$



Polarization imaging reflectometry [Ghosh et al. 2010]



Polarization imaging reflectometry [Ghosh et al. 2010]



Mobile camera-flash measurements!



Stationary materials [Aittala et al. 15]

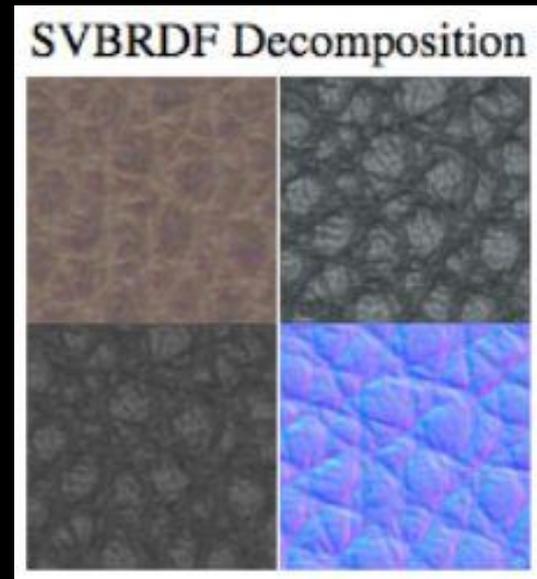


Isotropic SVBRDFs [Riviere et al. 16]

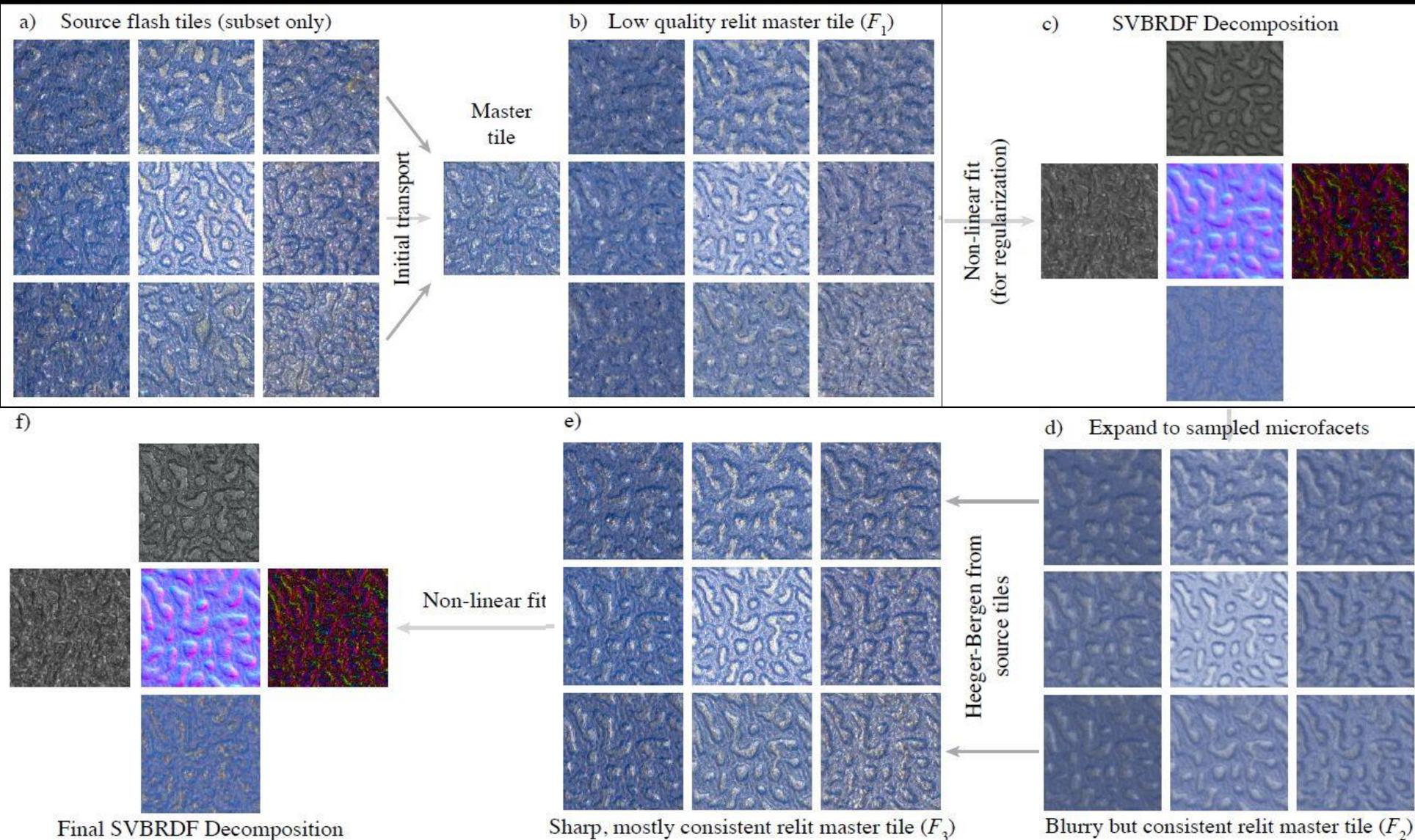
Stationary materials [Aitalla et al. 2015]



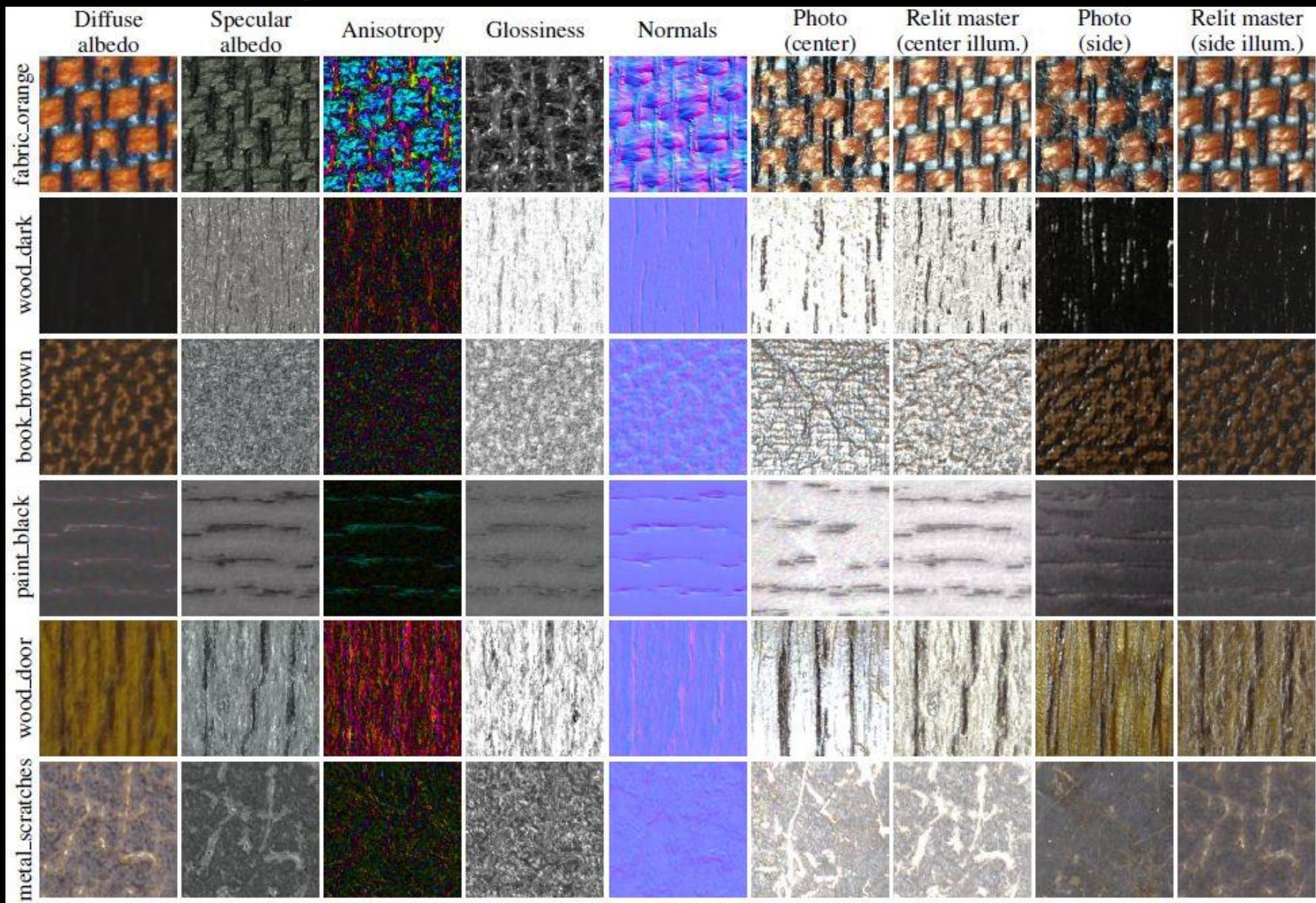
- Two shot capture!
 - Ambient + flash image
 - Repeating texture/material
 - Statistical appearance sharing



Stationary materials [Aitalla et al. 2015]



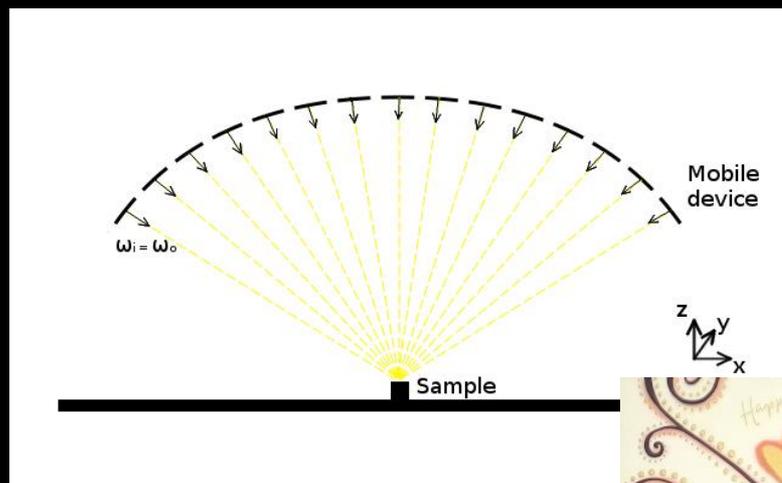
Stationary materials [Aitalla et al. 2015]



Mobile surface reflectometry

[Riviere et al. 16]

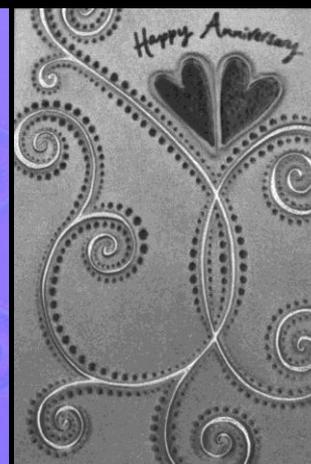
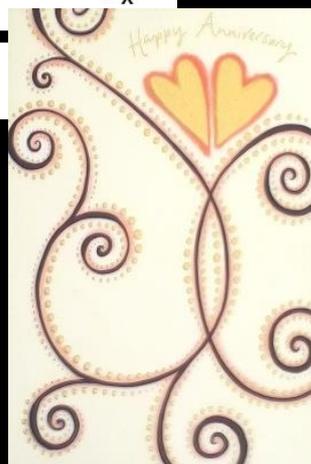
- Camera-flash pair
 - backscatter measurements
 - rough specular BRDFs



Hand-held acquisition

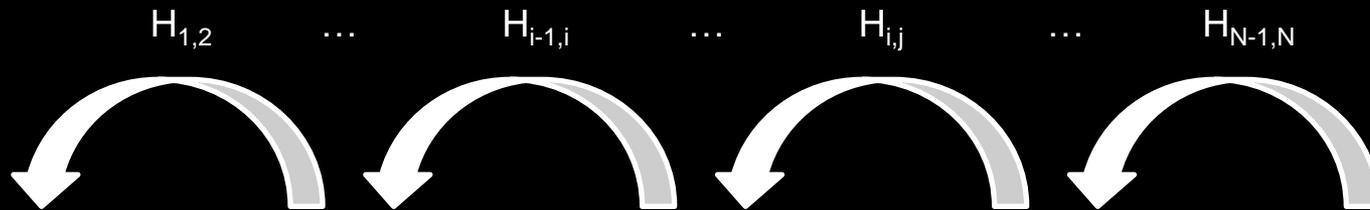


Rendering



Data registration

- Feature extraction (**Harris corners**)
 - Matched with optical flow
- Homography-based warping



Frame 1



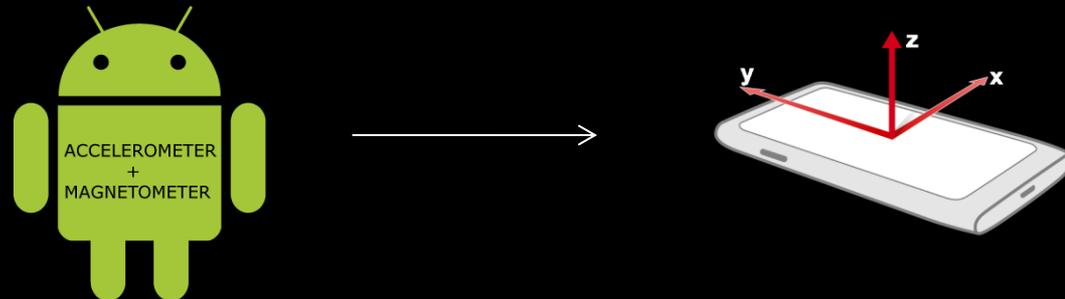
Frame i



Frame N

Light/view direction estimation

- $\omega_i = \omega_r$ (back scattering direction)
- Android standard API (getRotationMatrix)

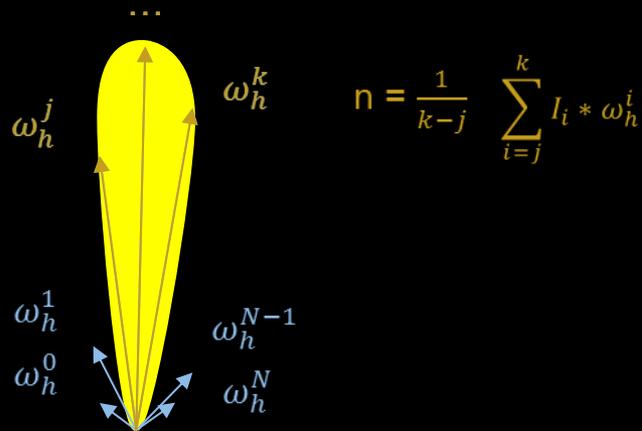


- 3D tracking
 - Simultaneous Localisation And Mapping (PTAM [G. Klein and D. Murray 2007])
 - Limited to feature rich scenes
 - SfM alternate solution

Mobile surface reflectometry

[Riviere et al. 16]

- Normal map: **Weighted average**



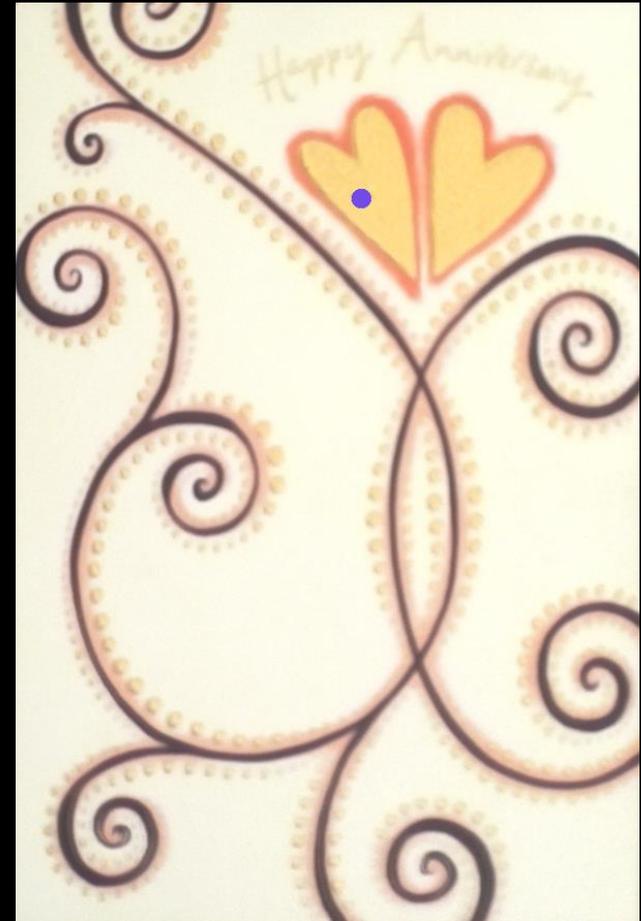
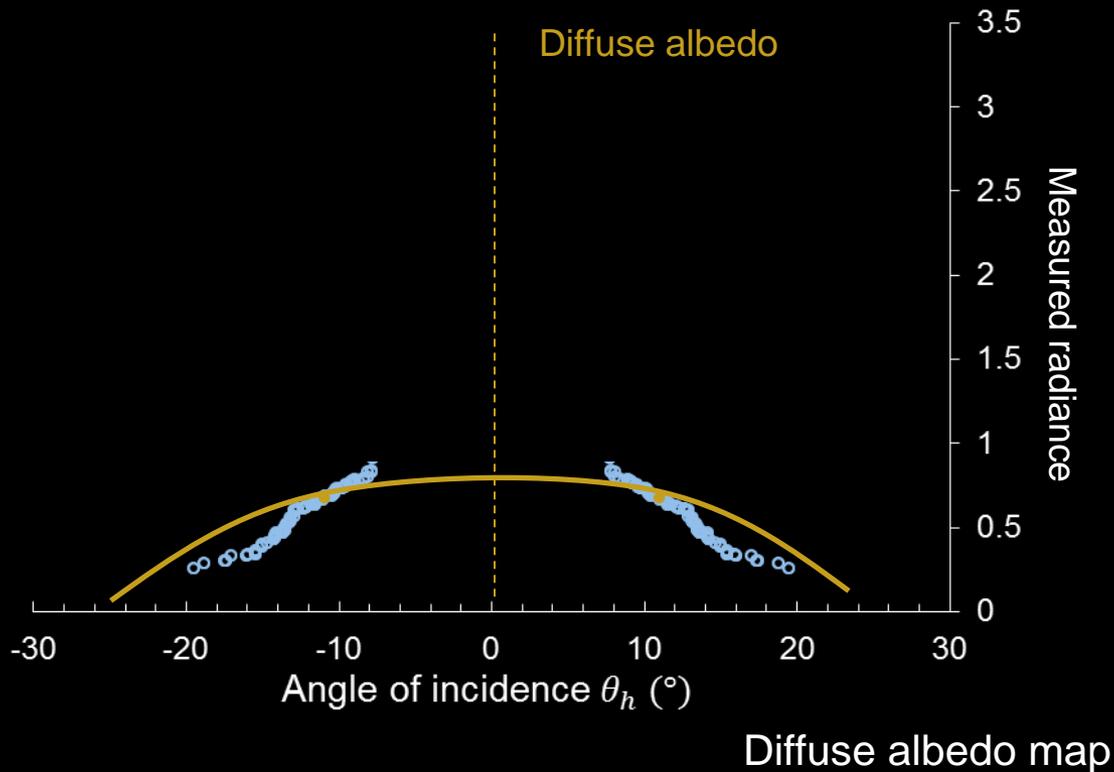
Normal map



Mobile surface reflectometry

[Riviere et al. 16]

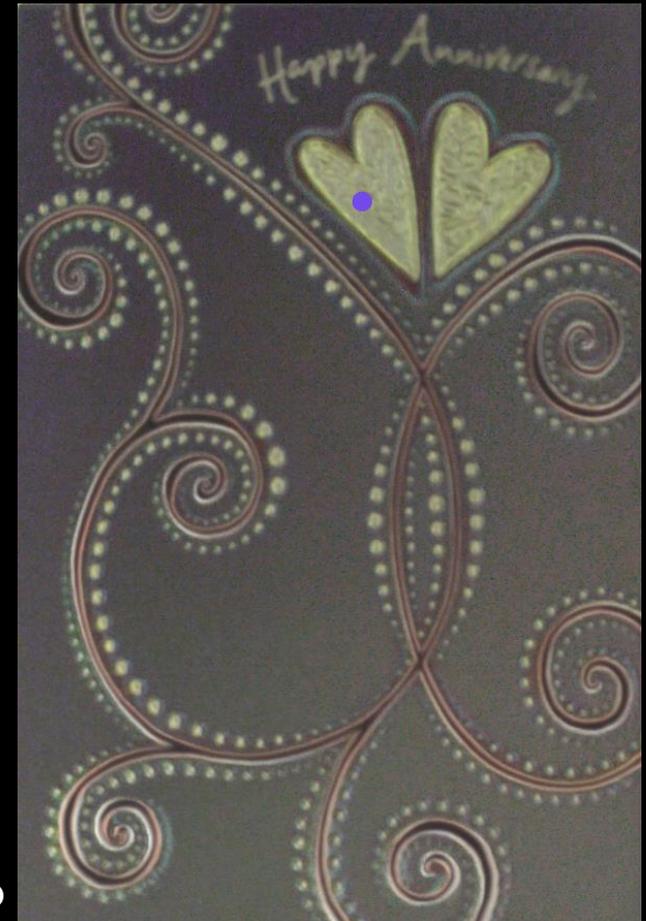
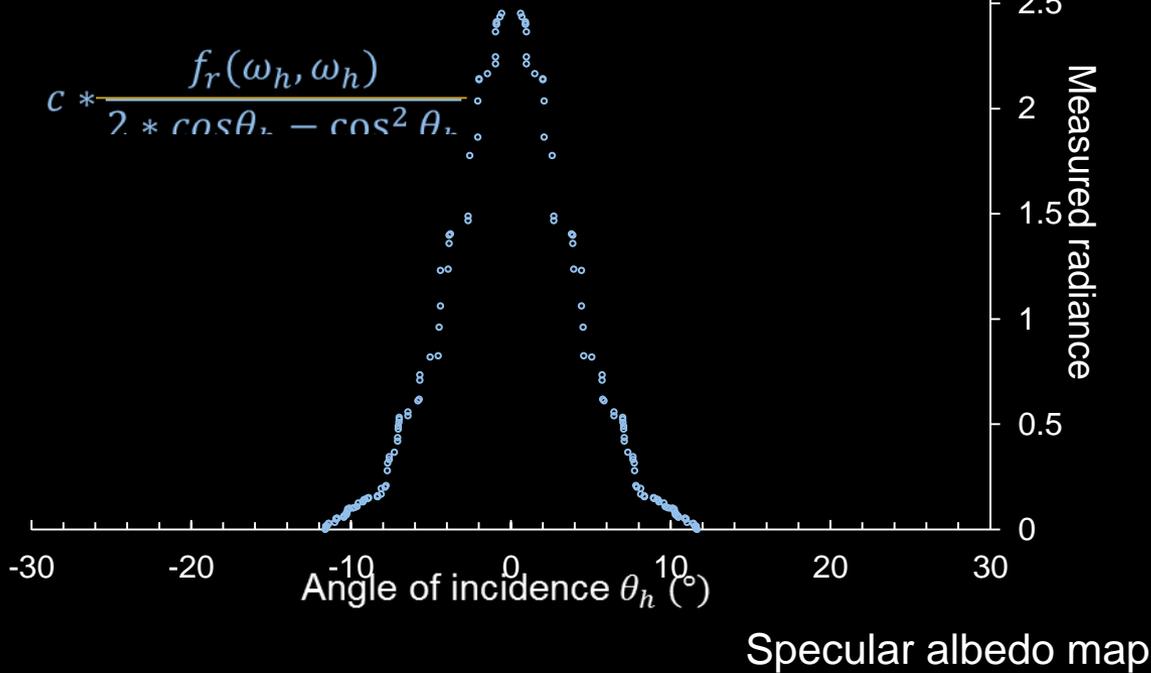
- Diffuse albedo: Median operator



Mobile surface reflectometry

[Riviere et al. 16]

- Specular albedo: MC integration
dBRDF [M. Ashikmin and S. Premoze 2007]

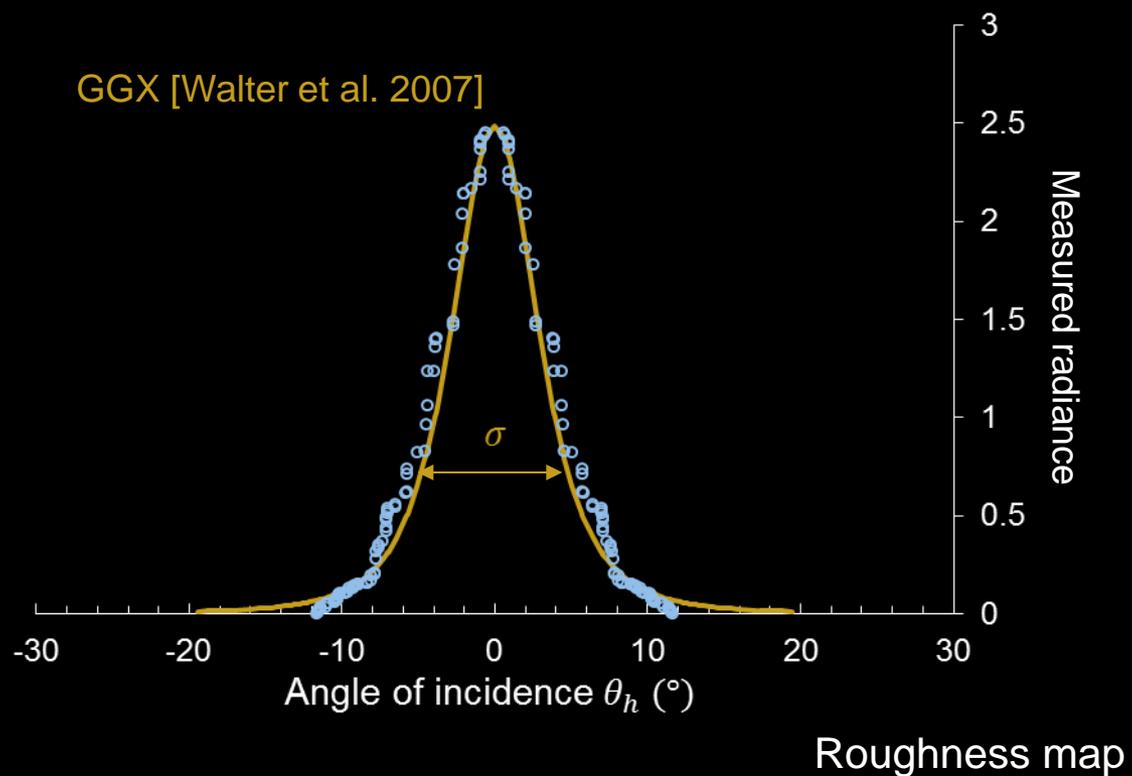


Mobile surface reflectometry

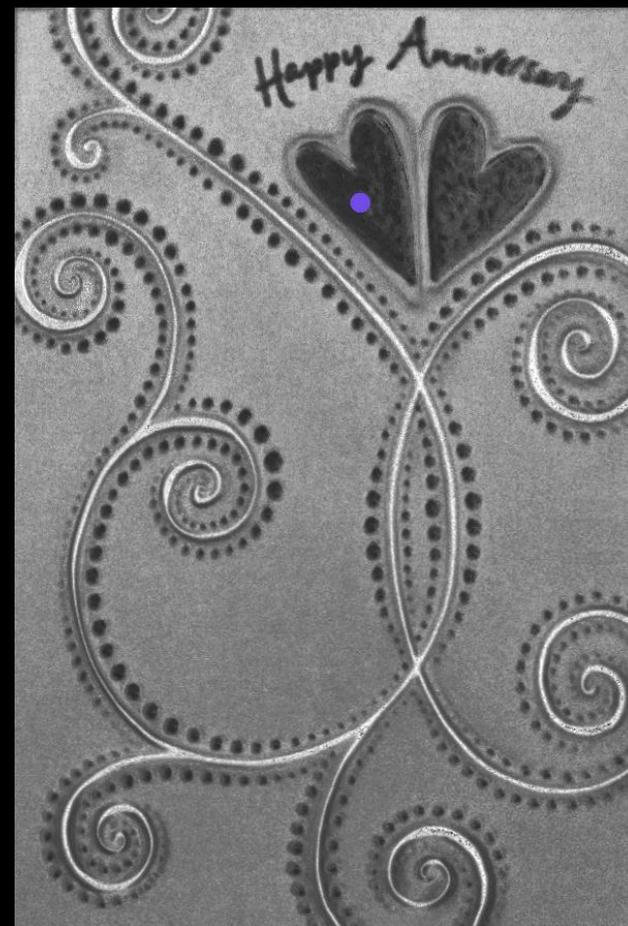
[Riviere et al. 16]

- Roughness: **Microfacet BRDF fit**

GGX [Walter et al. 2007]



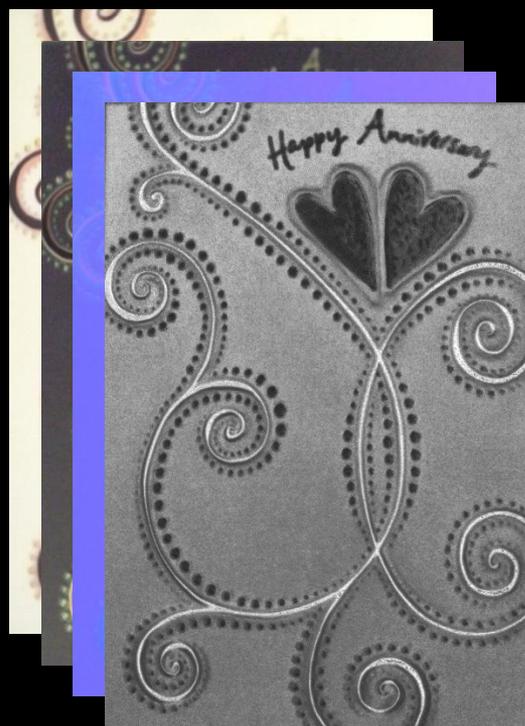
Roughness map



Mobile surface reflectometry

[Riviere et al. 16]

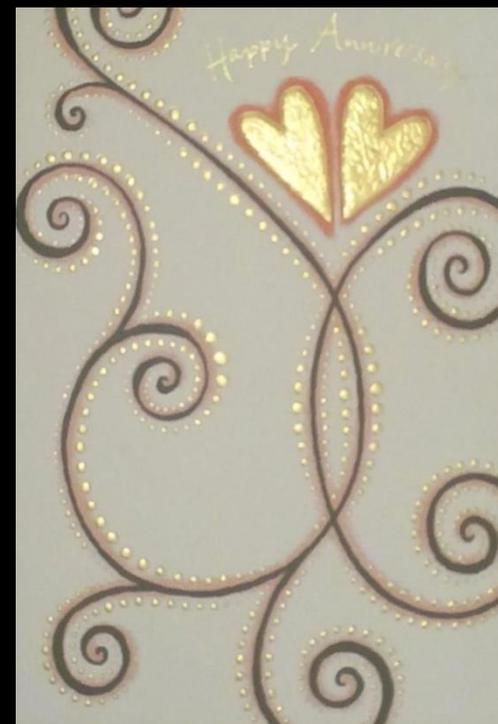
Rendering – frontal view



shaders



Rendering

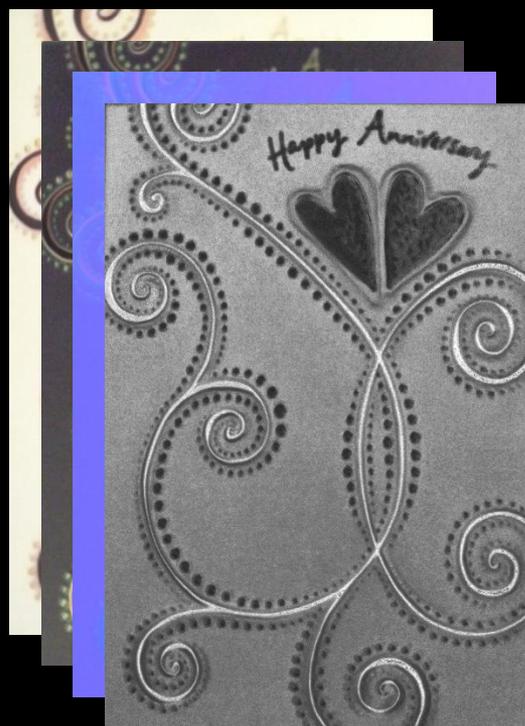


Photograph

Mobile surface reflectometry

[Riviere et al. 16]

Rendering – novel view



shaders



Rendering

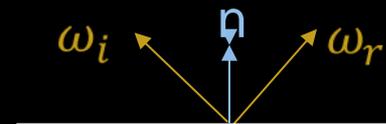


Photograph

Mobile surface reflectometry

[Riviere et al. 16]

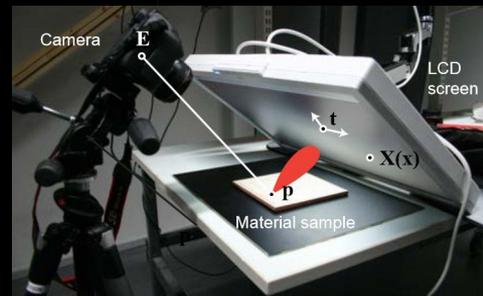
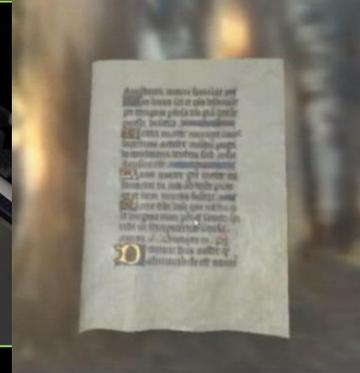
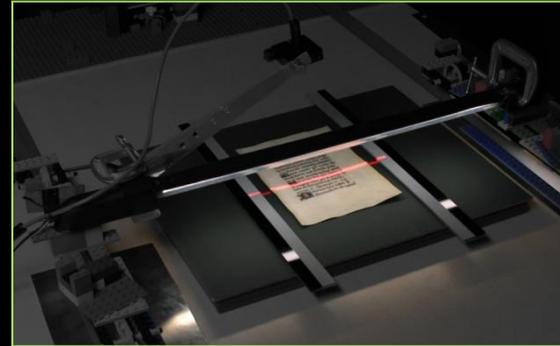
Rendering – novel view



Rendering

Photograph

Material appearance recap ...



Thank You!

